Perception:

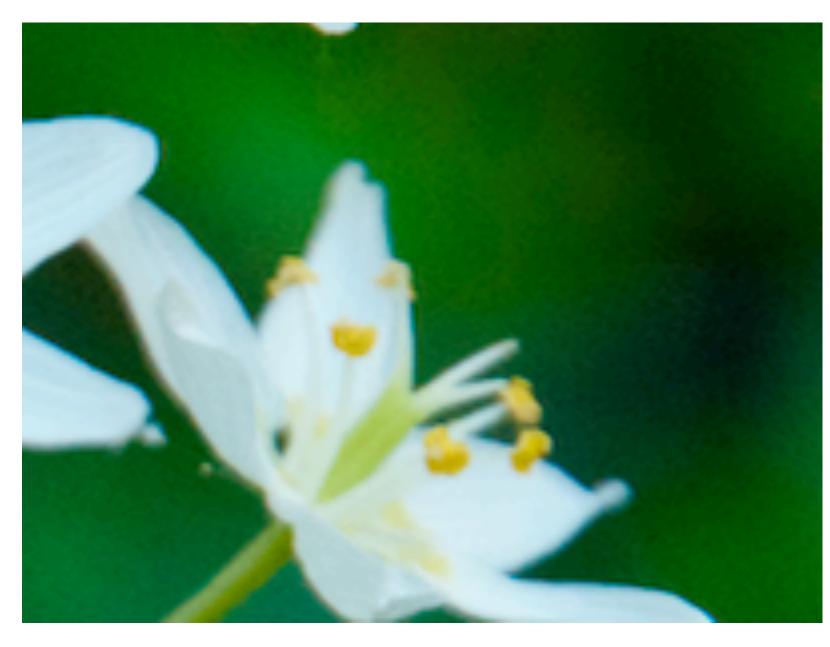
The Next Milestone in Learned Image Compression

Dr. Johannes Ballé (they/them), Staff Research Scientist

2023 Data Compression Conference22 March 2023

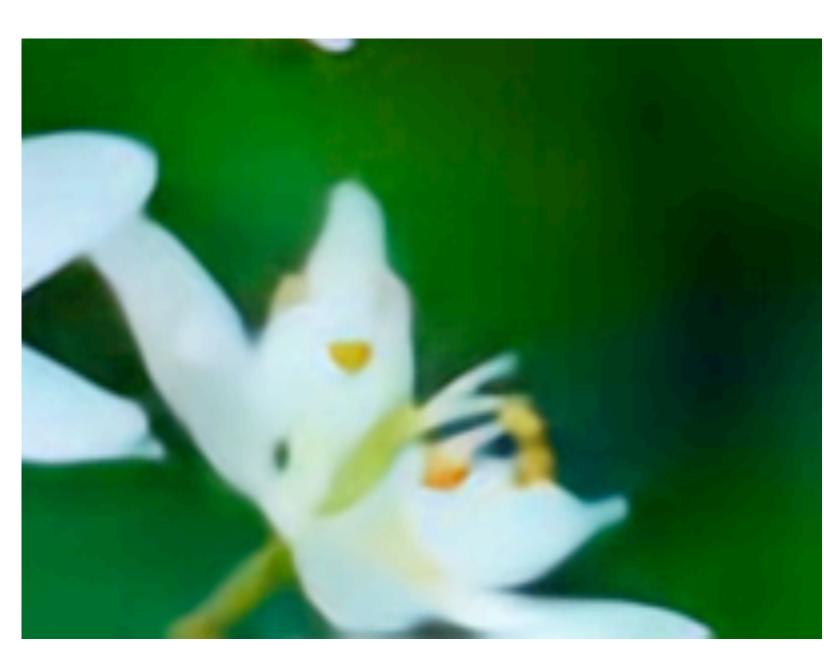






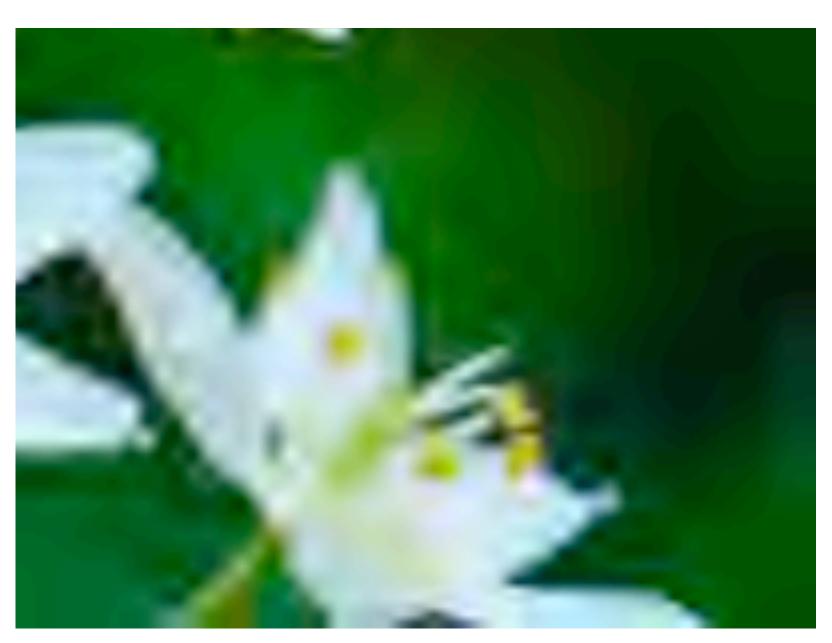
original

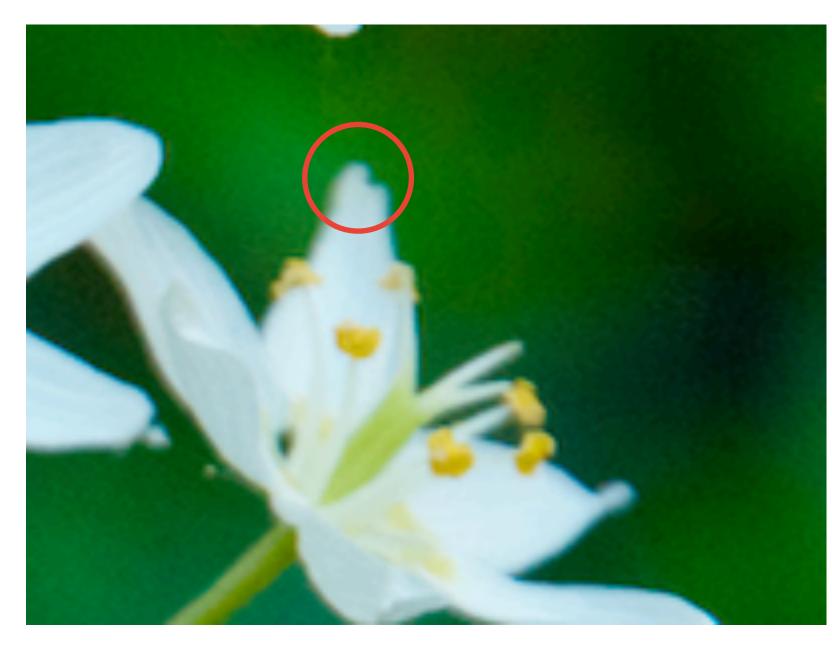
learned (2017)



JPEG

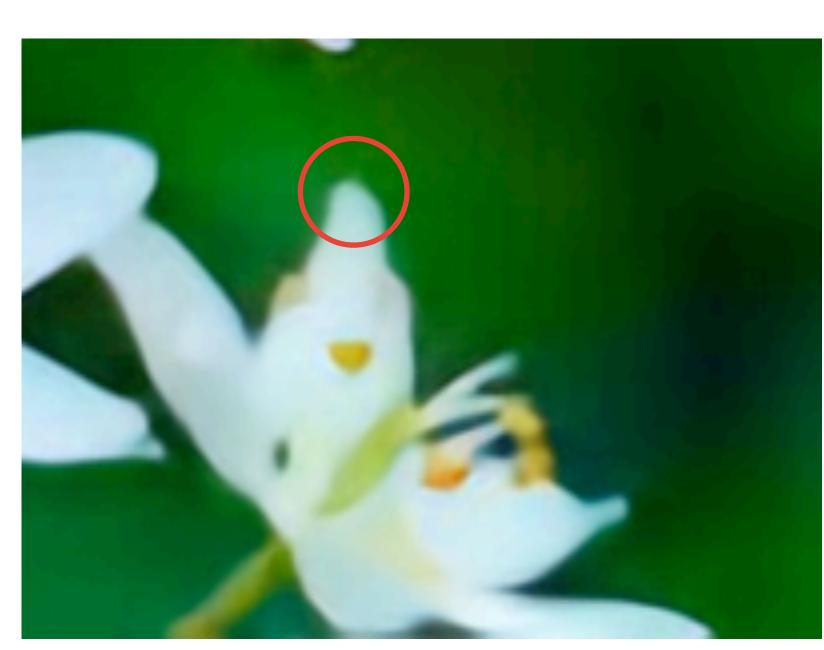
JPEG 2000





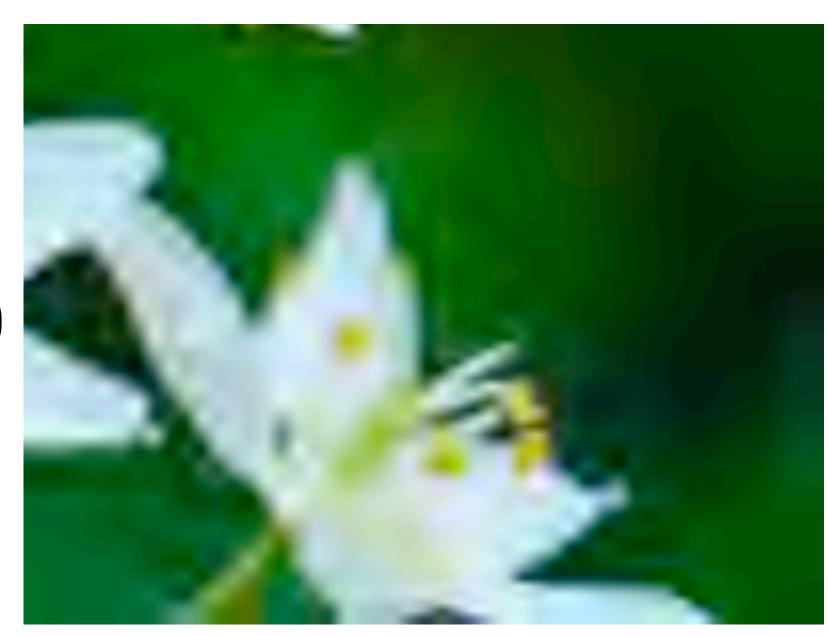
original

learned (2017)



JPEG

JPEG 2000



Machine learning rings in a new paradigm in data compression

Learned compression is data driven, has quick turnaround and is easily adaptable.

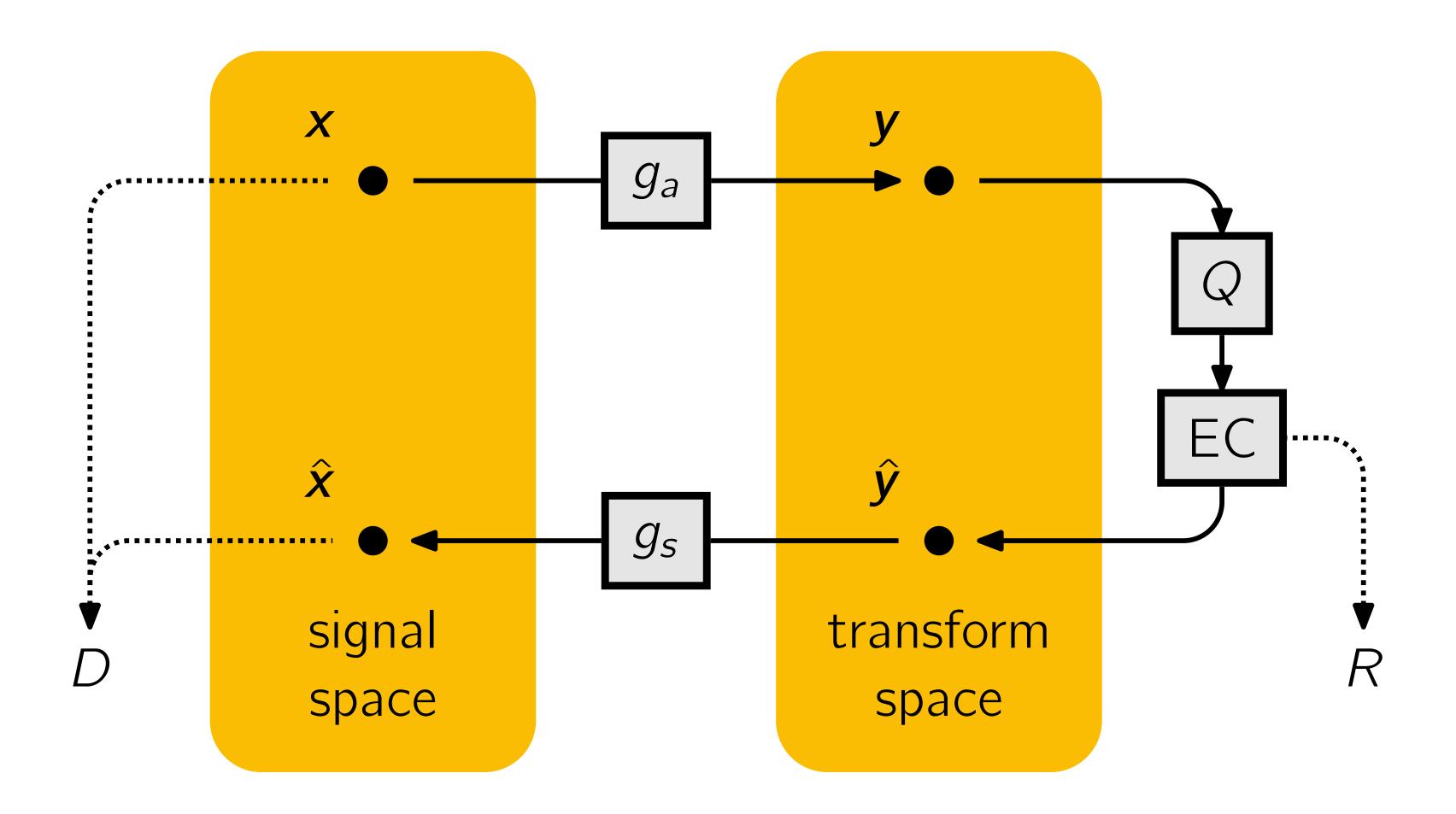
It presents opportunities to quickly develop algorithms for new data modalities, as well as sophisticated error metrics.

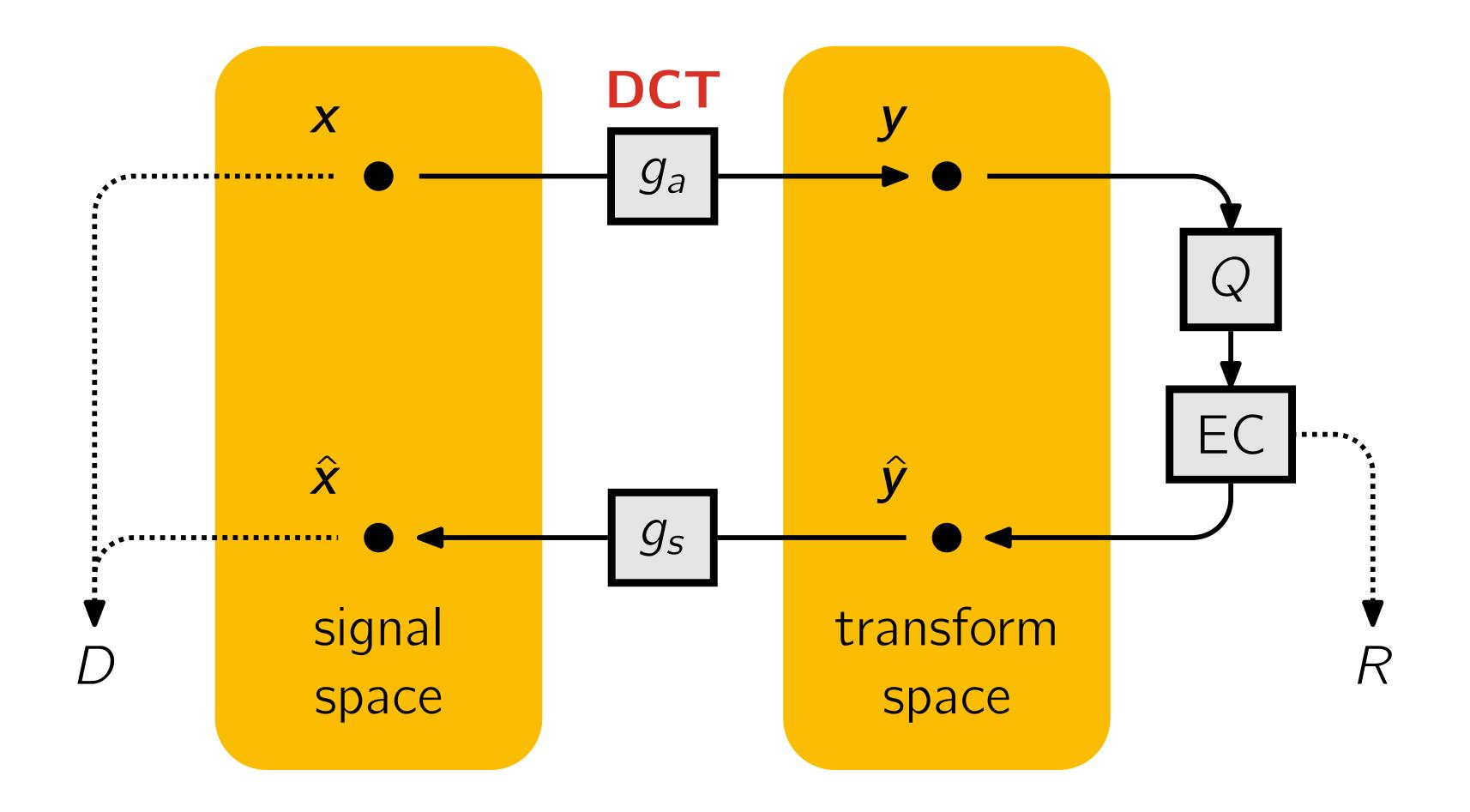
Outline

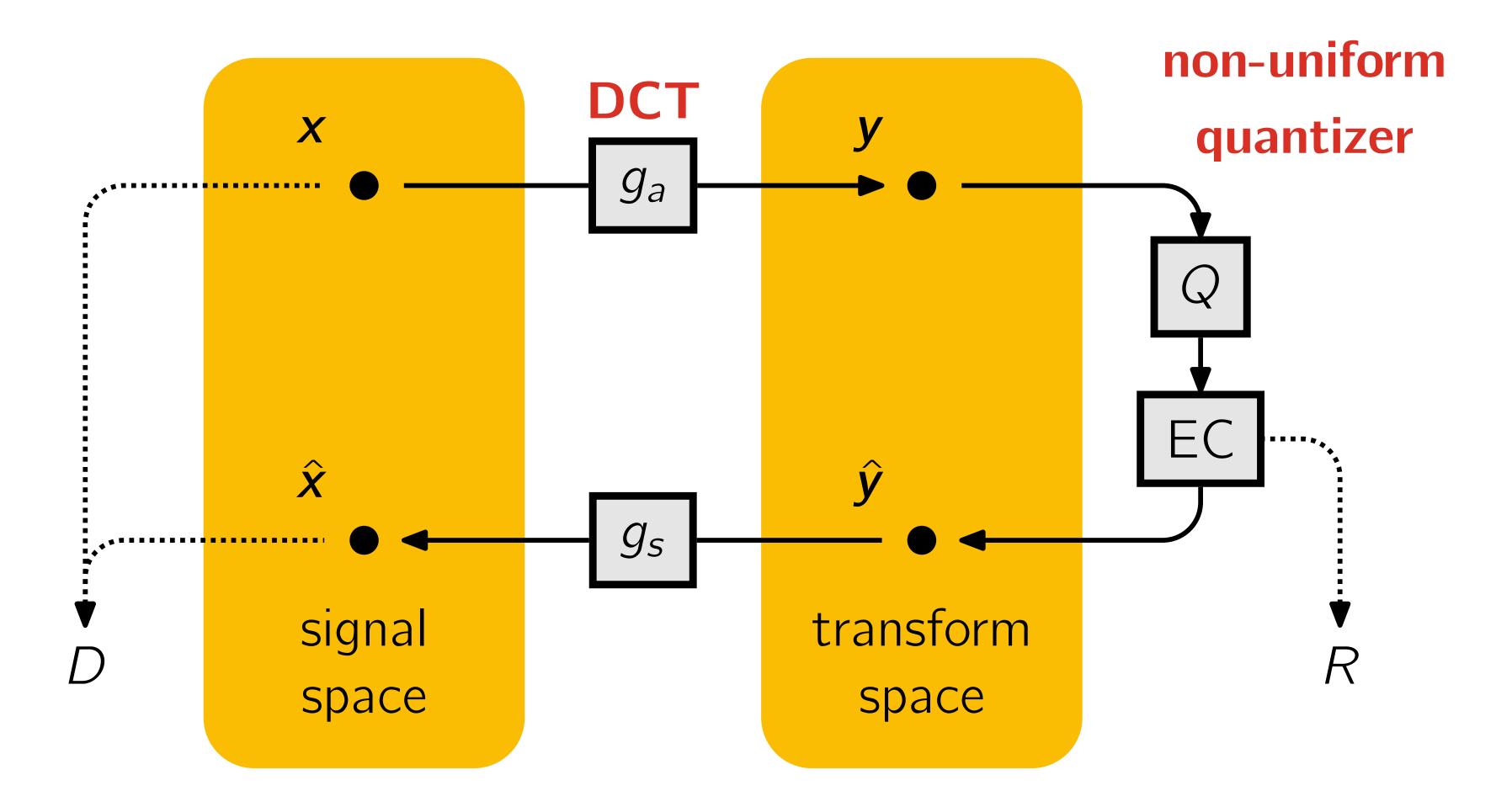
- 1. Learned image compression
- 2. Distortion
- 3. Realism
- 4. Perceptual spaces

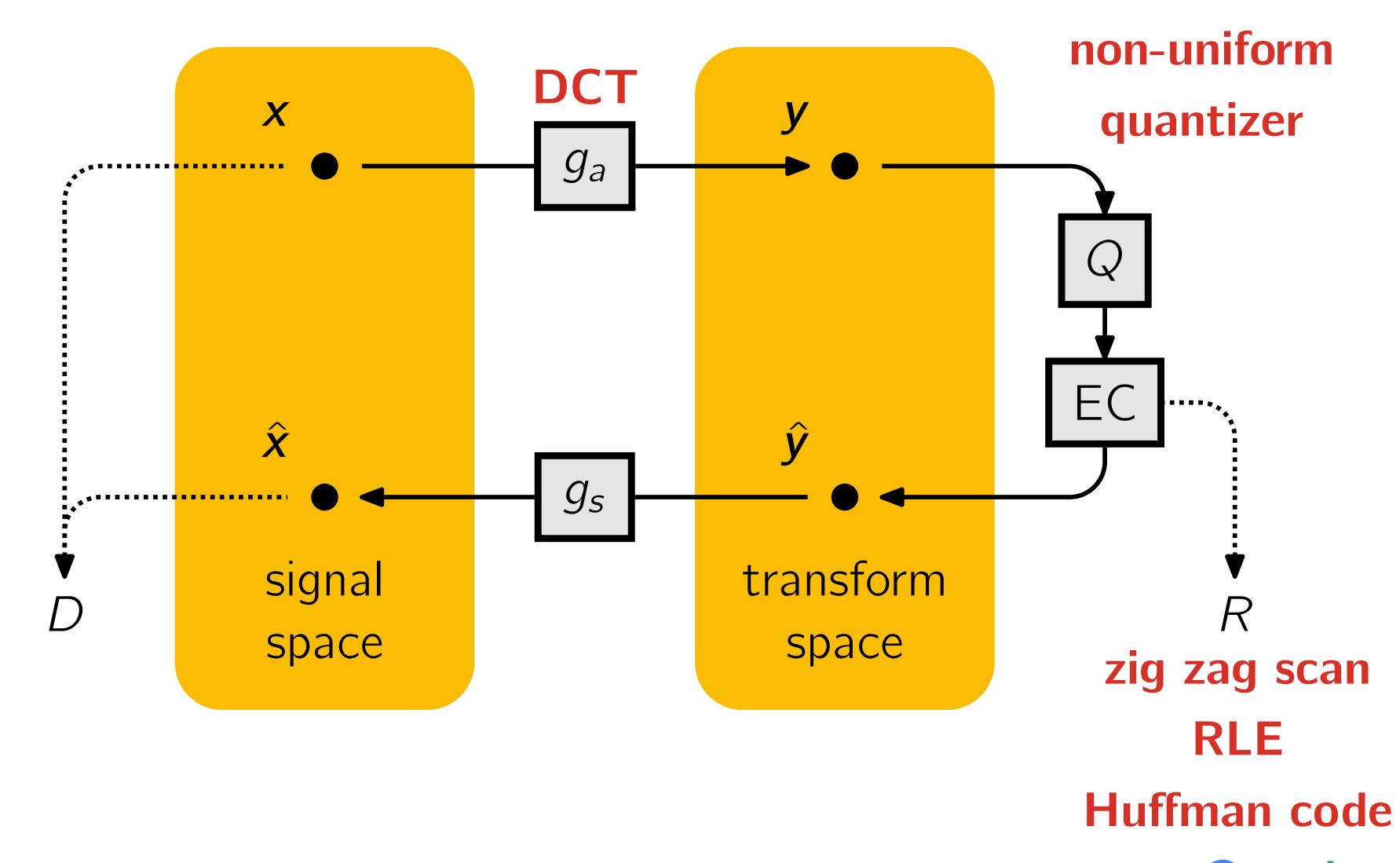
Part I

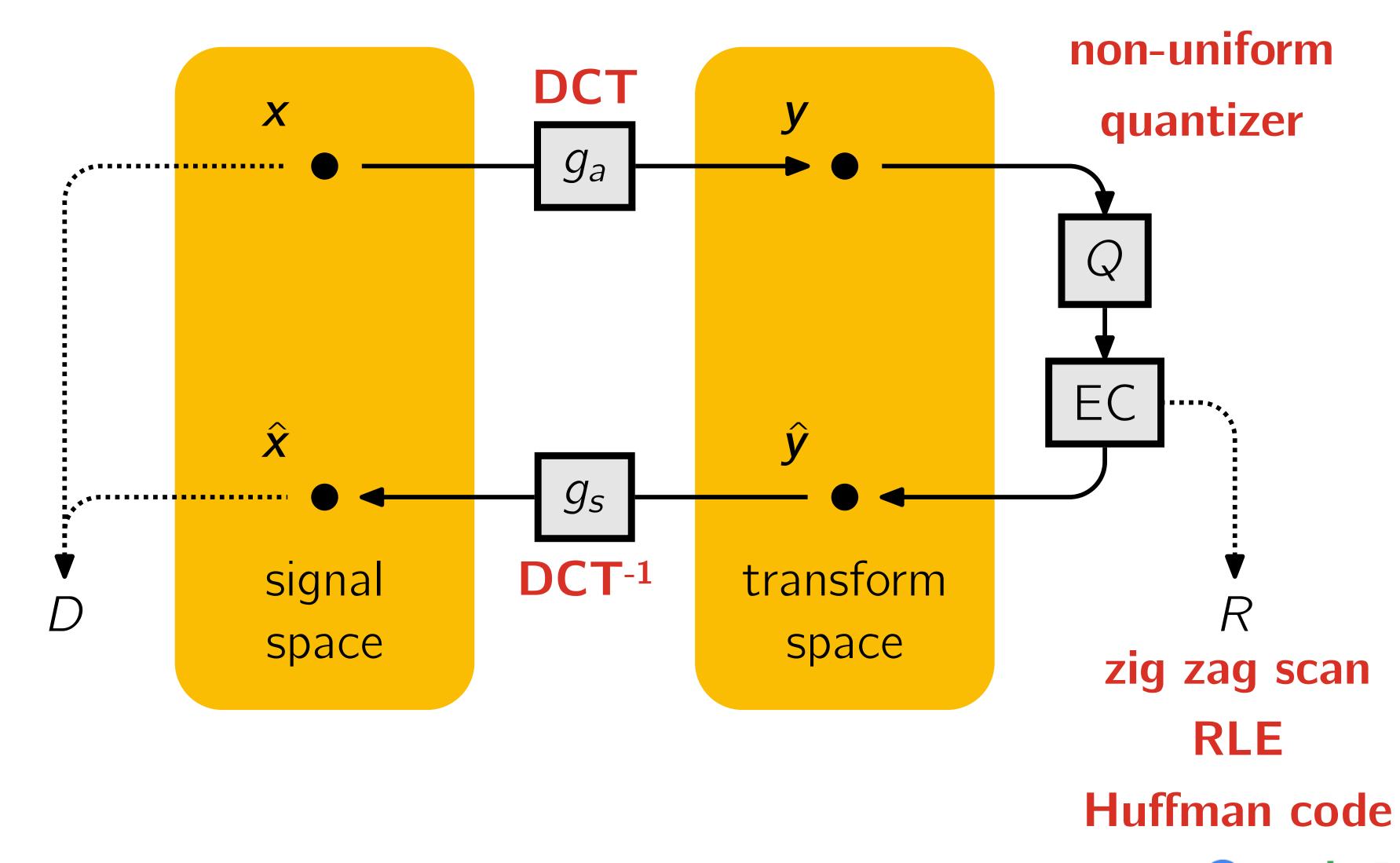
Learned Image Compression

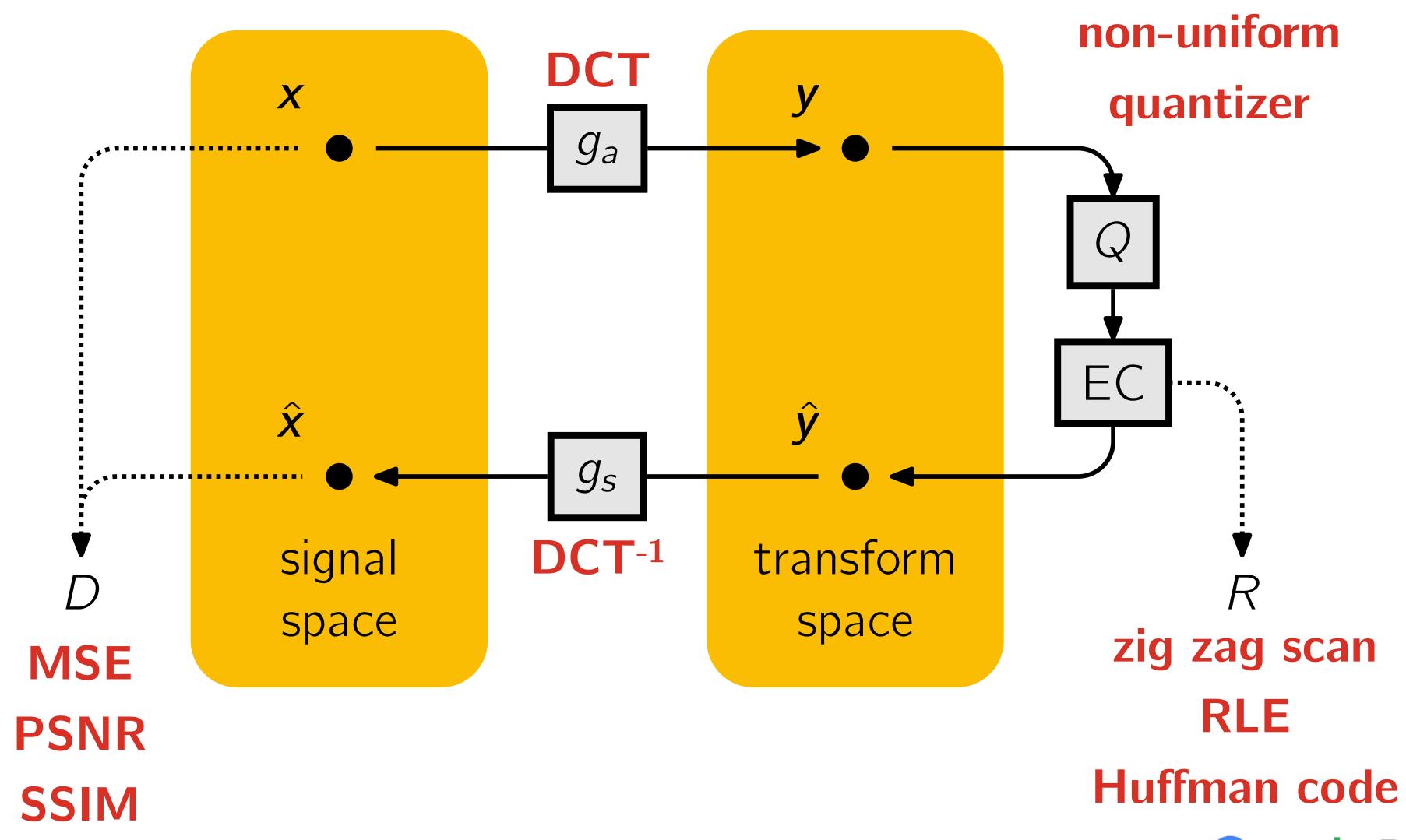












Why the DCT?

IEEE TRANSACTIONS ON COMPUTERS, JANUARY 1974

Discrete Cosine Transform

N. AHMED, T. NATARAJAN, AND K. R. RAO

Abstract-A discrete cosine transform (DCT) is defined and an algorithm to compute it using the fast Fourier transform is developed. It is shown that the discrete cosine transform can be used in the area of digital processing for the purposes of pattern recognition and Wiener filtering. Its performance is compared with that of a class of orthogonal transforms and is found to compare closely to that of the Karhunen-Loève transform, which is known to be optimal. The performances of the Karhunen-Loève and discrete cosine transforms are also found to compare closely with respect to the rate-distortion criterion.

Assumptions:

- Gaussian (AR-1) signal
- Linear transform
- ⇒ KLT optimal, DCT very close and **fast**

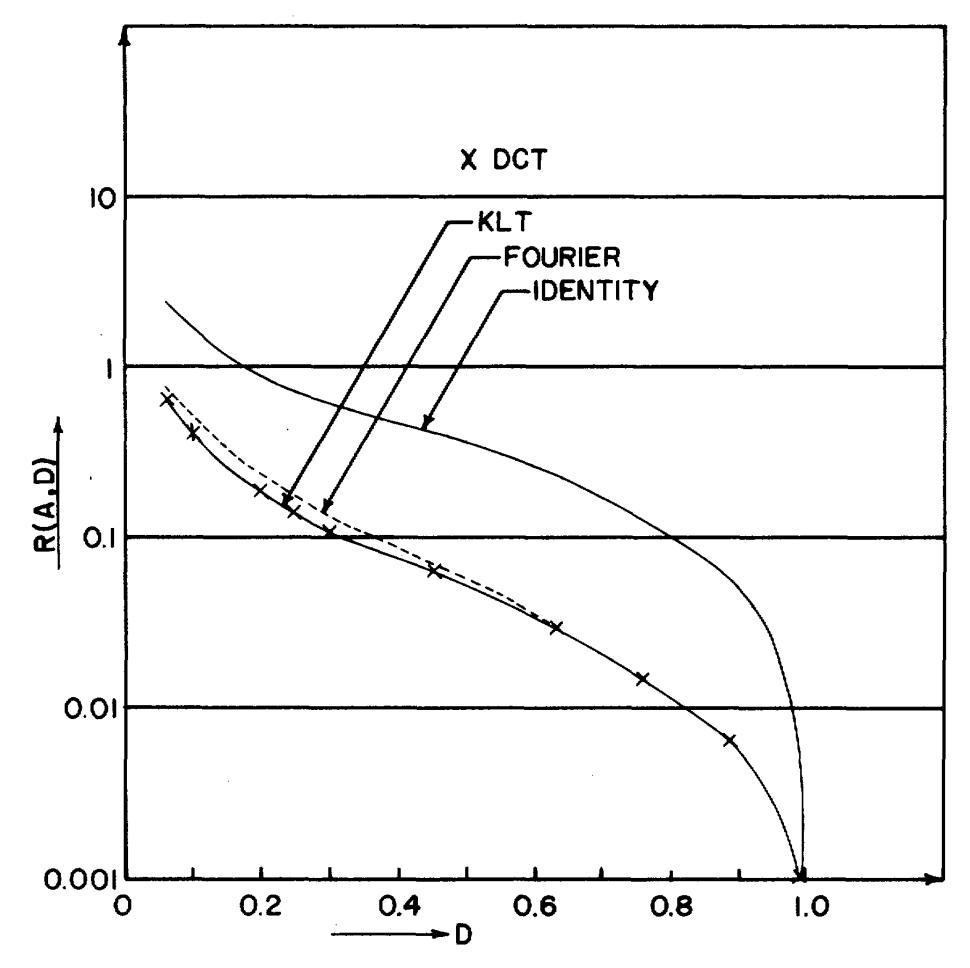
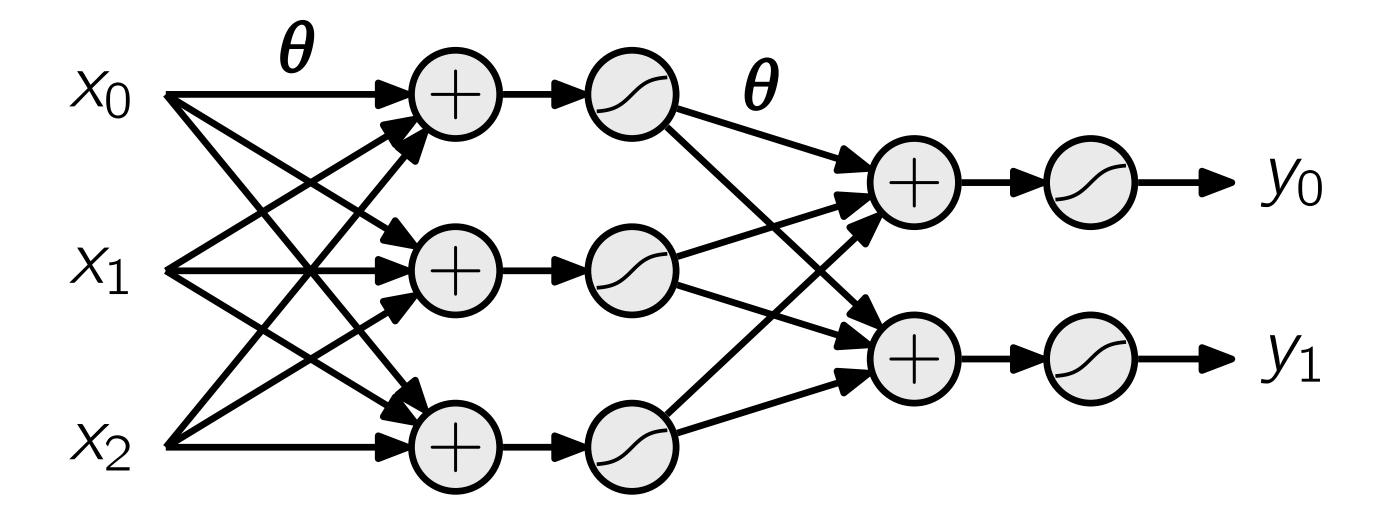


Fig. 5. Rate versus distortion for M=16 and $\rho=0.9$.

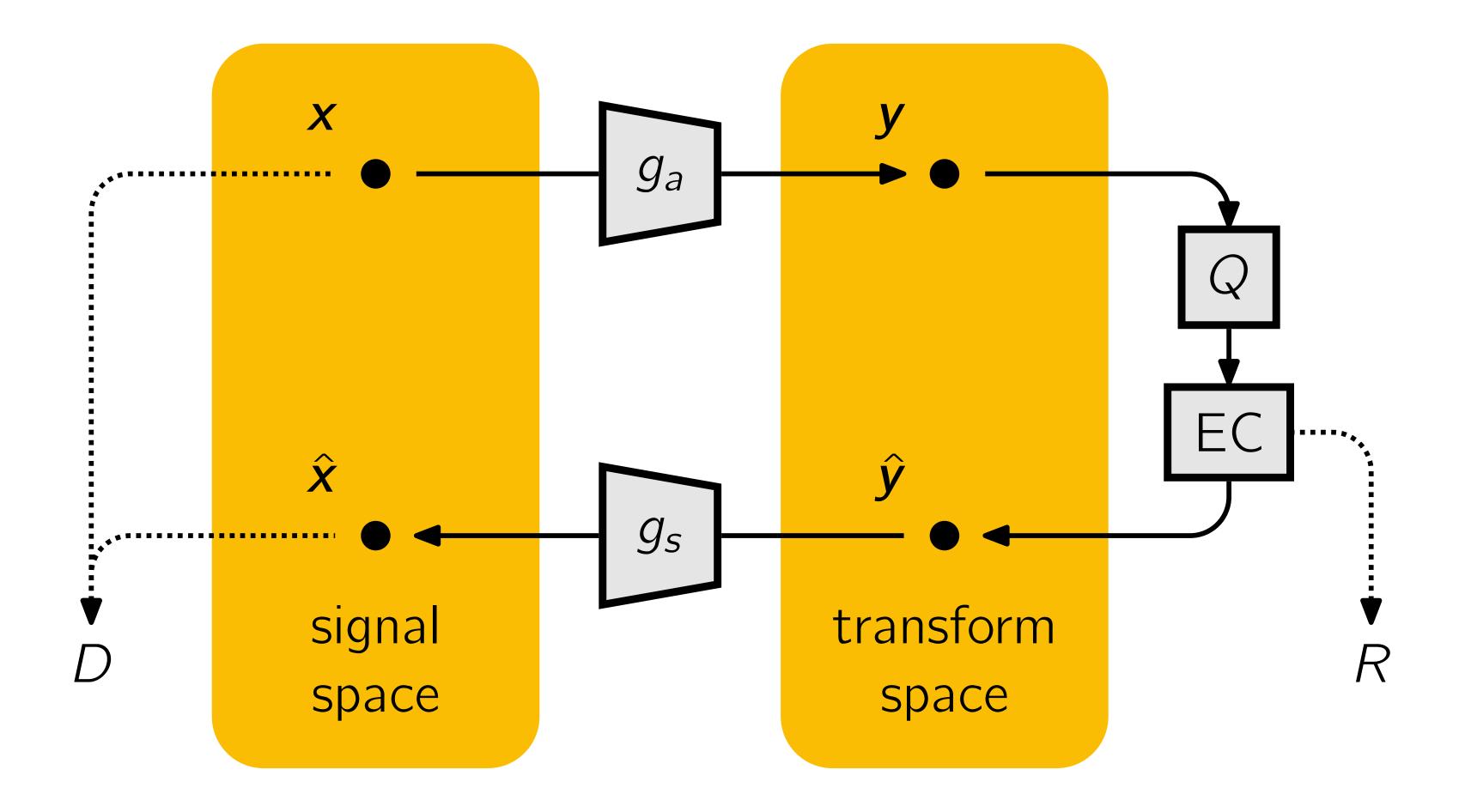


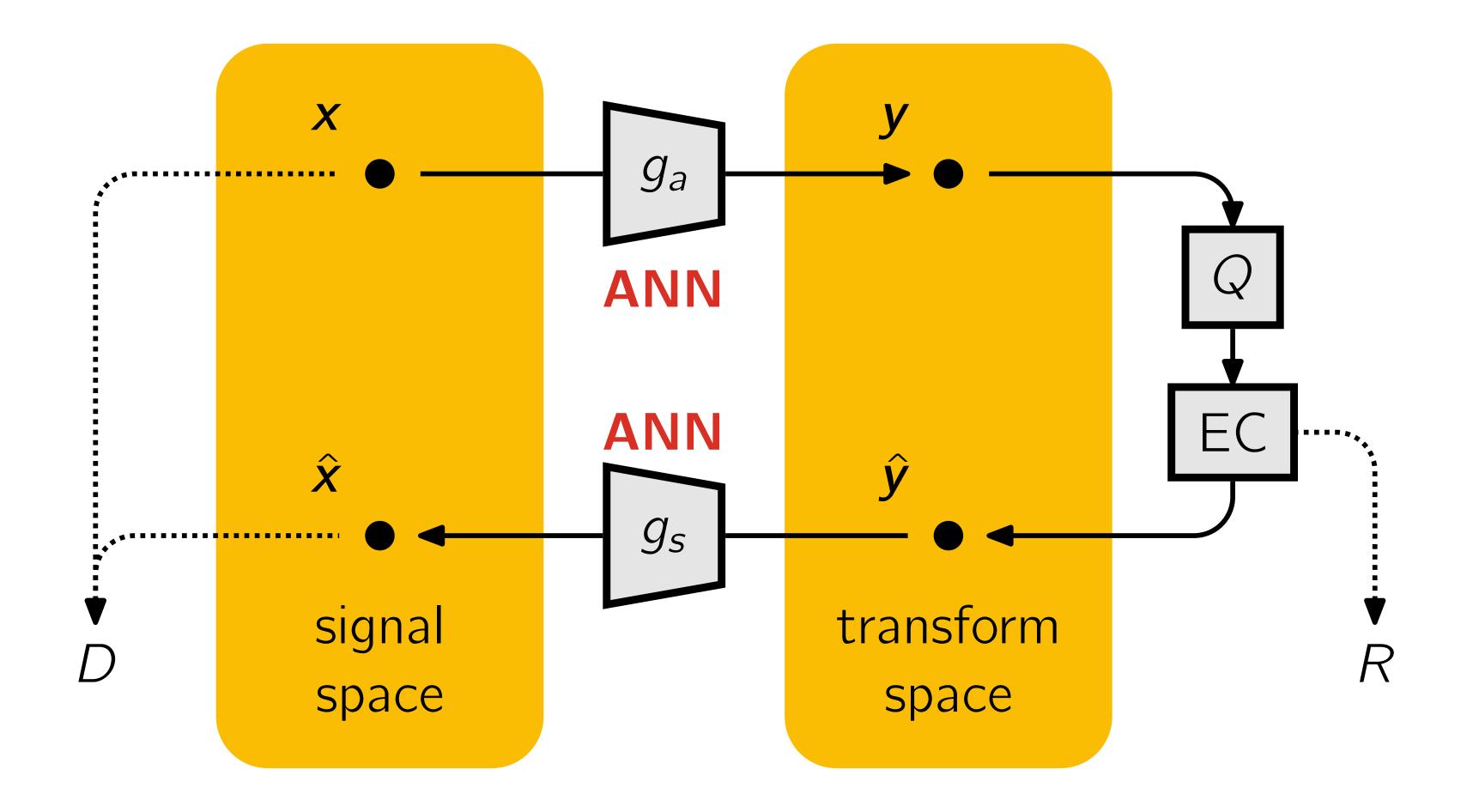
$$\mathbf{y} = g(\mathbf{x}; \boldsymbol{\theta})$$

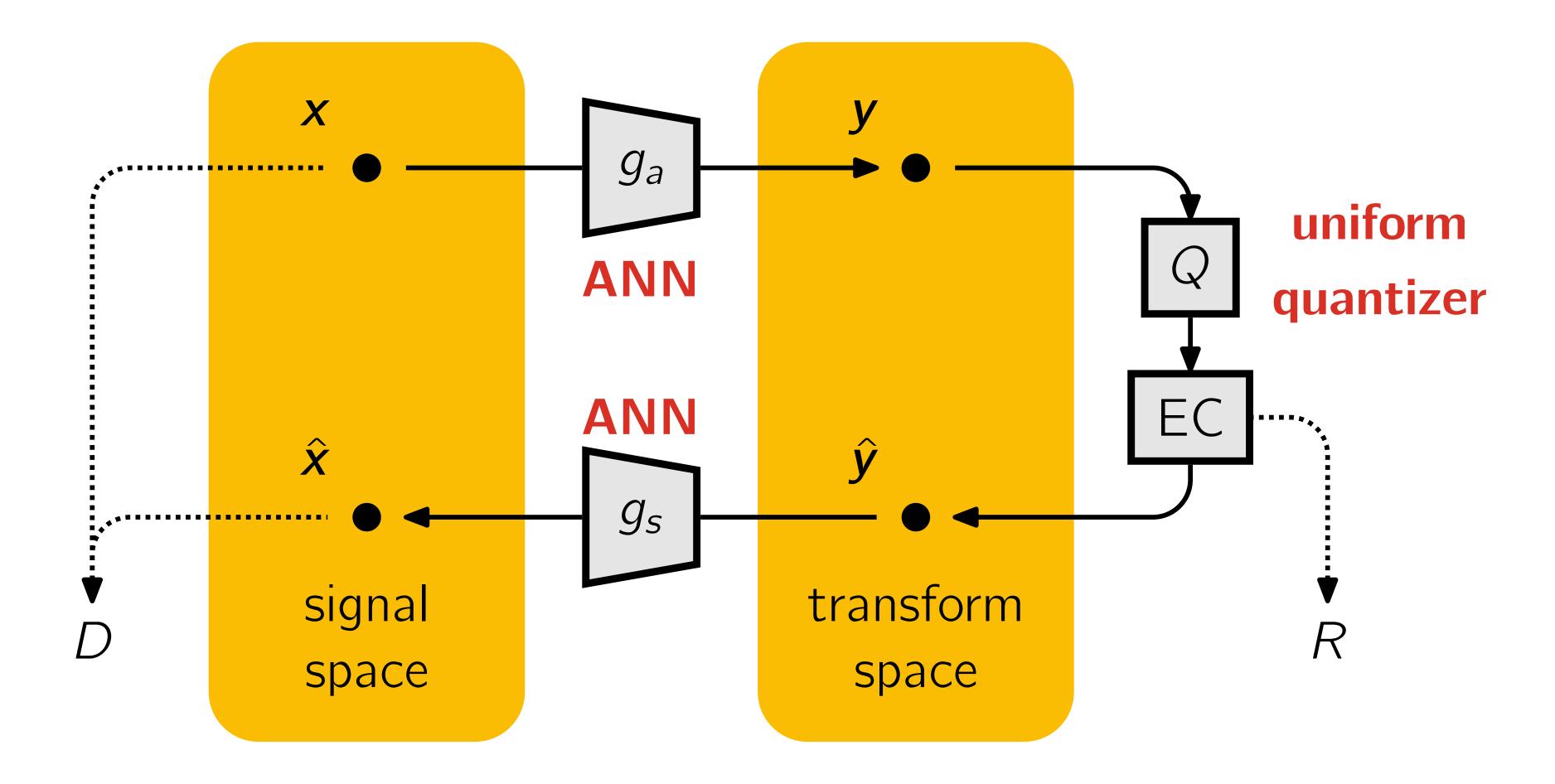


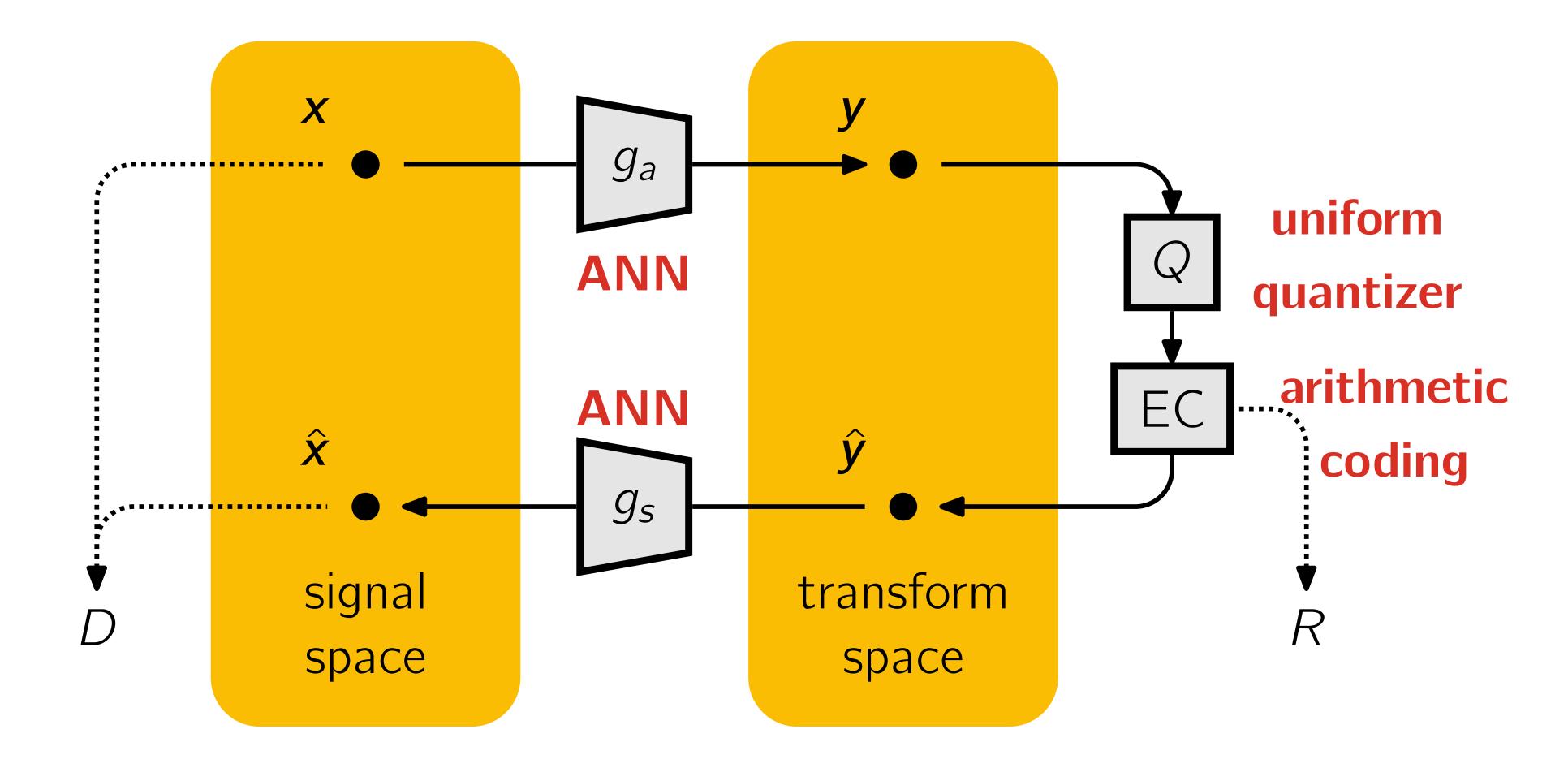
Artificial neural networks (ANNs) are universal function approximators.

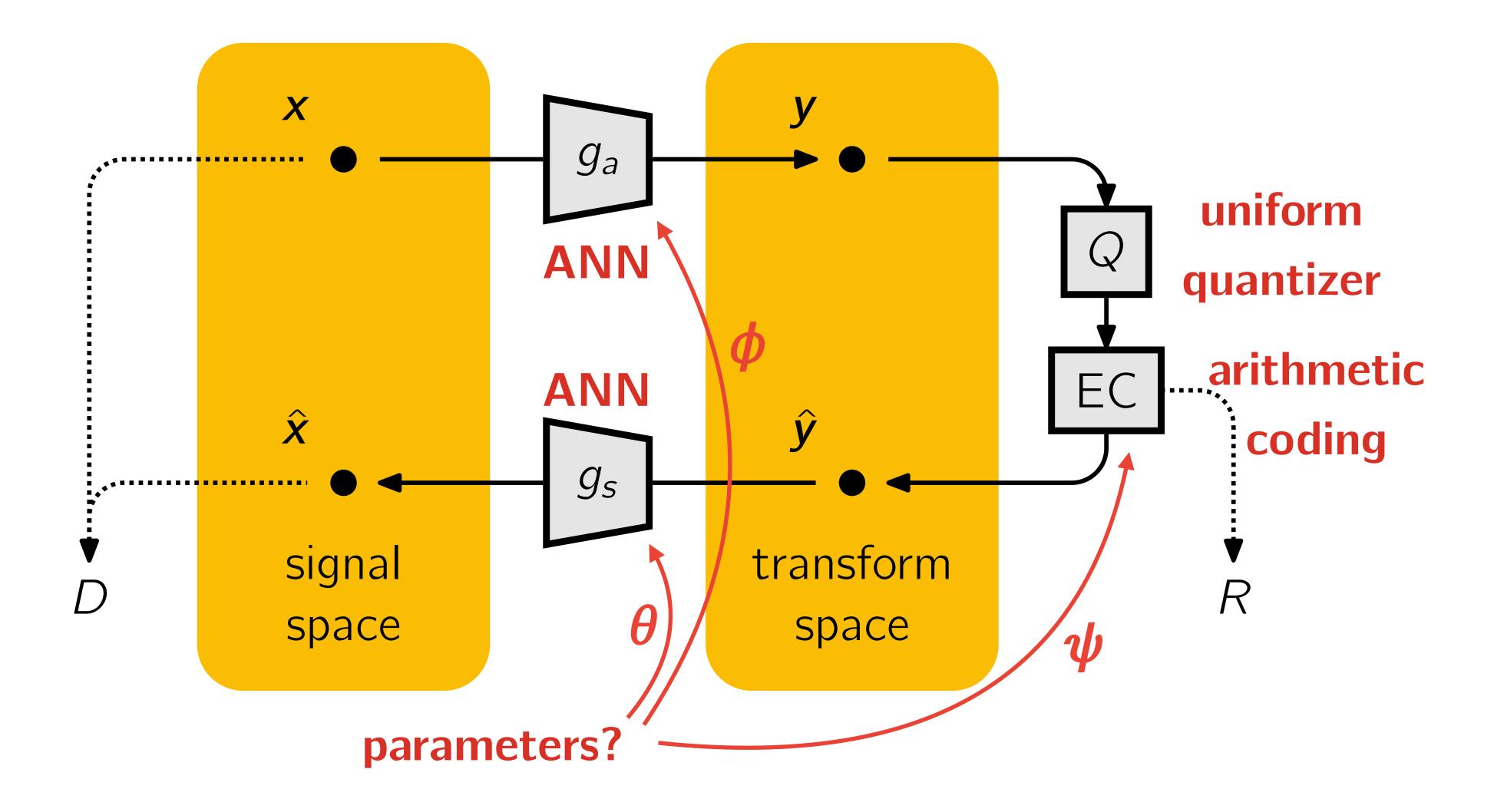
We can train them to approximate the RD-optimal transforms.

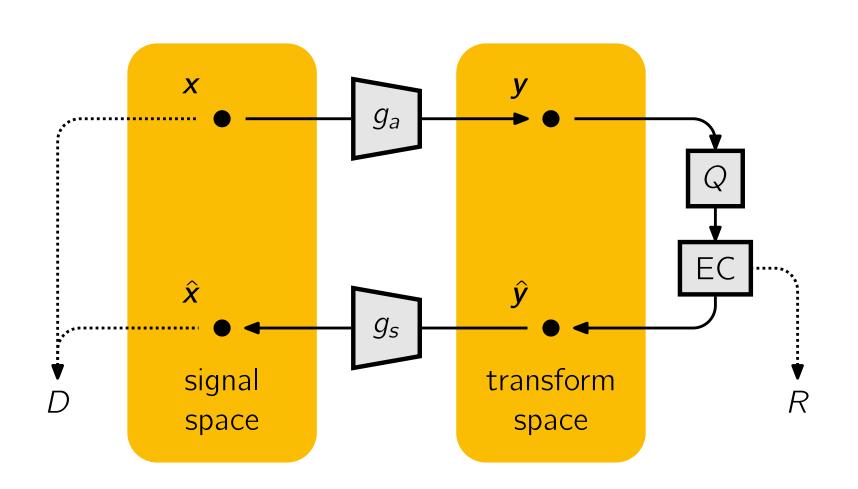






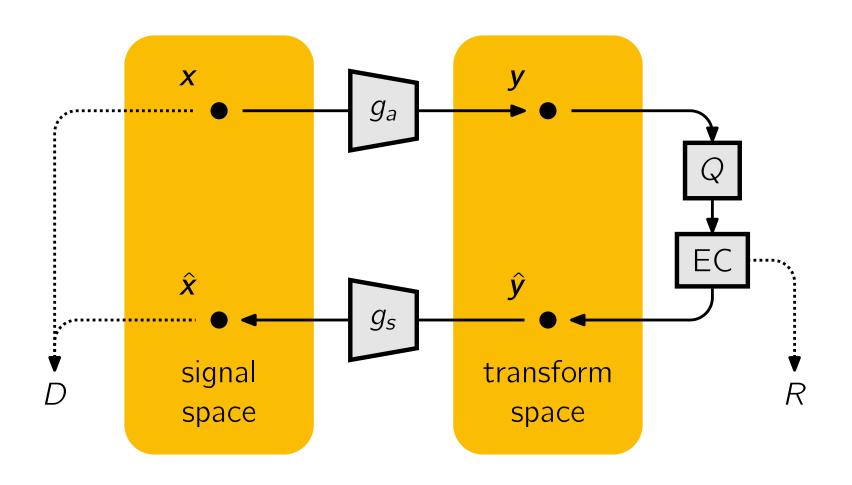






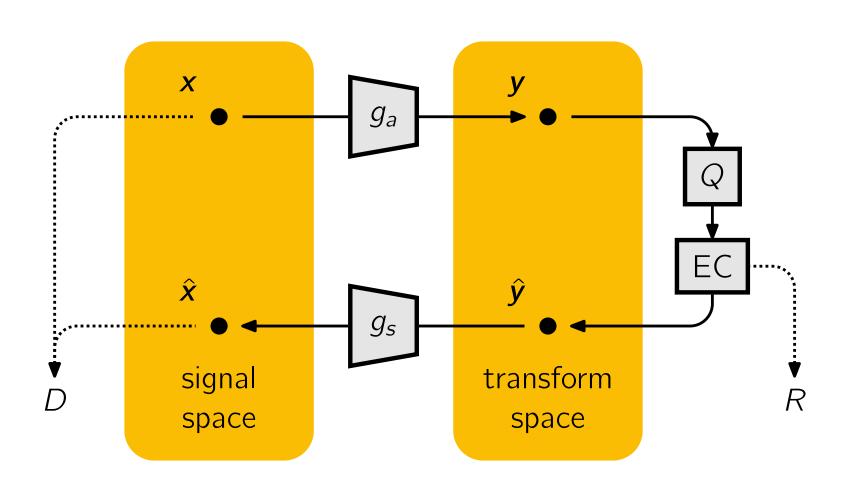
Loss function

$$L(\boldsymbol{\theta}, \boldsymbol{\phi}, \boldsymbol{\psi}) = \underbrace{\mathbb{E}_{\boldsymbol{x}} \left[-\log_2 p_{\hat{\boldsymbol{y}}}(\hat{\boldsymbol{y}}) \right]}_{R} + \lambda \underbrace{\mathbb{E}_{\boldsymbol{x}} \left[\|\boldsymbol{x} - \hat{\boldsymbol{x}}\|_{2}^{2} \right]}_{D}$$



Loss function

$$L(\boldsymbol{\theta}, \boldsymbol{\phi}, \boldsymbol{\psi}) = \underbrace{\mathbb{E}_{\boldsymbol{x}} \left[-\log_2 p_{\hat{\boldsymbol{y}}}(Q(g_{\boldsymbol{a}}(\boldsymbol{x}; \boldsymbol{\phi})) | \boldsymbol{\psi}) \right]}_{\boldsymbol{R}} + \lambda \underbrace{\mathbb{E}_{\boldsymbol{x}} \left[\|\boldsymbol{x} - g_{\boldsymbol{s}}(Q(g_{\boldsymbol{a}}(\boldsymbol{x}; \boldsymbol{\phi})); \boldsymbol{\theta}) \|_{2}^{2} \right]}_{\boldsymbol{D}}$$

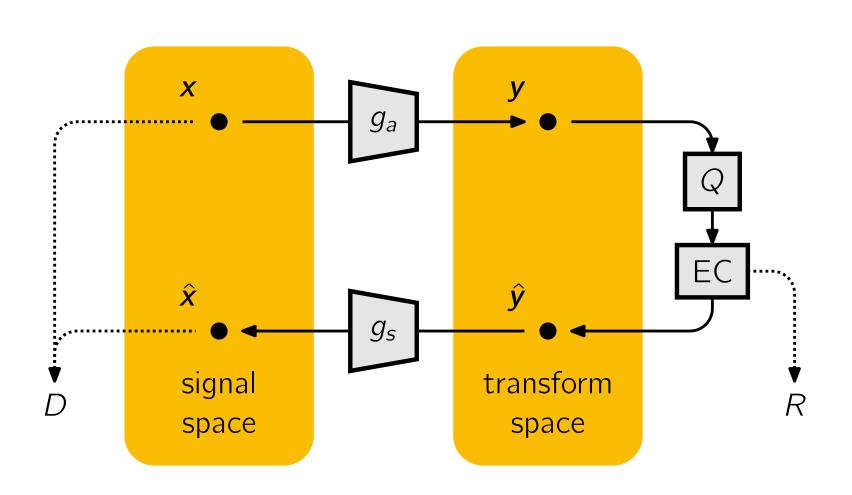


Loss function

$$L(\boldsymbol{\theta}, \boldsymbol{\phi}, \boldsymbol{\psi}) = \underbrace{\mathbb{E}_{\boldsymbol{x}} \left[-\log_2 p_{\hat{\boldsymbol{y}}}(Q(g_{\boldsymbol{a}}(\boldsymbol{x}; \boldsymbol{\phi})) | \boldsymbol{\psi}) \right]}_{R} + \lambda \underbrace{\mathbb{E}_{\boldsymbol{x}} \left[\|\boldsymbol{x} - g_{\boldsymbol{s}}(Q(g_{\boldsymbol{a}}(\boldsymbol{x}; \boldsymbol{\phi})); \boldsymbol{\theta}) \|_{2}^{2} \right]}_{D}$$

Stochastic gradient descent

$$\frac{\partial}{\partial \theta} \mathbb{E}_{x} [L(x; \theta)] \approx \frac{1}{|B|} \sum_{x \in B} \frac{\partial L(x; \theta)}{\partial \theta}$$



Loss function

$$L(\boldsymbol{\theta}, \boldsymbol{\phi}, \boldsymbol{\psi}) = \underbrace{\mathbb{E}_{\boldsymbol{x}} \left[-\log_2 p_{\hat{\boldsymbol{y}}}(Q(g_{\boldsymbol{a}}(\boldsymbol{x}; \boldsymbol{\phi})) | \boldsymbol{\psi}) \right]}_{R} + \lambda \underbrace{\mathbb{E}_{\boldsymbol{x}} \left[\|\boldsymbol{x} - g_{\boldsymbol{s}}(Q(g_{\boldsymbol{a}}(\boldsymbol{x}; \boldsymbol{\phi})); \boldsymbol{\theta}) \|_{2}^{2} \right]}_{D}$$

Stochastic gradient descent

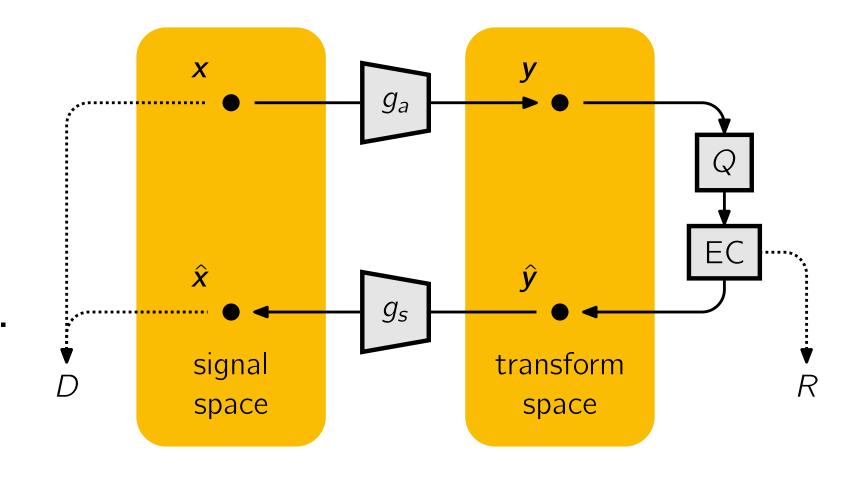
$$\frac{\partial}{\partial \theta} \mathbb{E}_{x} [L(x; \theta)] \approx \frac{1}{|B|} \sum_{x \in B} \frac{\partial L(x; \theta)}{\partial \theta}$$

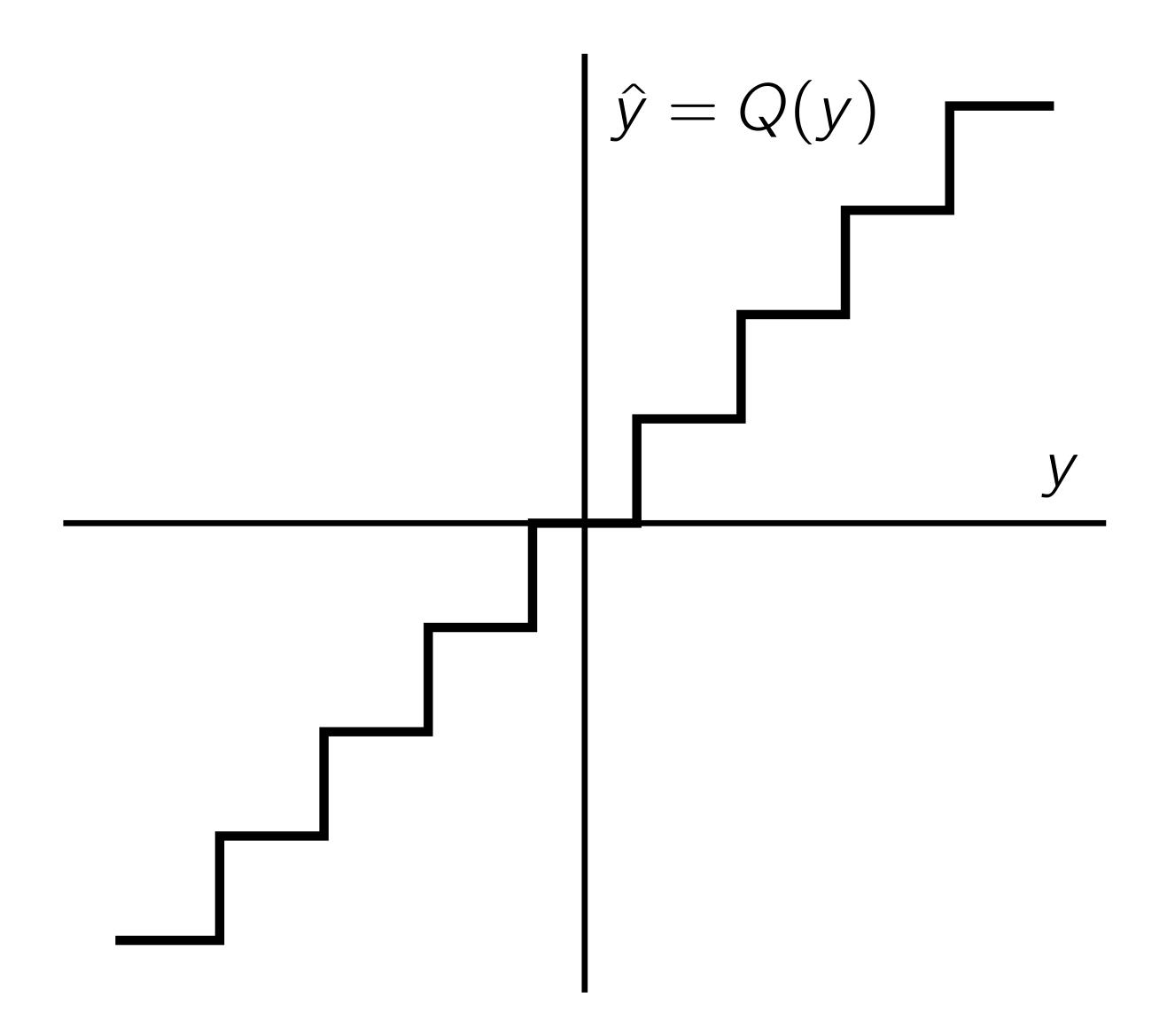
Symbolic differentiation (JAX, PyTorch, TensorFlow, etc.)

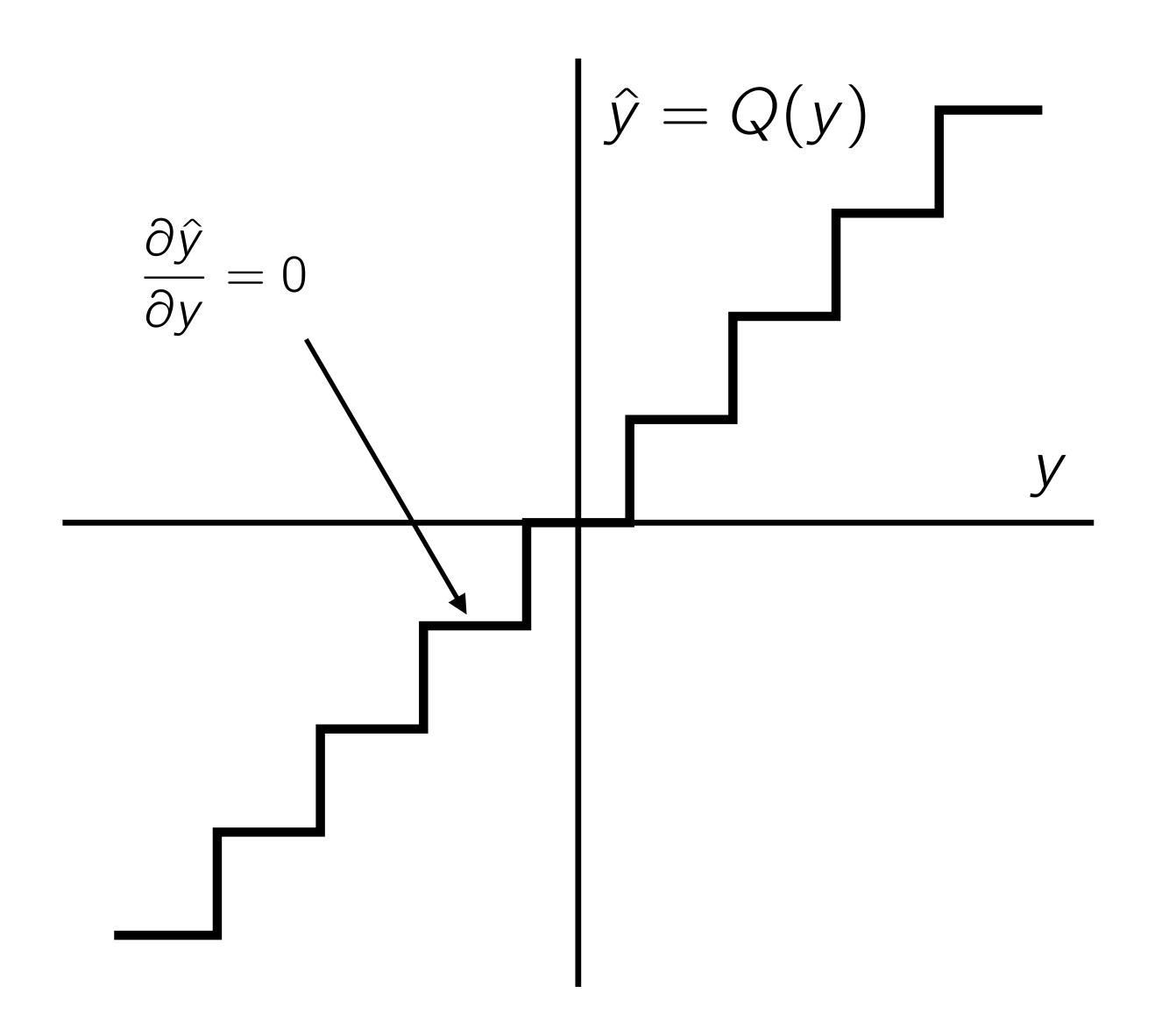
$$\frac{\partial L(\boldsymbol{\theta}, \boldsymbol{\phi}, \boldsymbol{\psi})}{\partial \boldsymbol{\theta}} = \dots \qquad \frac{\partial L(\boldsymbol{\theta}, \boldsymbol{\phi}, \boldsymbol{\psi})}{\partial \boldsymbol{\phi}} = \dots$$

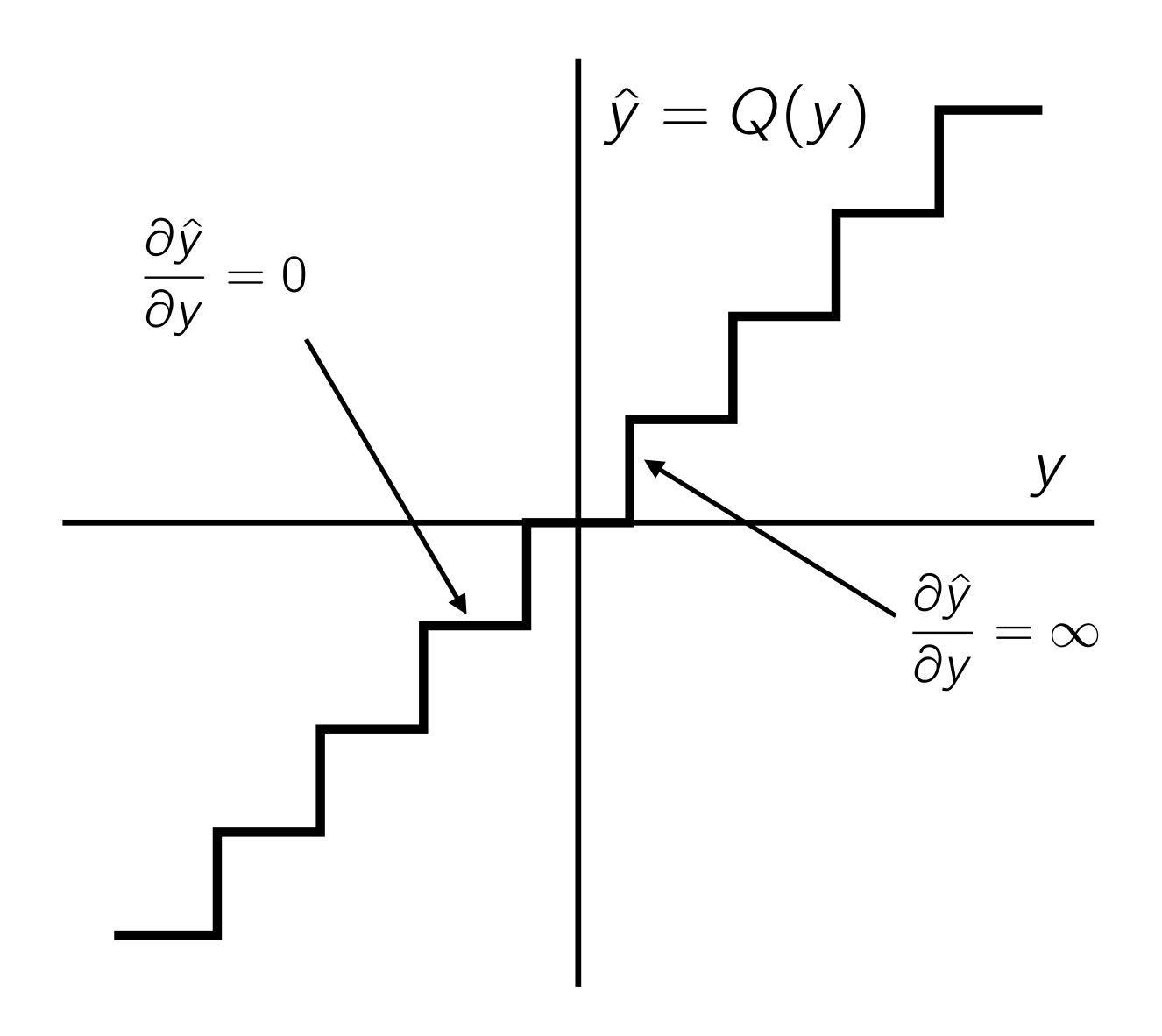
$$\frac{\partial L(\boldsymbol{ heta}, \boldsymbol{\phi}, \boldsymbol{\psi})}{\partial \boldsymbol{\phi}} = \dots$$

$$\frac{\partial L(\boldsymbol{\theta}, \boldsymbol{\phi}, \boldsymbol{\psi})}{\partial \boldsymbol{\psi}} = \dots$$







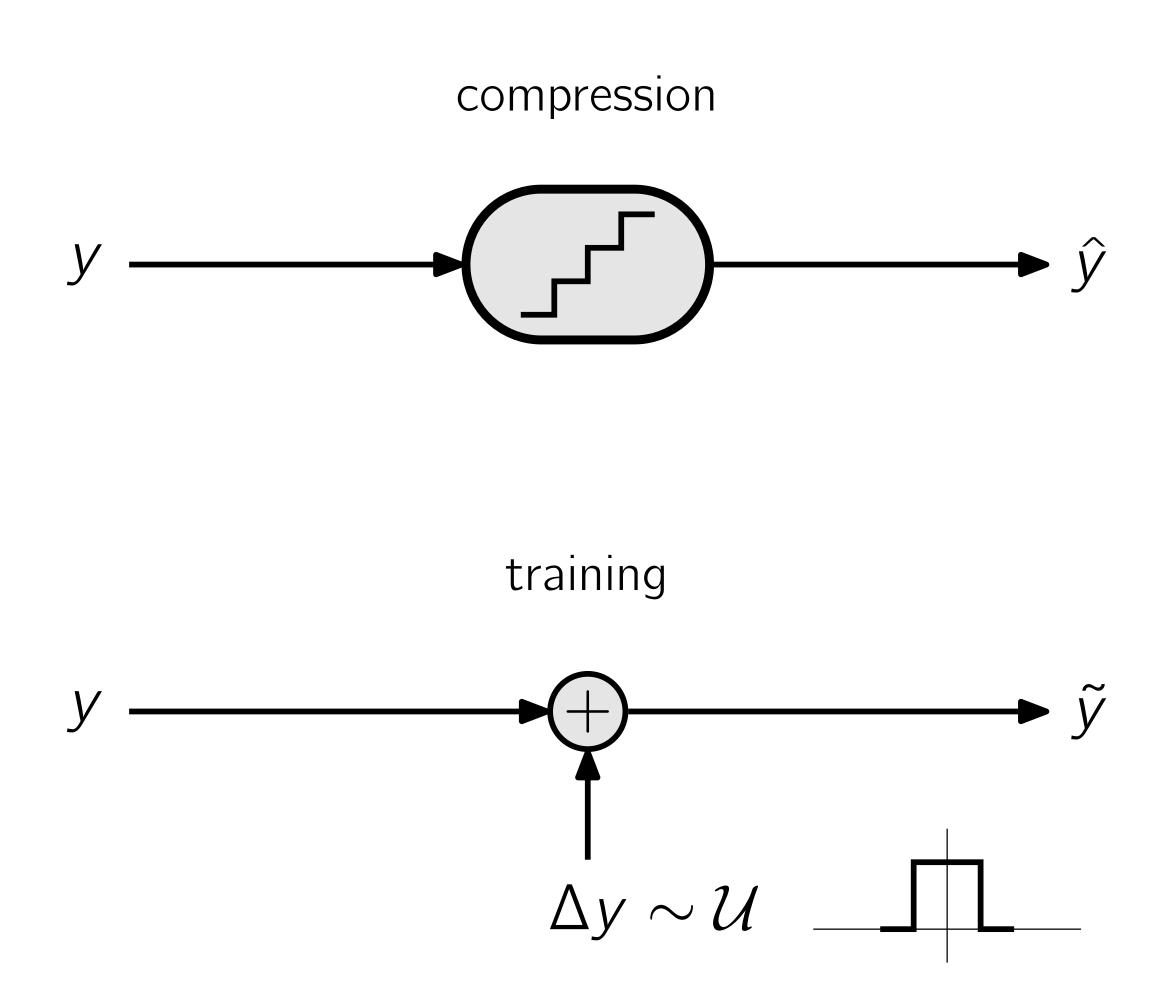


Proxy R-D loss

Both rate and distortion loss contain discrete computations.

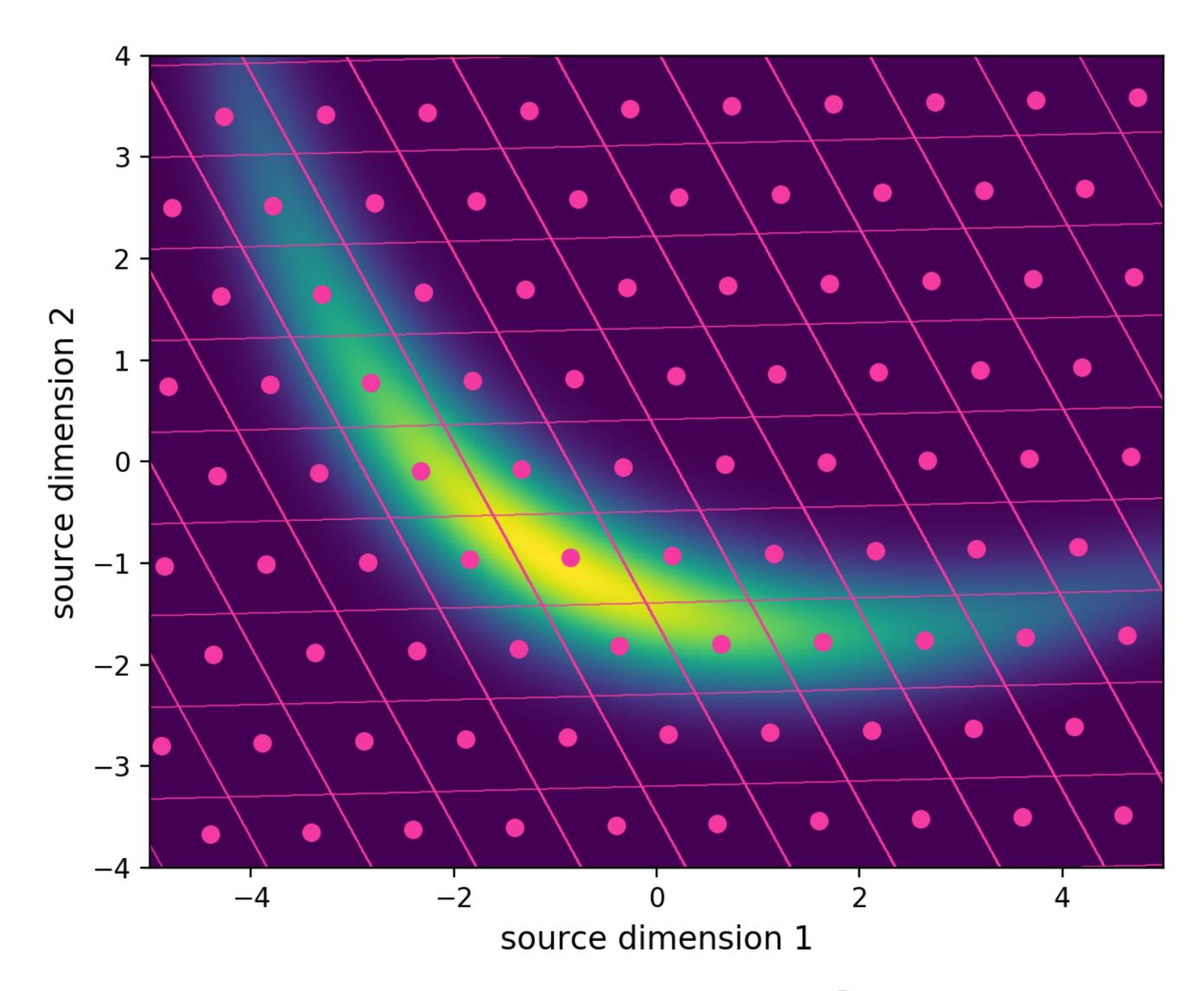
We need to replace them with differentiable losses, for example by plugging in dithered quantization.

Better, we may interpolate between uniform and dithered quantization to control bias vs. variance of gradients (Agustsson & Theis, NeurIPS, 2020).



Toy source

linear transform coding $R + \lambda D = 6.87$



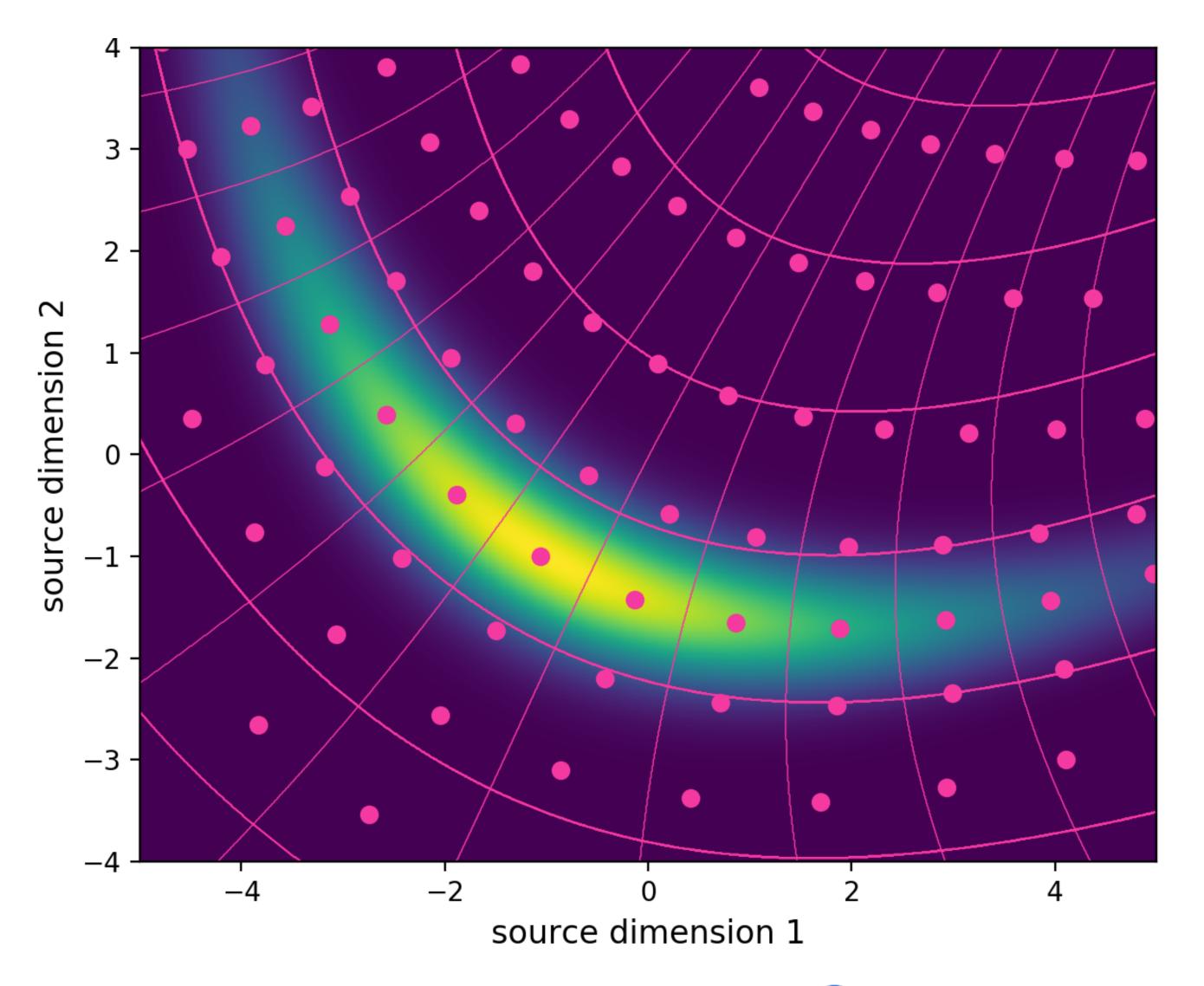
Toy source

linear transform coding

 $R + \lambda D = 6.87$

nonlinear transform coding

 $R + \lambda D = 5.97$



Toy source

linear transform coding

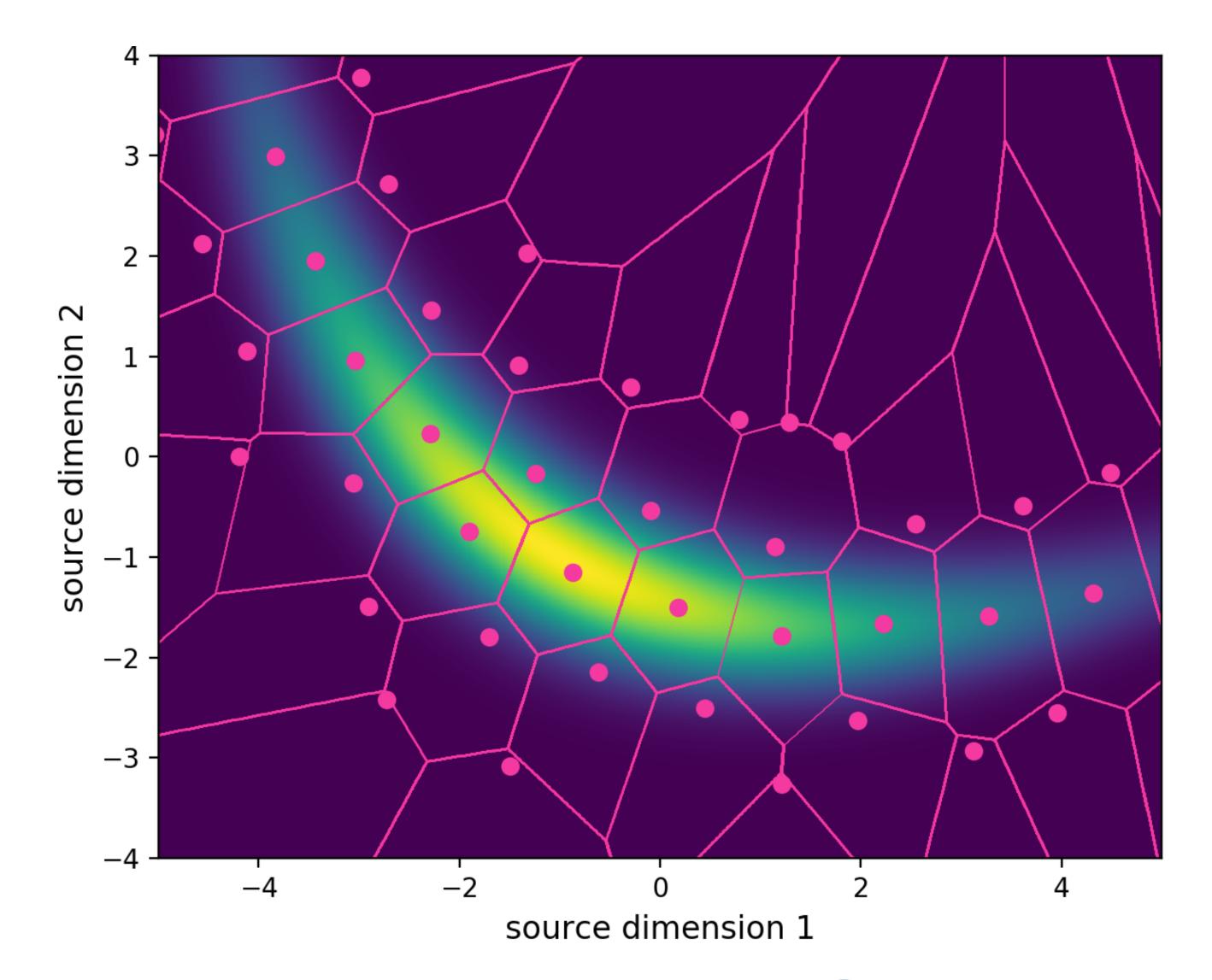
 $R + \lambda D = 6.87$

nonlinear transform coding

 $R + \lambda D = 5.97$

rate-constrained vector quantization

 $R + \lambda D = 5.95$



Progress in learned compression of natural images over the last few years

- One model for many RD-points
- Competitive in terms of PSNR
- Computational complexity
- Subjective image quality

Progress in learned compression of natural images over the last few years

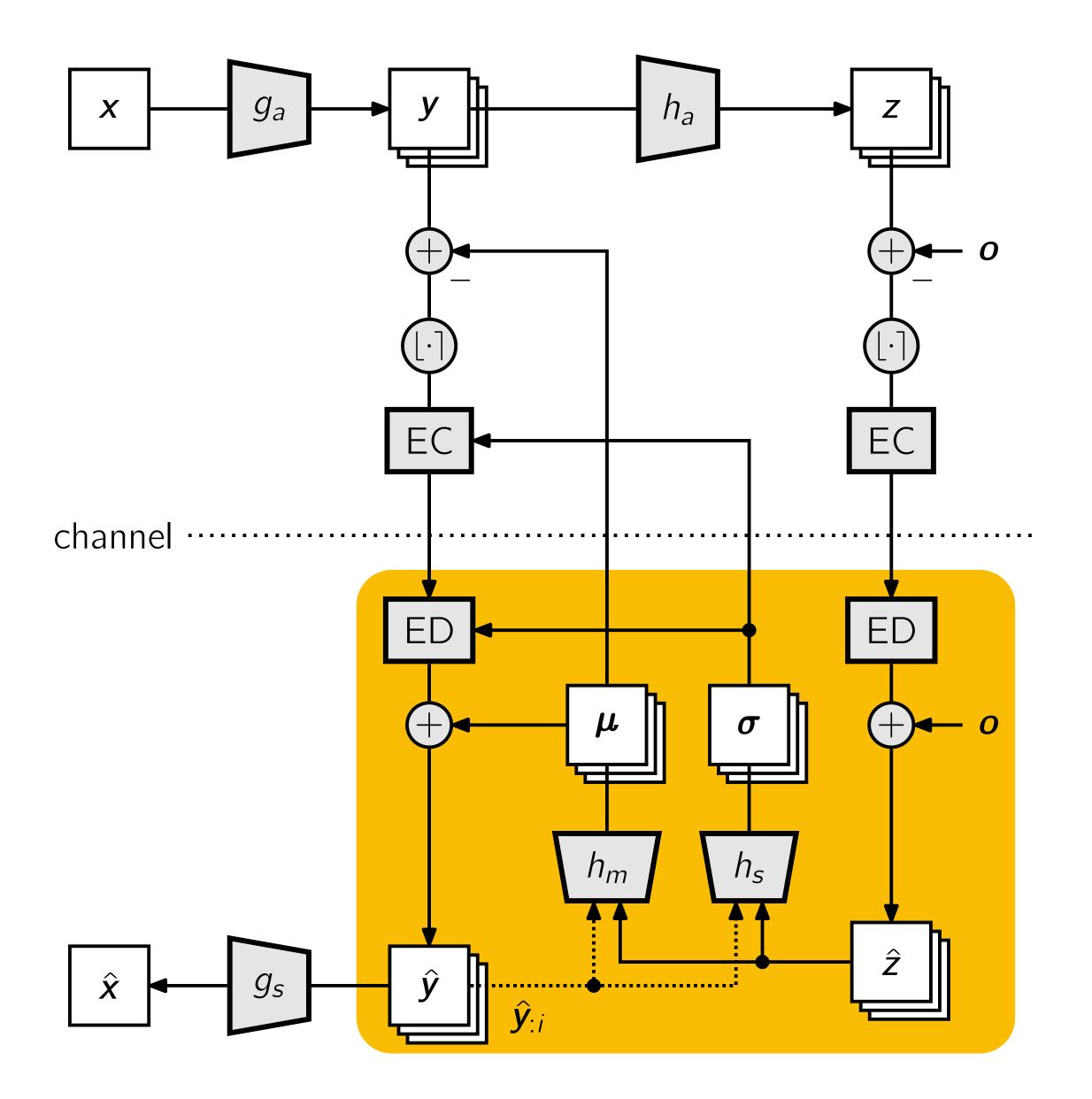
- One model for many RD-points
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Hyperprior models

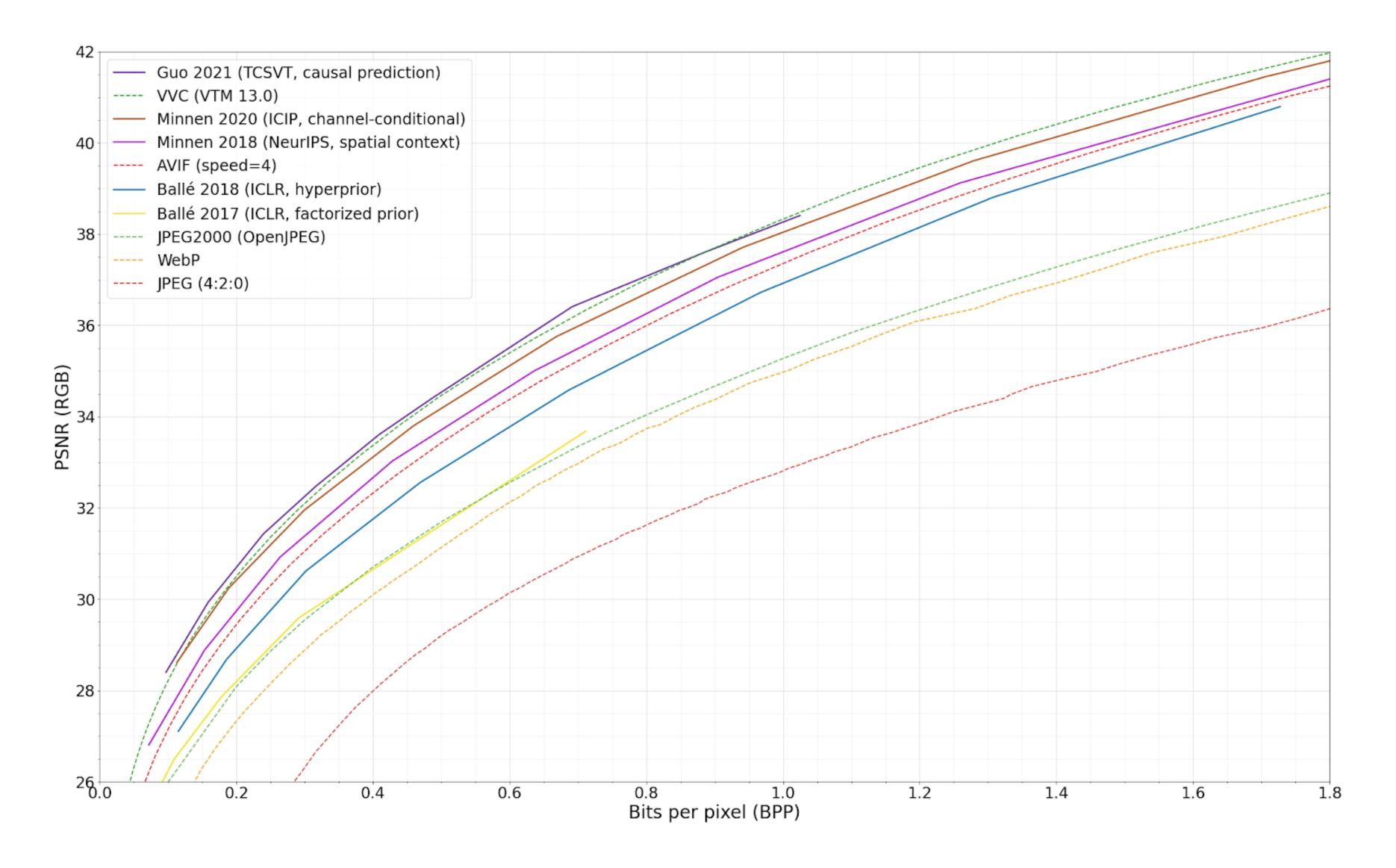
Many improvements stem from better entropy coding via a "hyperprior".

Elements across channel dimension of the latent tensor y aren't considered independent.

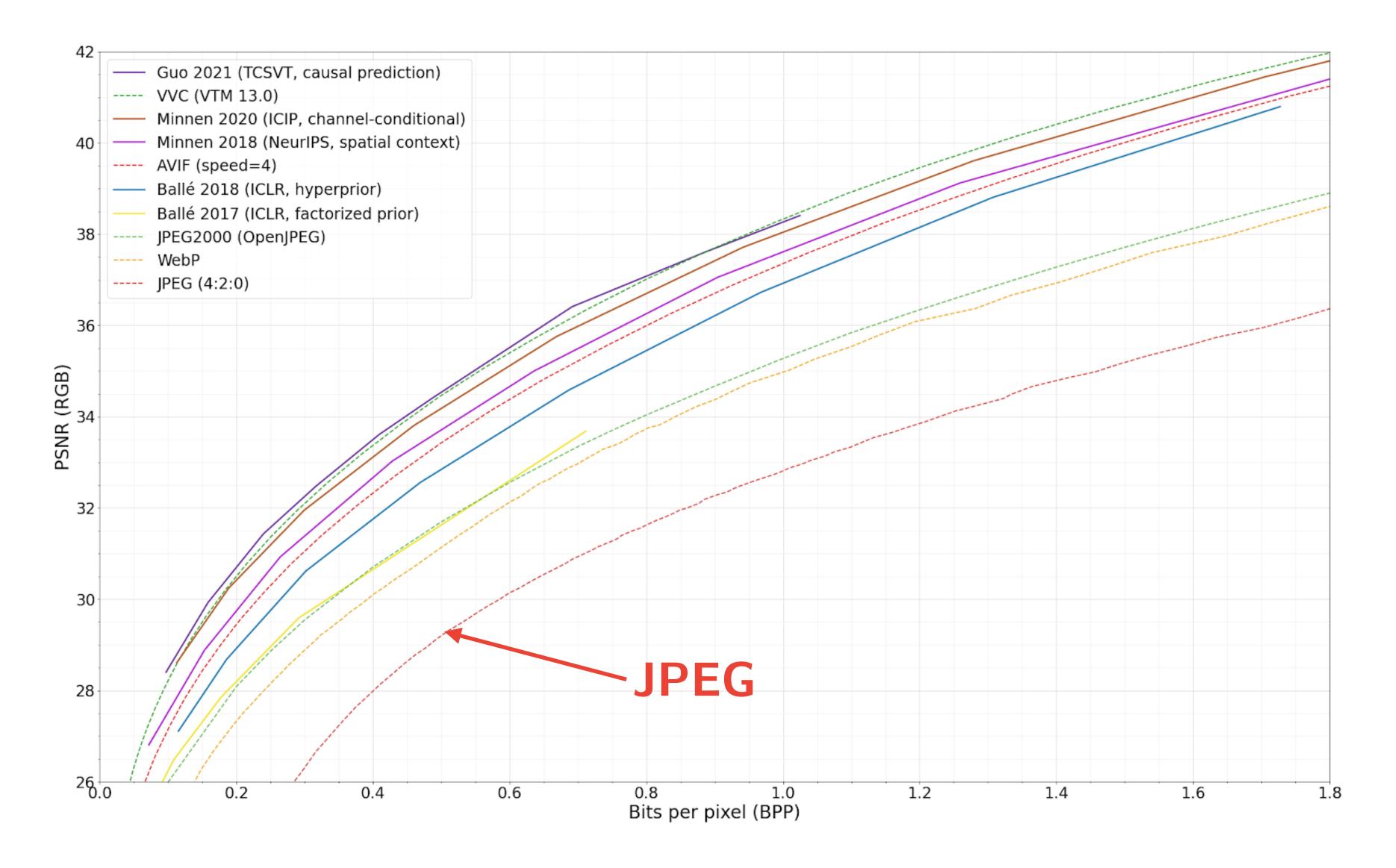
Their distribution is predicted either forward- or backward-adaptively, by a set of other neural networks (h).

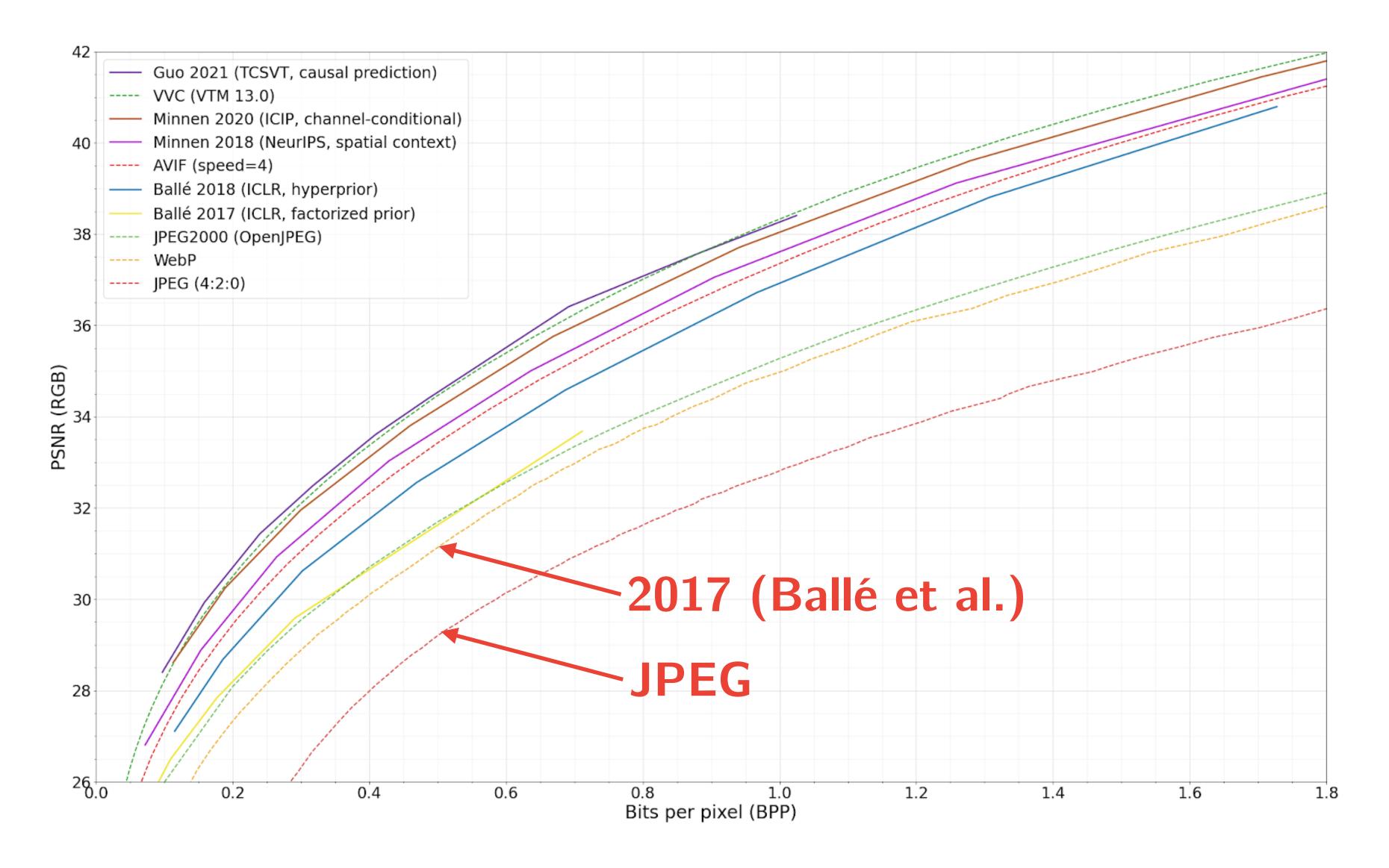


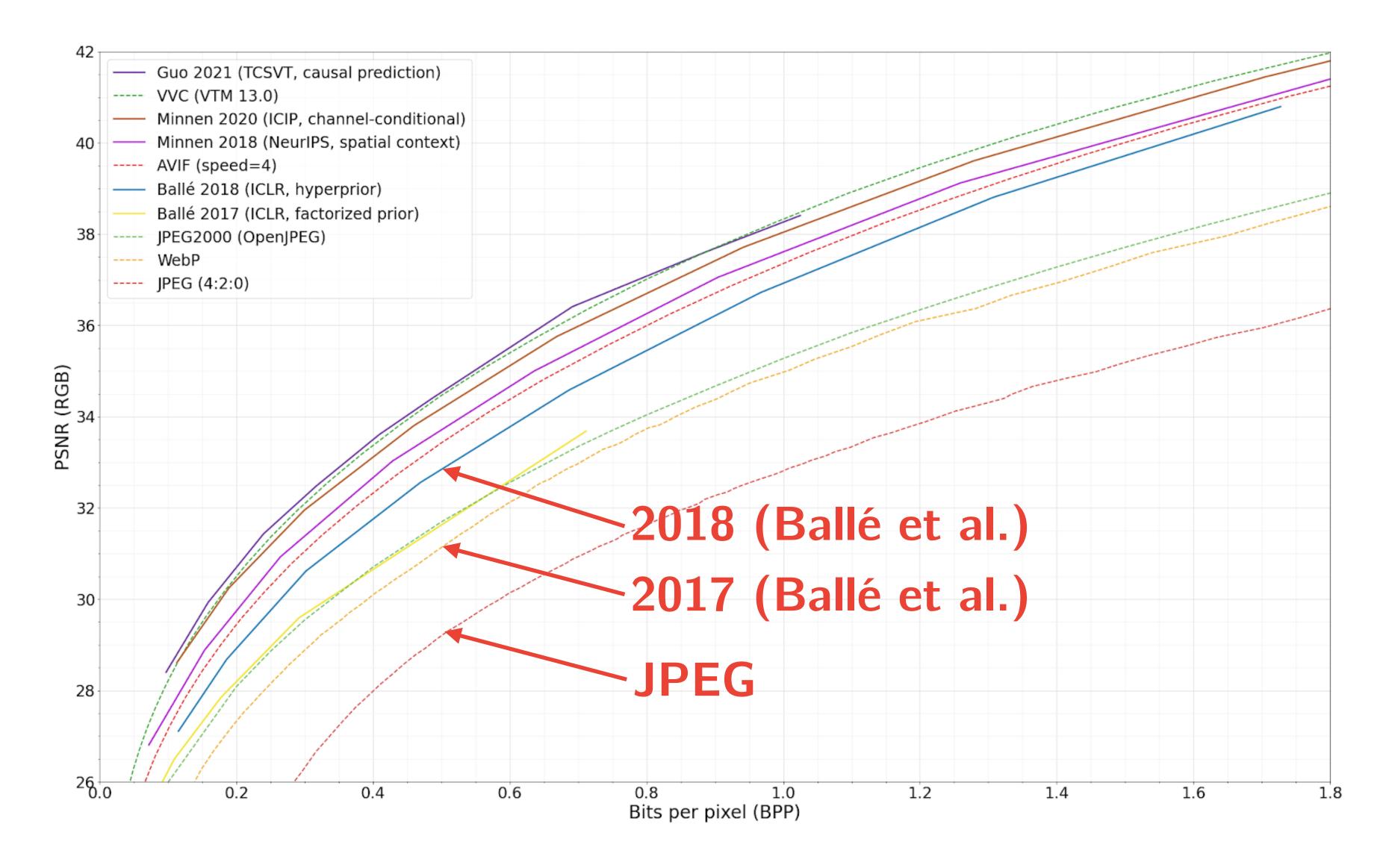
"Catching up" in terms of PSNR

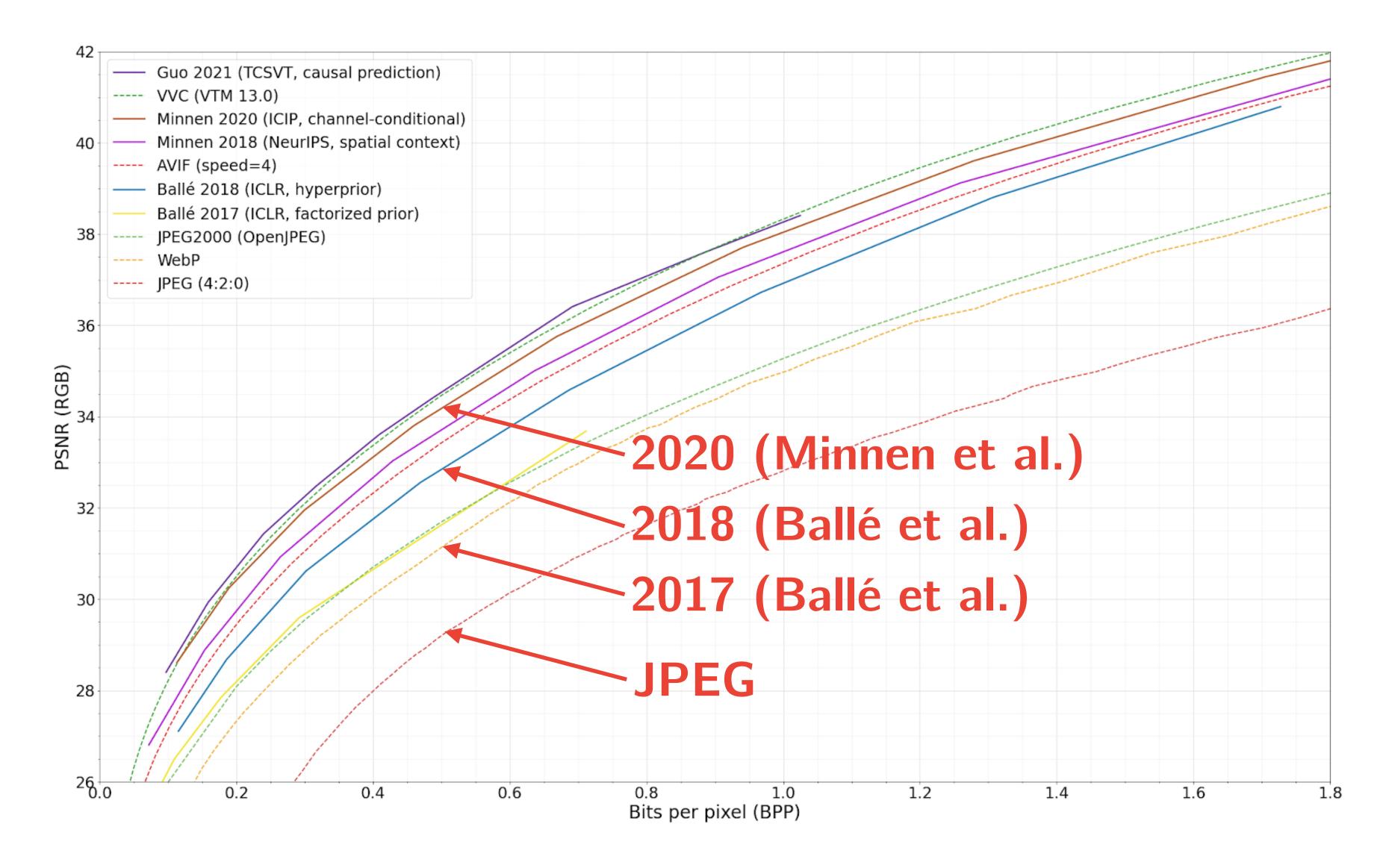


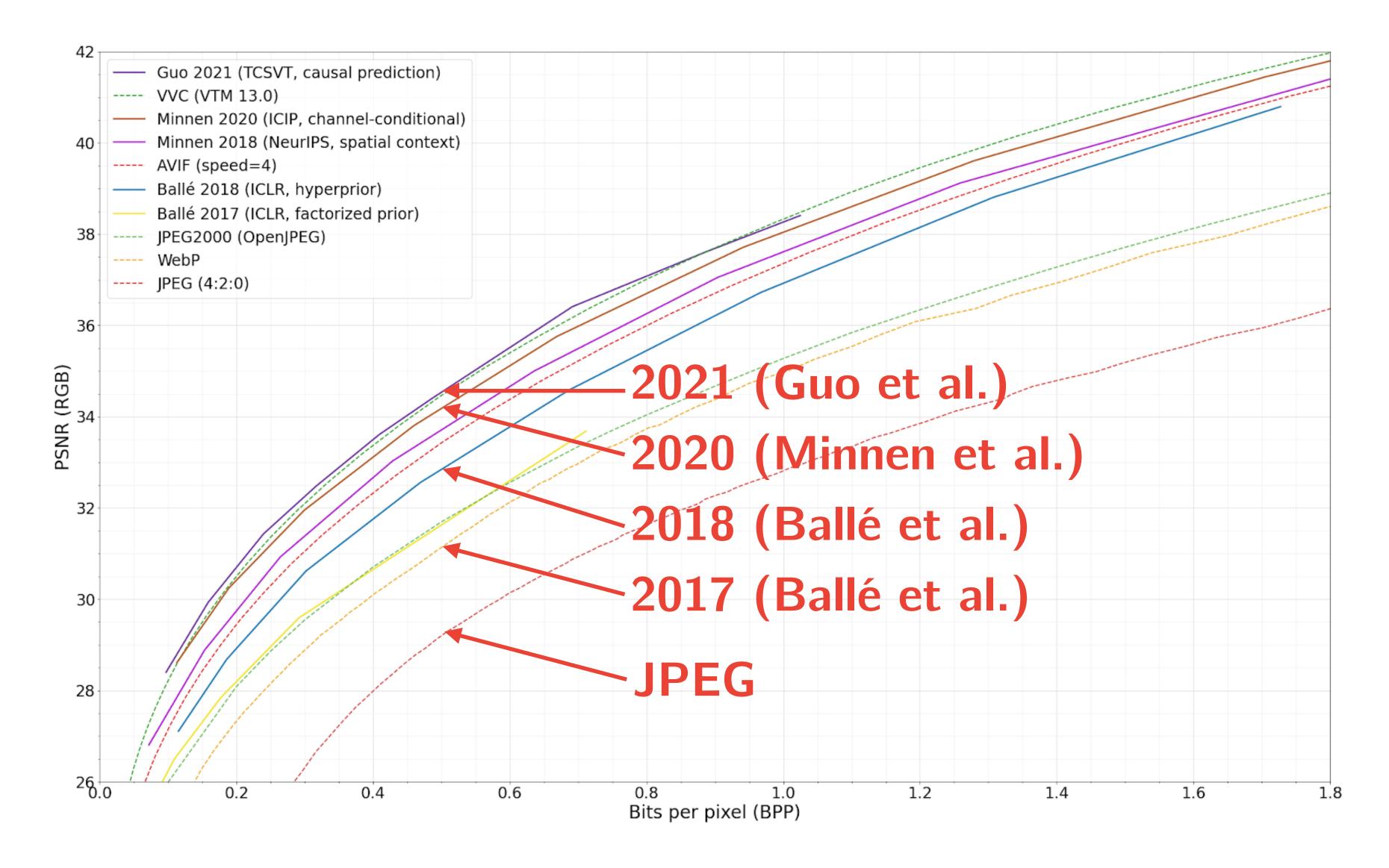
"Catching up" in terms of PSNR

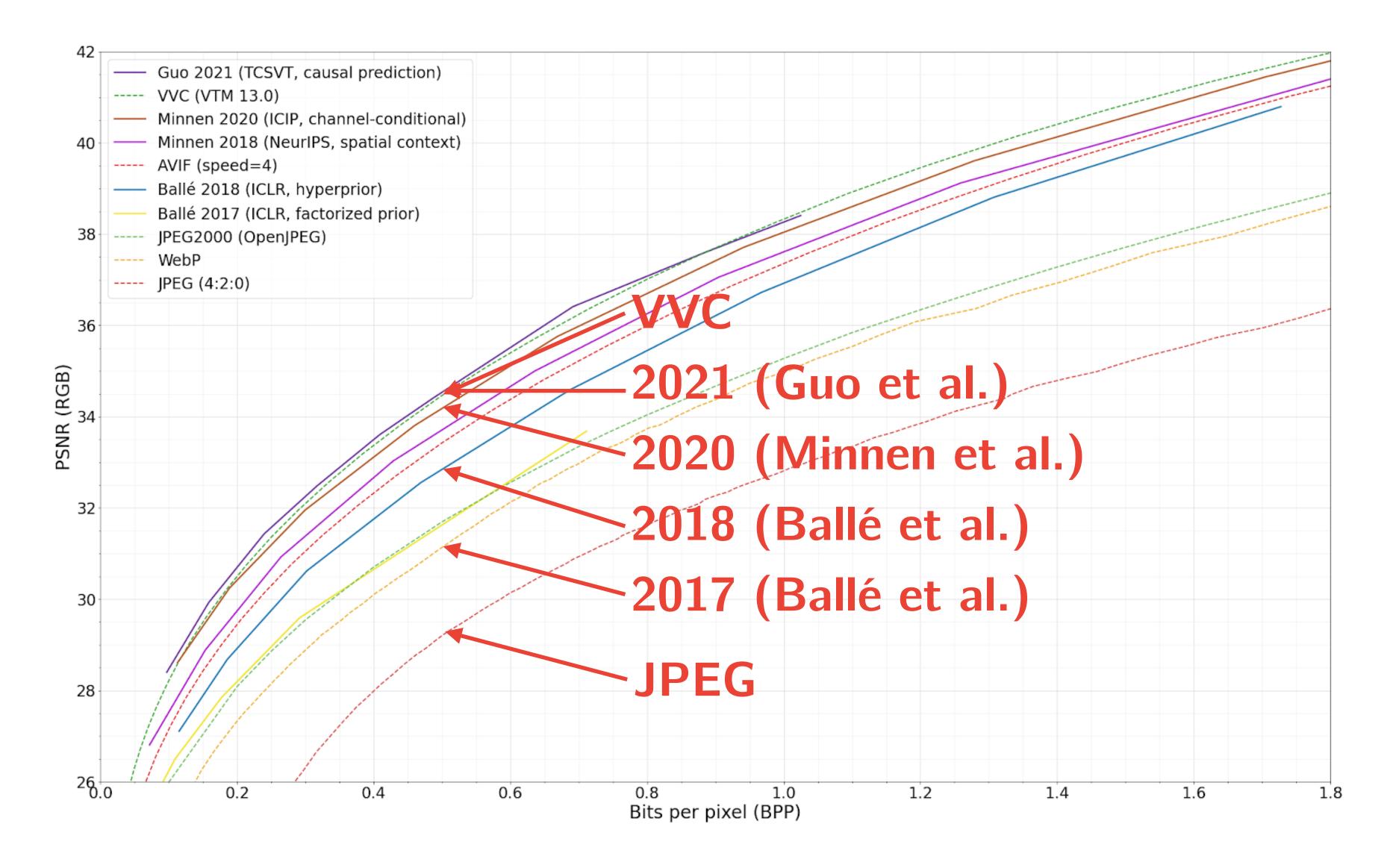






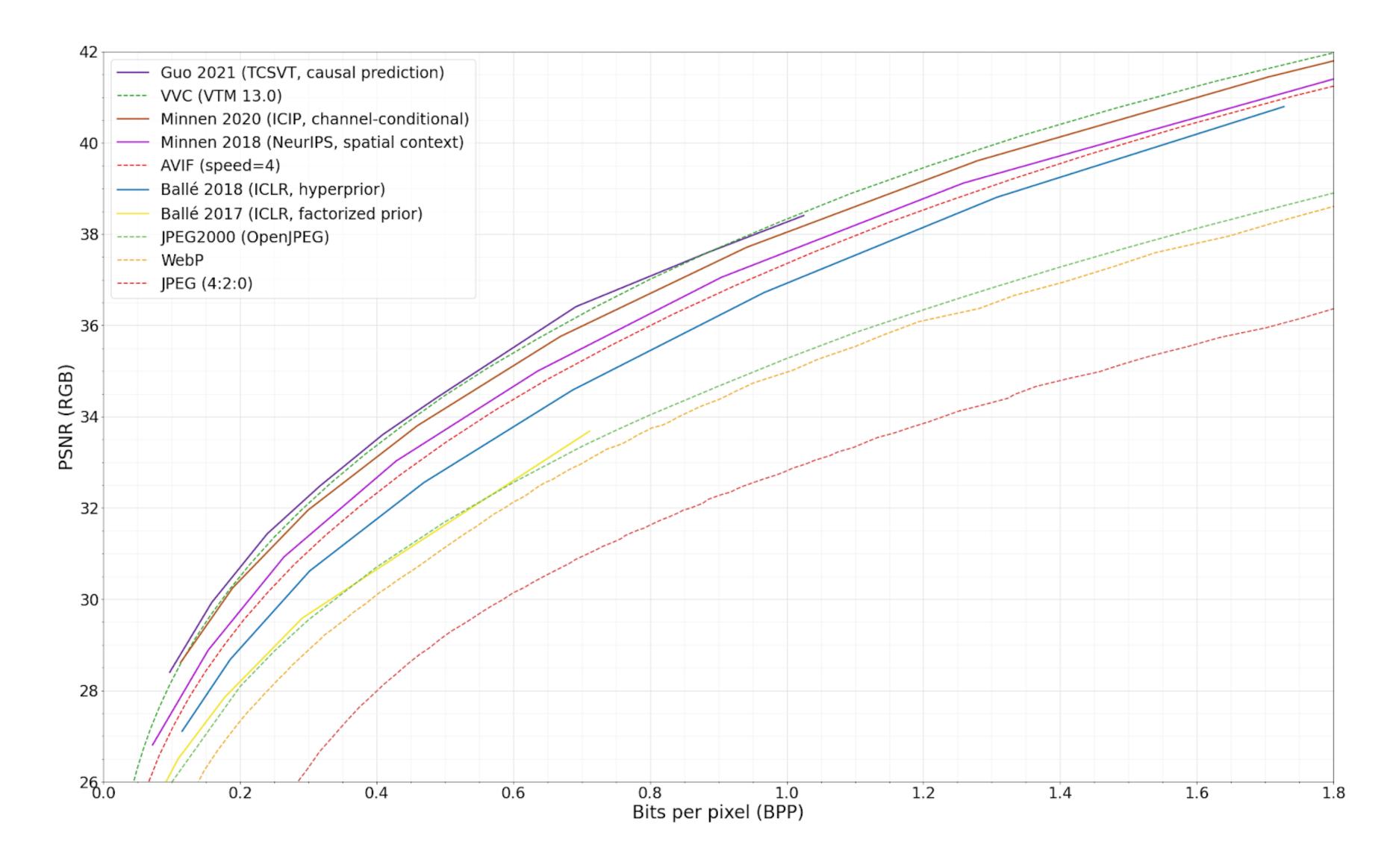


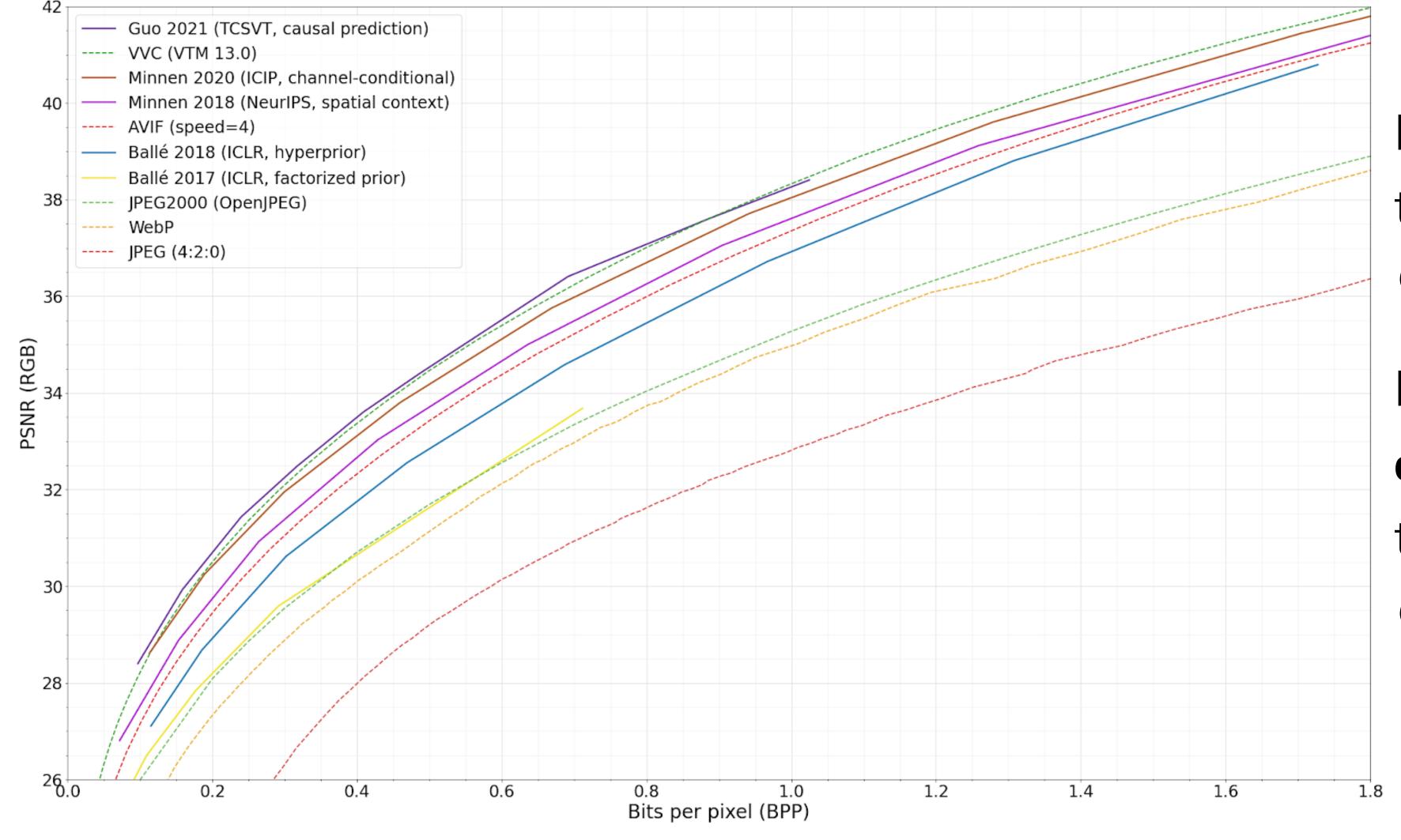




Progress in learned compression of natural images over the last few years

- One model for many RD-points
- Competitive in terms of PSNR
- Computational complexity
- Subjective image quality



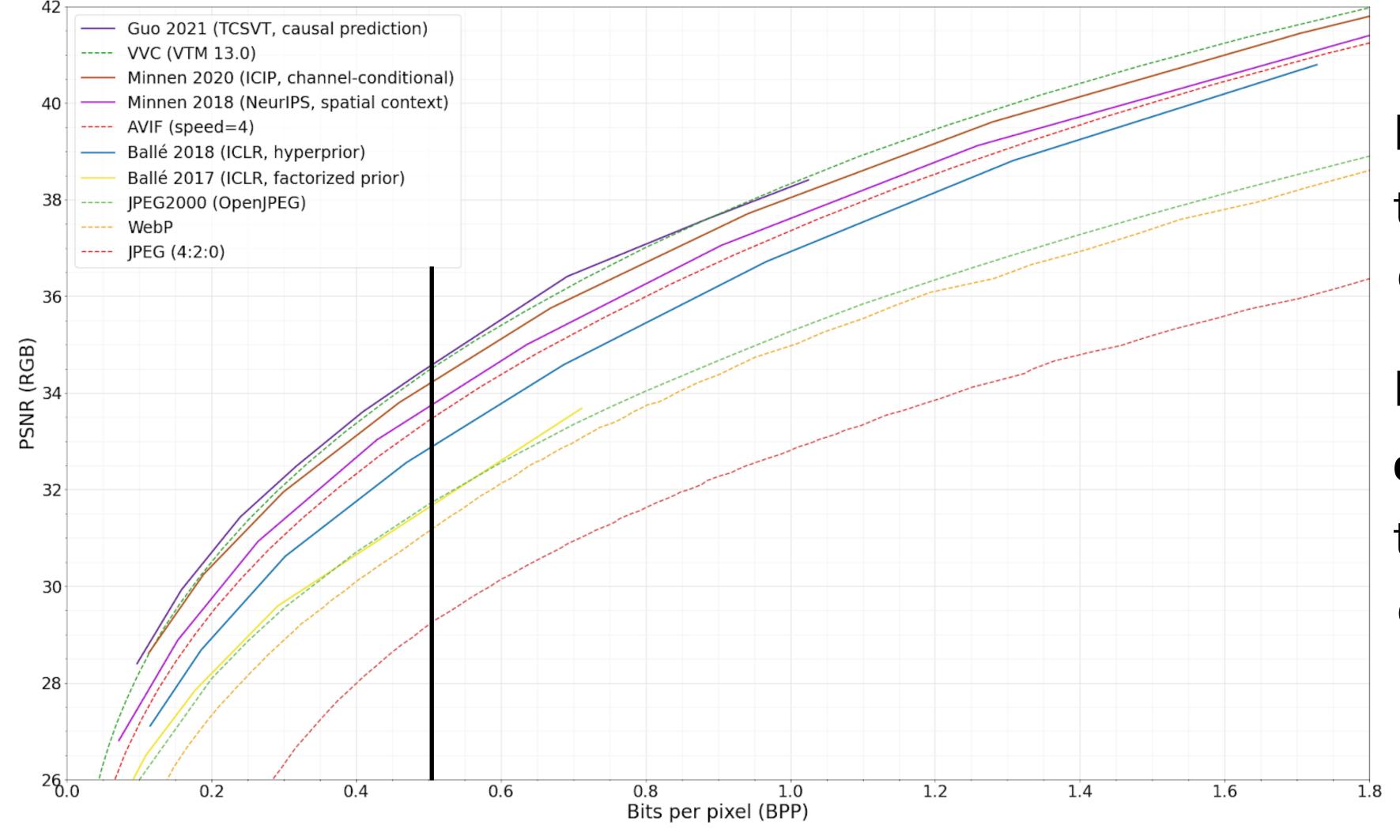


Hybrid coding:

typically O(enc) > O(dec)

Learned compression:

typically $O(\text{enc}) \approx O(\text{dec})$



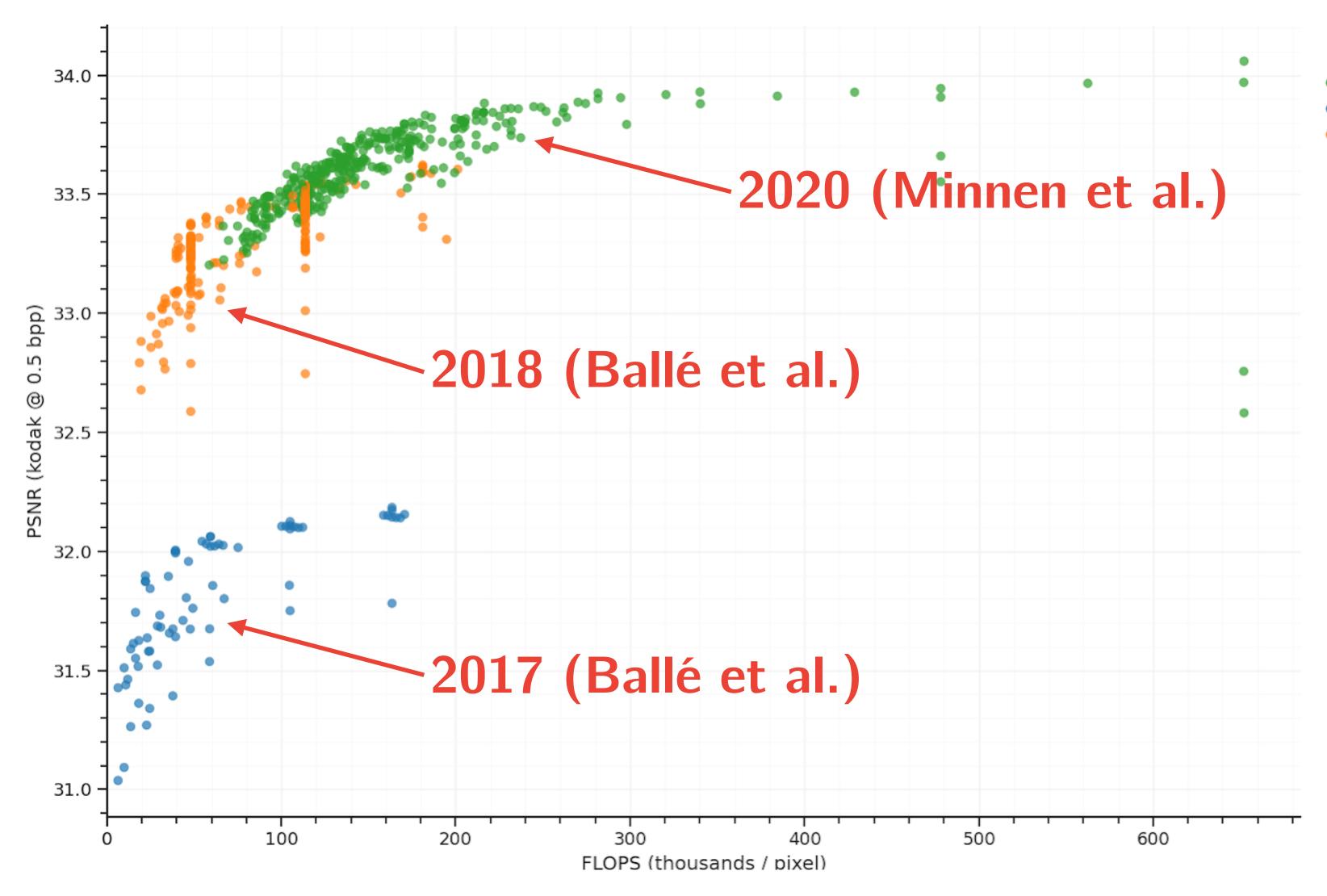
Hybrid coding:

typically O(enc) > O(dec)

Learned compression:

typically $O(\text{enc}) \approx O(\text{dec})$

Rate-distortion-complexity trade-off



Channel-Conditional

Factorized Prior

Hyperprior

More detail:

David Minnen's ICIP 2021 keynote

Progress in learned compression of natural images over the last few years

- One model for many RD-points
- Competitive in terms of PSNR
- Computational complexity
- Subjective image quality

optimized for MSE 0.129 bpp

optimized for MS-SSIM 0.129 bpp



optimized for MSE 0.129 bpp

optimized for MS-SSIM 0.129 bpp



optimized for MSE 0.129 bpp

optimized for MS-SSIM 0.129 bpp



optimized for MSE 0.194 bpp

optimized for MS-SSIM 0.187 bpp



optimized for MSE 0.194 bpp

optimized for MS-SSIM 0.187 bpp



optimized for MSE 0.194 bpp

optimized for MS-SSIM 0.187 bpp



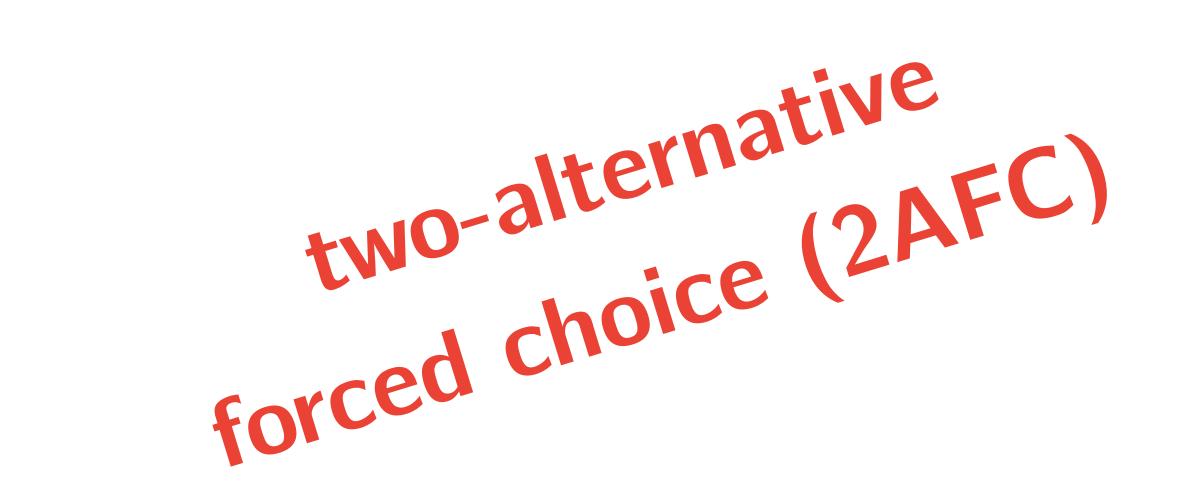
Observation:

- Rate allocation decisions are "amortized" into the networks: They learn to distribute bits where they are most needed.
- Explicit control of bitrate allocation during compression is not necessary.
- Distortion metric does not need to be evaluated "in the loop".

We can use a lot more sophisticated perceptual models than before!

- Does the image look realistic?
- Do the two images look identical?
- How realistic does the image look?
- How bad is the image degraded compared to the original?

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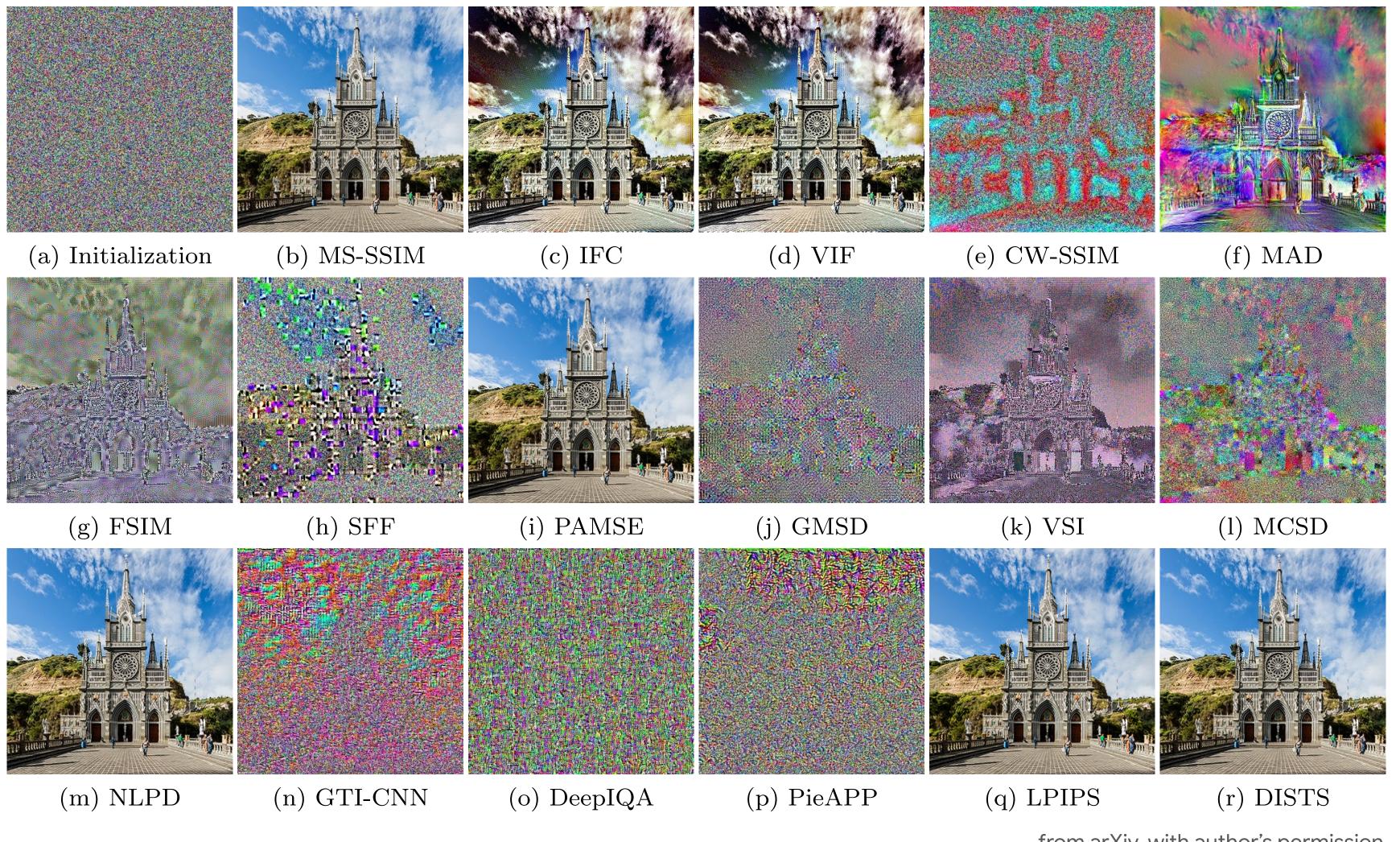


Part II Distortion

What do we need from a distortion metric?

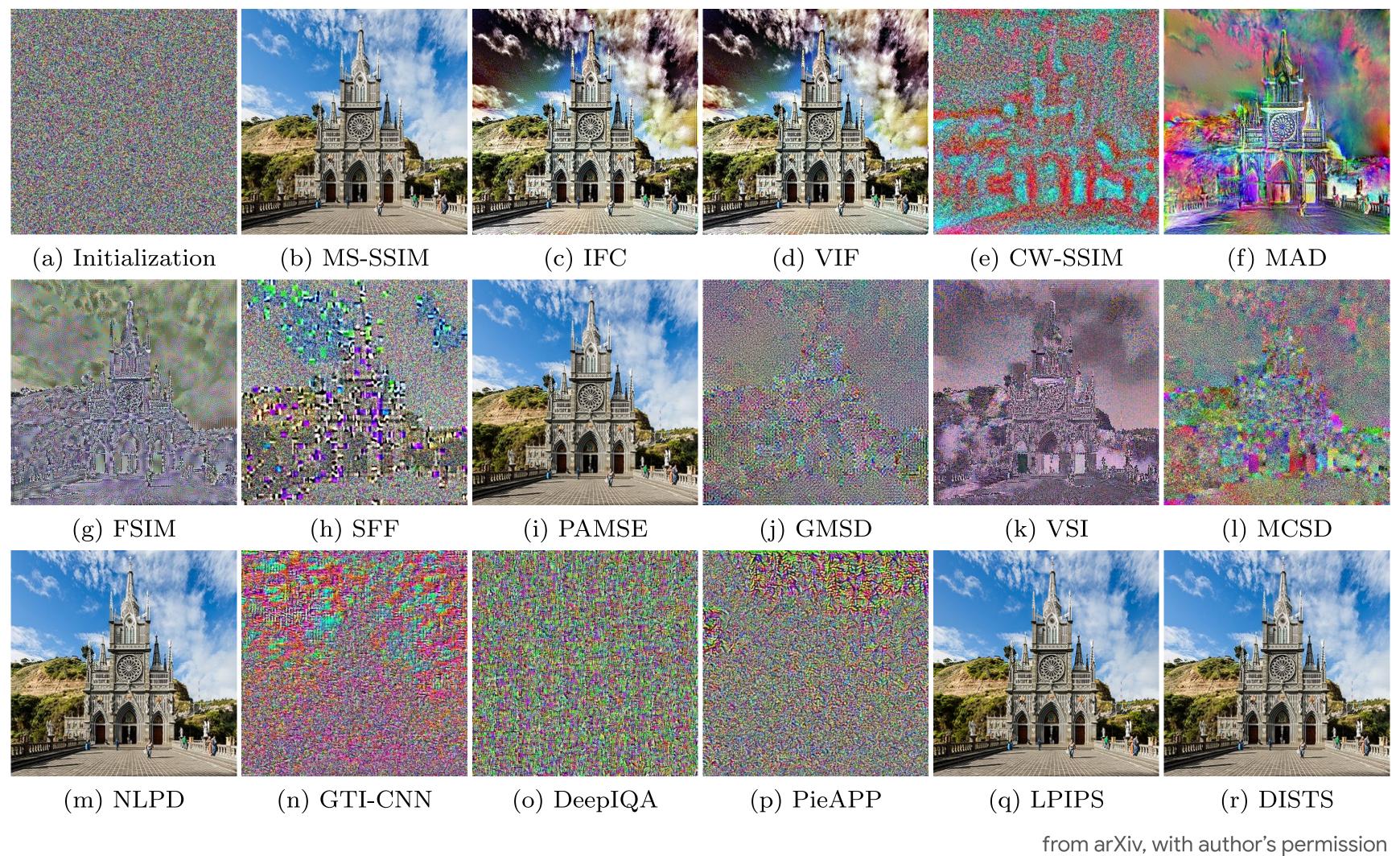
- Highly predictive of human ratings
- Differentiable and well-defined (e.g., $d(\mathbf{x}, \mathbf{x}) = 0$)
- Generalize well across types of images and types of distortions

Some distortion metrics have "blind spots"



from arXiv, with author's permission

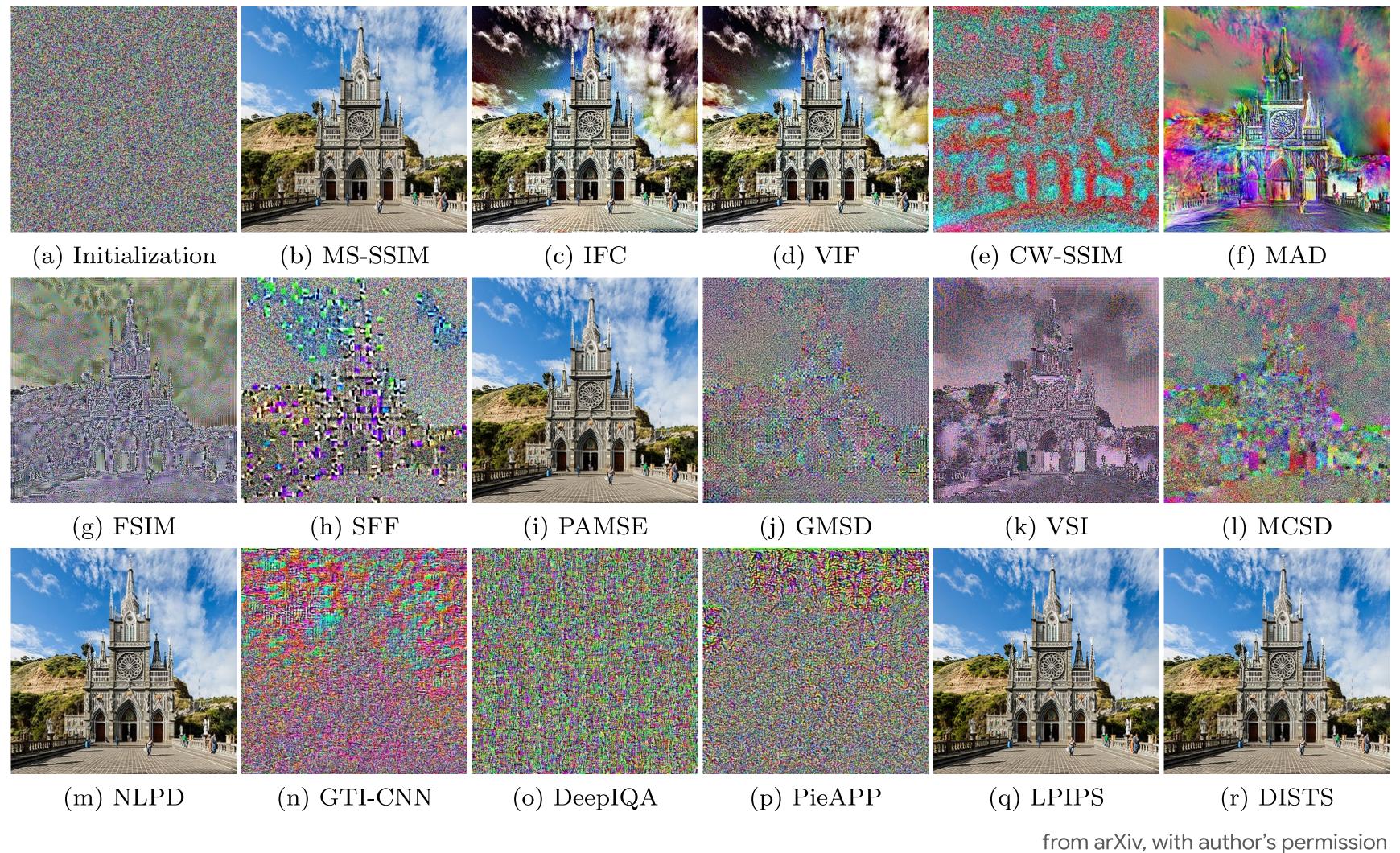
Some distortion metrics have "blind spots"



Experiment:

Initialize \hat{x} to noise

Some distortion metrics have "blind spots"



Experiment:

- Initialize \hat{x} to noise
- 2. Minimize $d(\mathbf{x}, \hat{\mathbf{x}})$ over $\hat{\mathbf{x}}$

Optimizable metrics need to generalize better

What does it mean to "generalize"?

For quality assessment, we evaluate the metric on a joint distribution:

$$p(\mathbf{x}, \hat{\mathbf{x}}) = p(\mathbf{x}) p(\hat{\mathbf{x}}|\mathbf{x})$$

natural image distribution distribution of compression artifacts

• For training a compression model, we evaluate the metric on a potentially much larger domain (and also need to take derivatives there).

Even worse: IQA datasets have blind spots, too

TID, LIVE, CSIQ, etc.: calibrated, but typically no structural distortions

BAPPS: crowd-sourced patch ratings including structural distortions



https://github.com/richzhang/PerceptualSimilarity, BSD license

What do we need from a distortion metric?

- Highly predictive of human ratings
- Differentiable and well-defined (e.g., $d(\mathbf{x}, \mathbf{x}) = 0$)
- Generalize well across types of images and types of distortions



 Neural networks can and will "cheat", because they are less constrained in what types of artifacts they can produce.

Part III Realism

No-reference metrics, reinterpreted

Idealized "critic" T uses likelihood ratio between natural image distribution and distribution of reconstructions:

$$T(\mathbf{x}) = f'\left(\frac{p_{\mathbf{x}}(\mathbf{x})}{p_{\hat{\mathbf{x}}}(\mathbf{x})}\right)$$

In contrast to distortion, the critic "learns" a model of the distribution of artifacts.

Many no-reference metrics are in fact specialized to detect a particular source of artifacts — same generalization problem here.

No-reference metrics, reinterpreted

Idealized "critic" T uses likelihood ratio between natural image distribution and distribution of reconstructions:

$$T(\mathbf{x}) = f'\left(\frac{p_{\mathbf{x}}(\mathbf{x})}{p_{\hat{\mathbf{x}}}(\mathbf{x})}\right)$$

GANs generate realistic images by playing an "adversarial" optimization game between a critic and a generator.

The generator learns to produce images that fool the critic, while the critic learns to classify images into "real or fake".

No-reference metrics, reinterpreted

Taking the expectation, we can define realism as an f-divergence between the two distributions:

$$D_f = \mathbb{E}_{\mathbf{x} \sim p_{\hat{\mathbf{x}}}} f \left(\frac{p_{\mathbf{x}}(\mathbf{x})}{p_{\hat{\mathbf{x}}}(\mathbf{x})} \right)$$

For example, for $f(r) = r \log r$, we recover the Kullback–Leibler divergence.

Adding an "adversarial loss" to the training of a compression model is one way to achieve better realism.

Nowozin et al. (NeurIPS, 2016) Blau & Michaeli (CVPR, 2019)

Distortion and realism are at odds with each other



original



Ubaid kareem, CC BY-SA, Wik. Cmns.

Blau & Michaeli (CVPR, 2019) *authors use the term "perception" for realism

original



Ubaid kareem, CC BY-SA, Wik. Cmns.

reconstruction optimized for:

rate + distortion



distortion: great

realism: bad

Blau & Michaeli (CVPR, 2019) *authors use the term "perception" for realism

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clairity, CC BY, flickr.com

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original



<u>Ubaid kareem</u>, CC BY-SA, Wik. Cmns.

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distortion: great

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rate + realism



clairity, CC BY, flickr.com

distortion: bad

realism: great

rate + dist. + real.



distortion: good

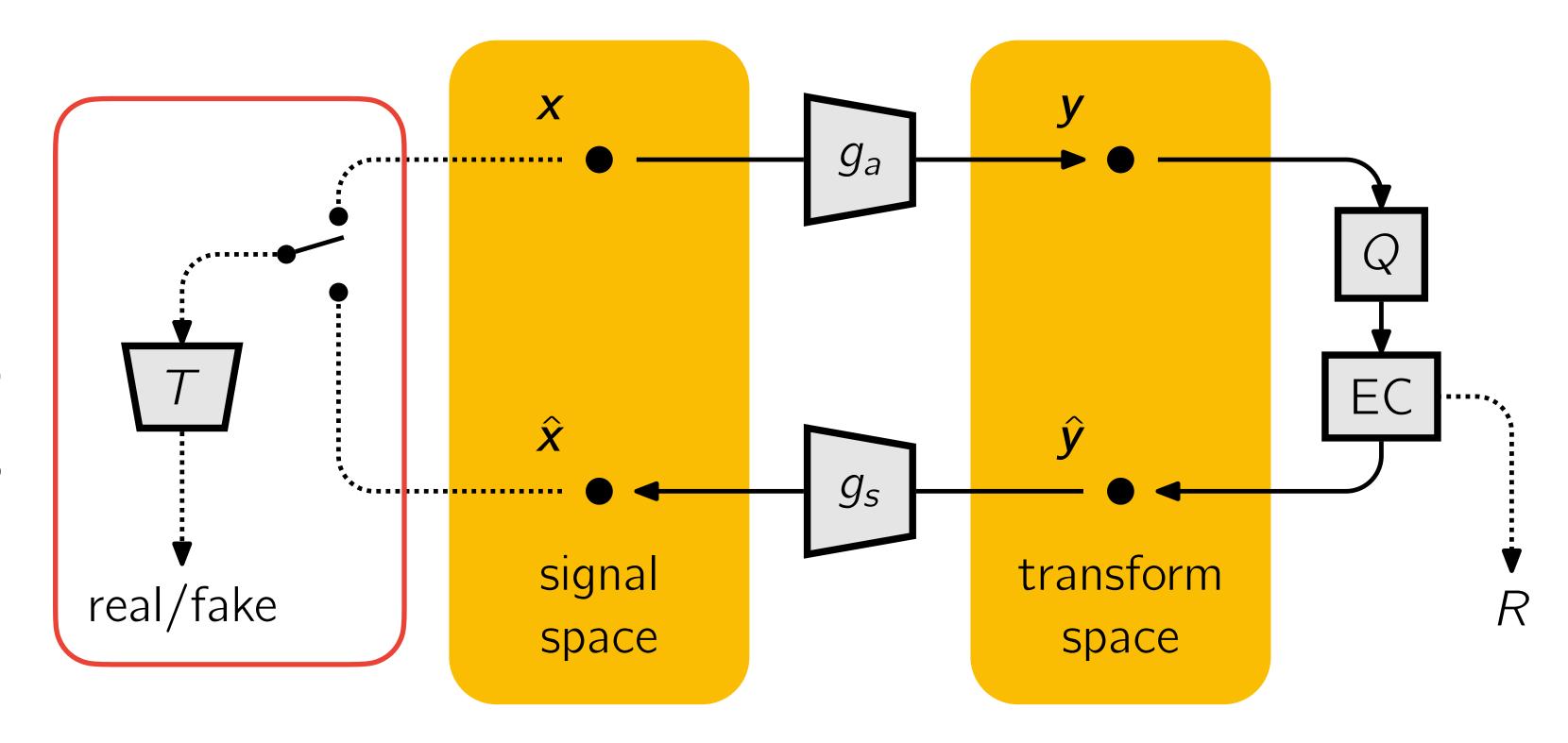
realism: good

Blau & Michaeli (CVPR, 2019)

^{*}authors use the term "perception" for realism

Improving realism with adversarial losses

adversarial loss, in addition to distortion loss

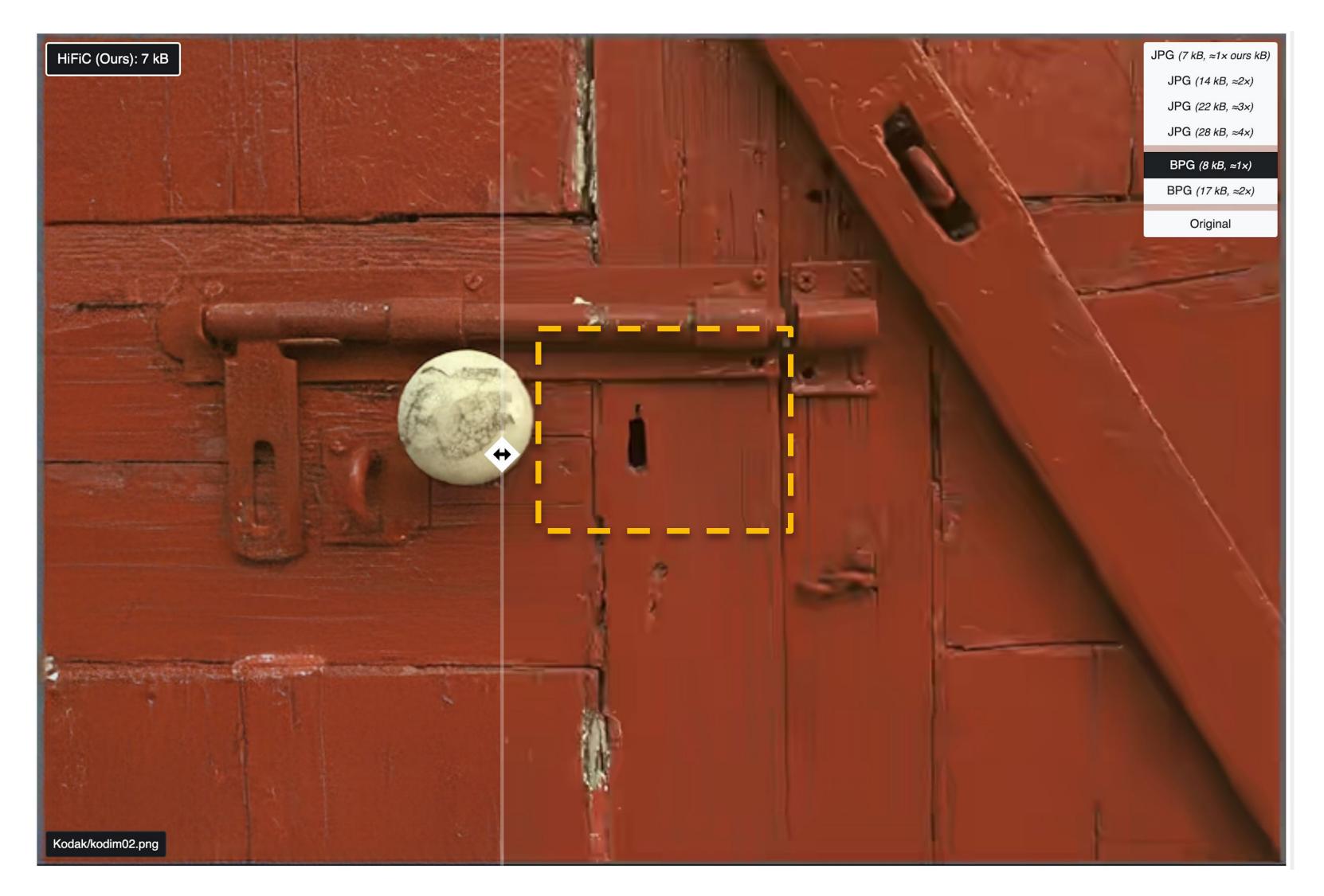


$$L = \mathbb{E} \left[-\log_2 p(\tilde{\mathbf{y}}) \right] + \lambda \, \mathbb{E} \left[d(\mathbf{x}, \tilde{\mathbf{x}}) \right] + \kappa \, \tilde{D}_f$$
rate distortion realism

HiFiC model

Larger synthesis transform network

Uses a distortion loss of MSE + LPIPS and a conditional patchlevel critic



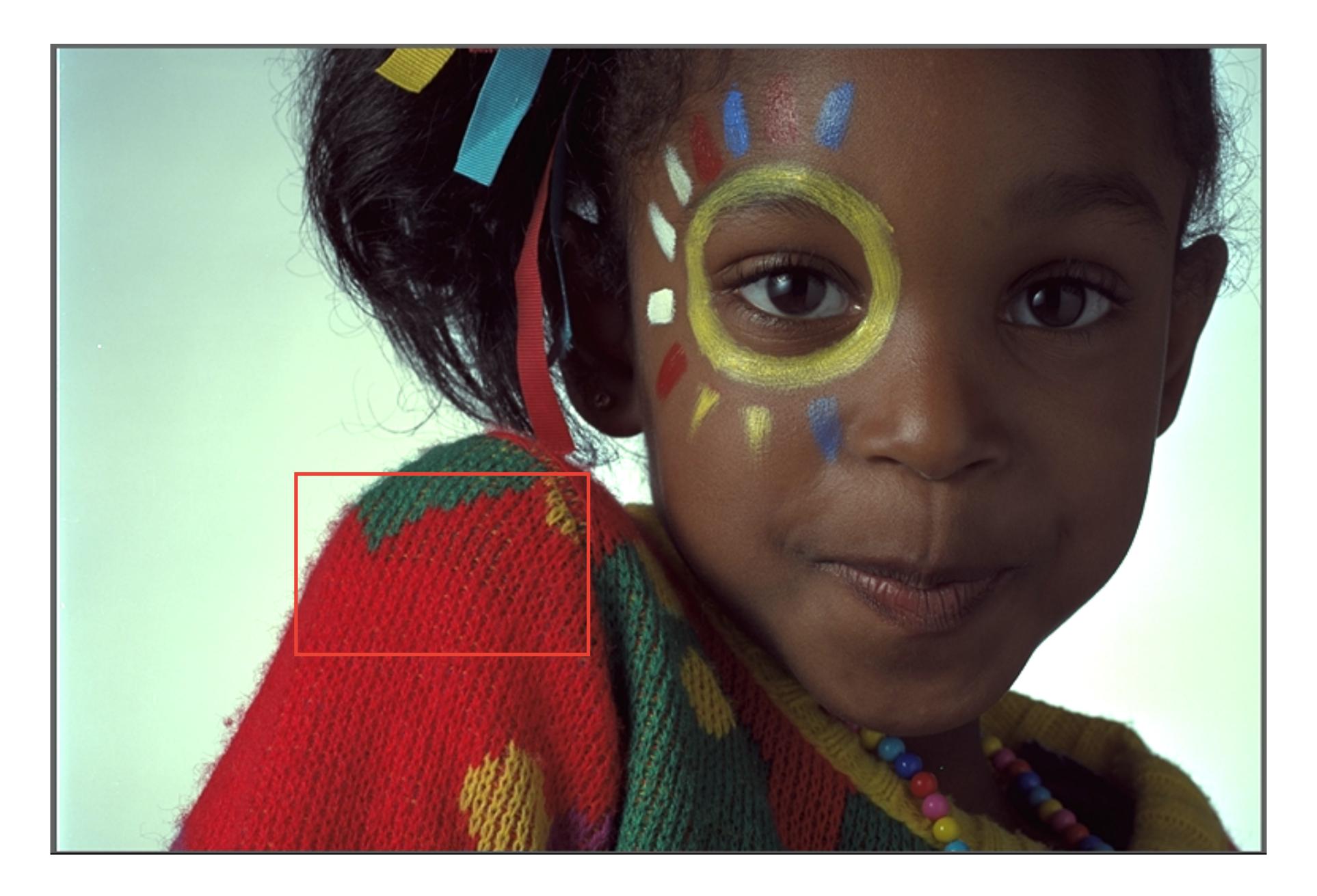
Interactive demo @ hific.github.io











Original



HiFiC @7kB



Mentzer et al. (NeurIPS, 2020)

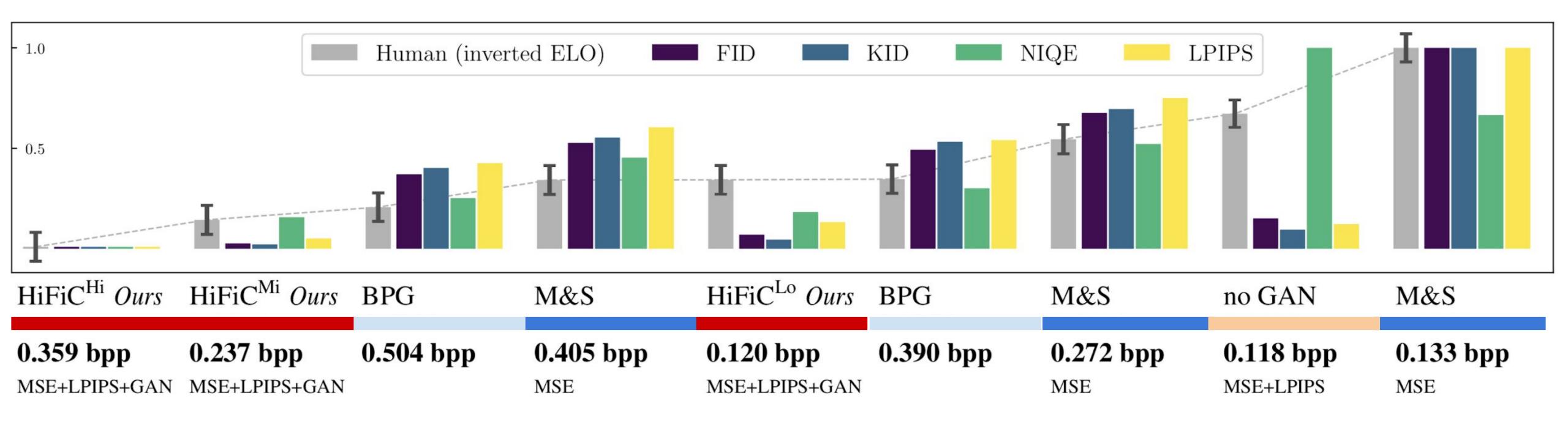
BPG @8kB



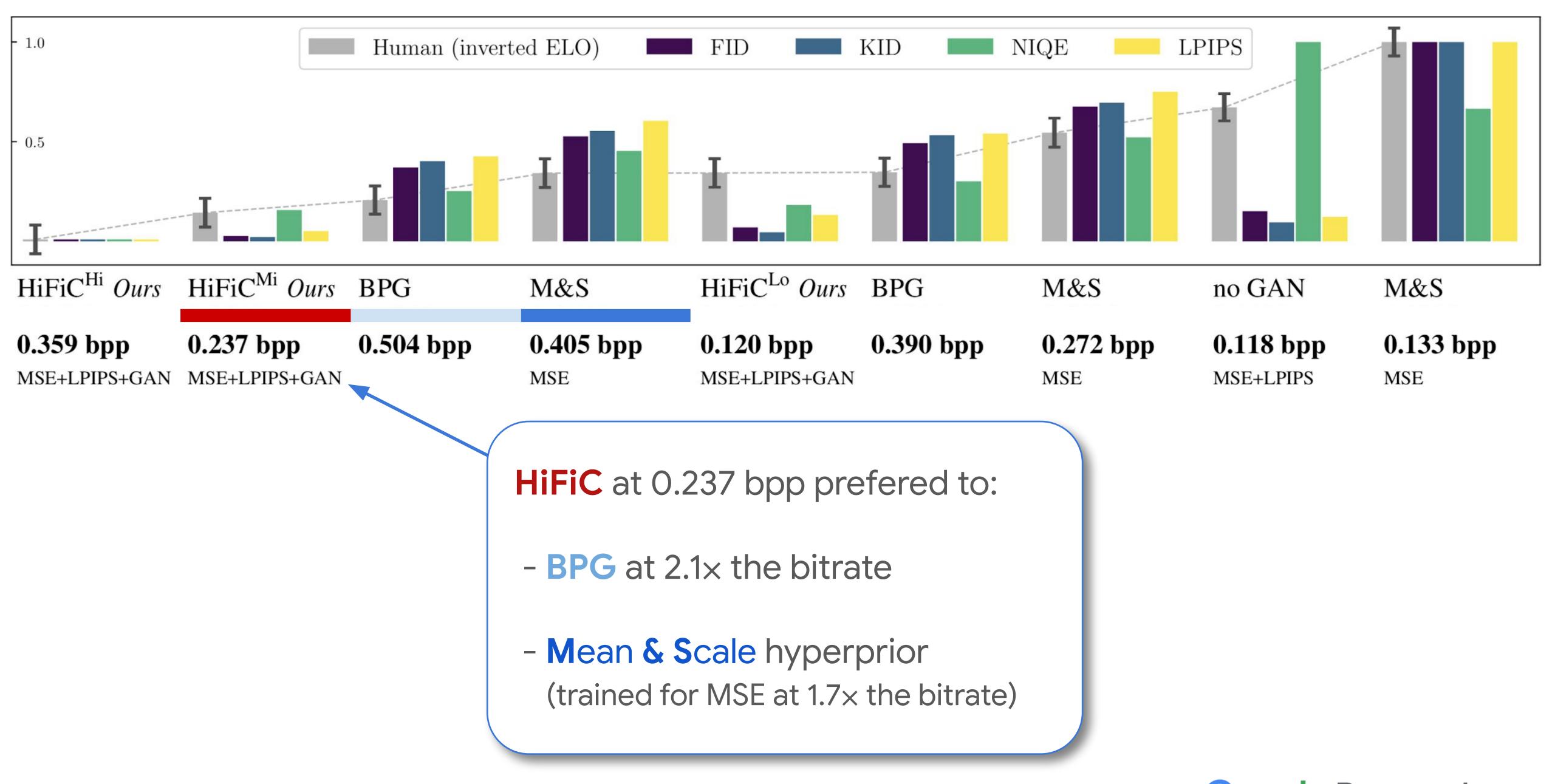
BPG @15kB

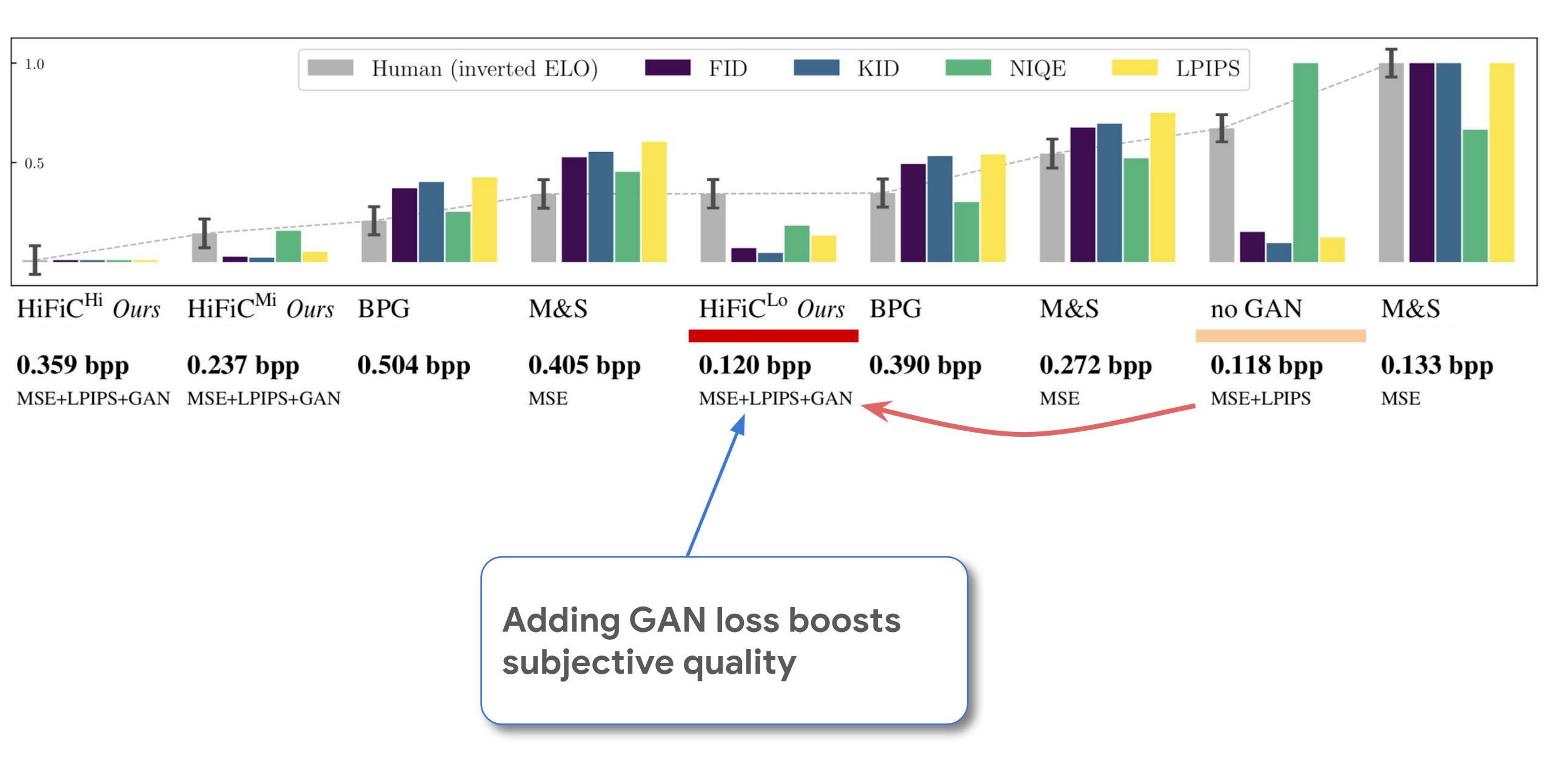


Google Research 49



Lower is better for all metrics





HiFiC Failure Cases: small faces





Optimizing for realism helps, but isn't enough

(Other ANN-based techniques have been developed to reproduce the natural image distribution better, such as diffusion processes.)

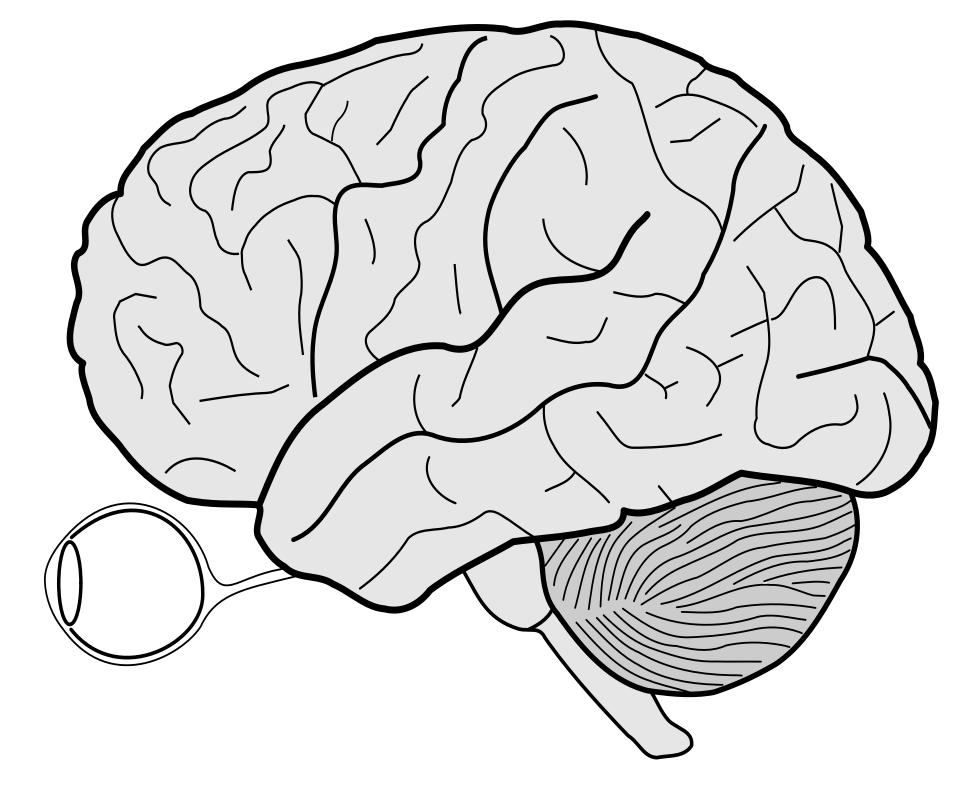
Many such models are applied to "patch of pixels" representation, hence aim to produce matching pixel-level distributions.

However, matching pixel distributions may not be ideal, since pixel representations don't take into account human perception (e.g. sensitivity to faces, text).

Part IV

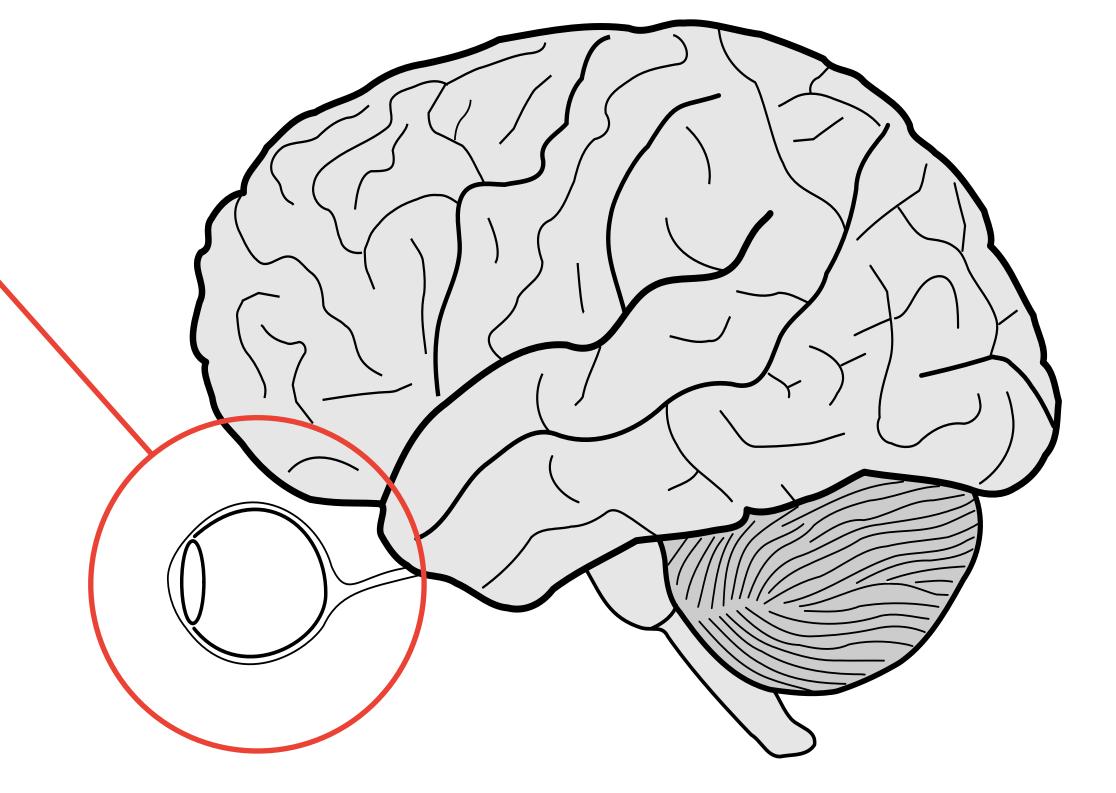
Perceptual Spaces

- via physiological constraints (e.g. by the type and distribution of photoreceptors in the eye)
- by pre-attentive processing (e.g. spatial/ temporal masking effects)
- or even cognitively (e.g. attention)



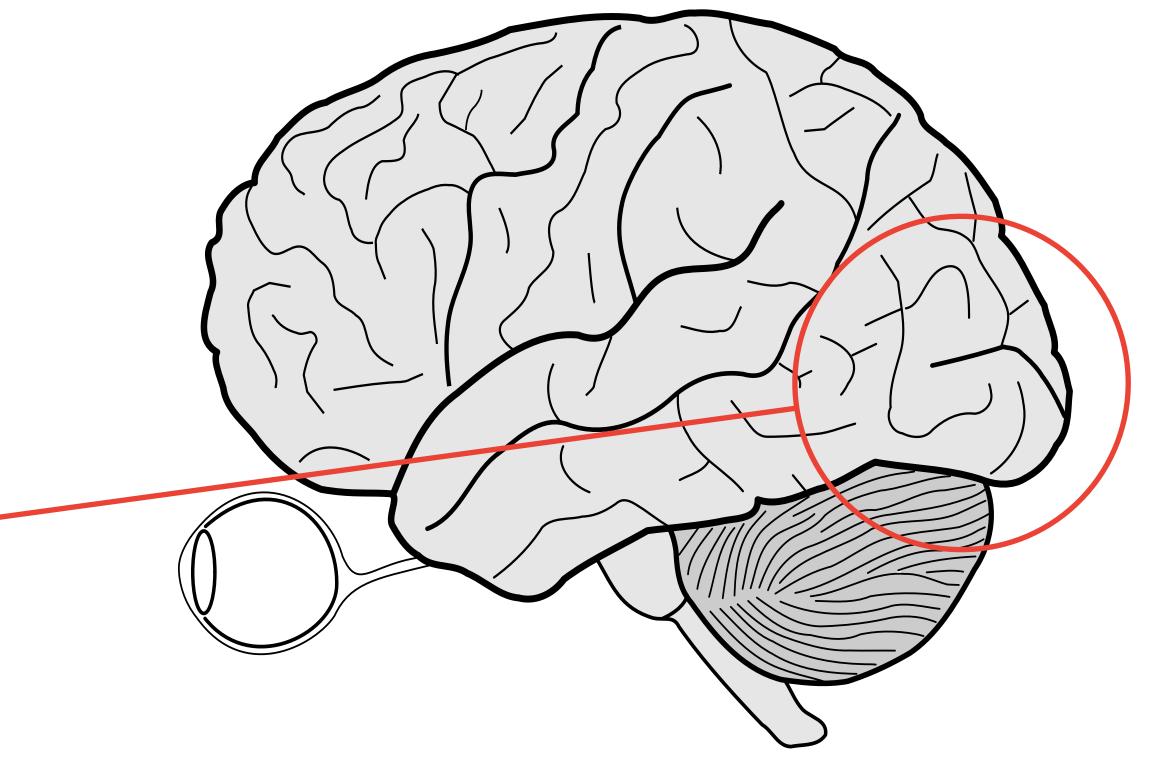
Hankem, Public Domain, via Wikimedia Commons

- via physiological constraints (e.g. by the type and distribution of photoreceptors in the eye)
- by pre-attentive processing (e.g. spatial/ temporal masking effects)
- or even cognitively (e.g. attention)



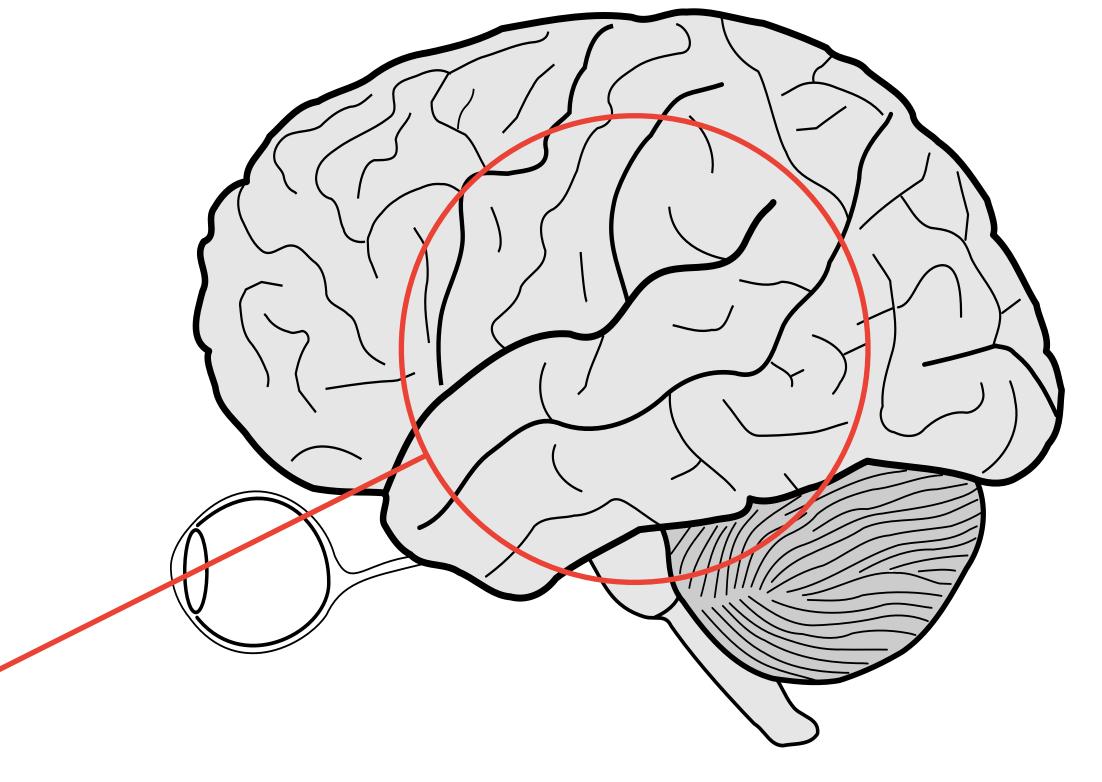
Hankem, Public Domain, via Wikimedia Commons

- via physiological constraints (e.g. by the type and distribution of photoreceptors in the eye)
- by pre-attentive processing (e.g. spatial/ temporal masking effects)
- or even cognitively (e.g. attention)



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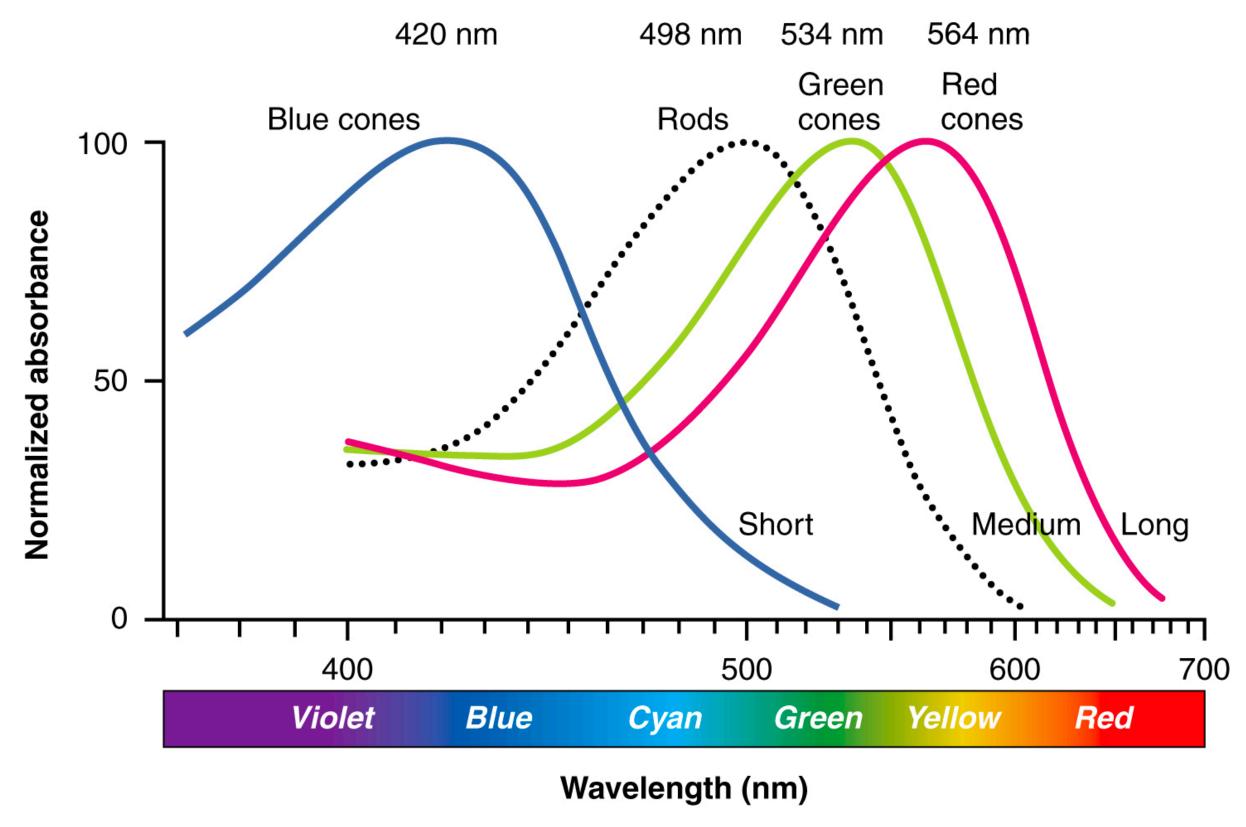
Hankem, Public Domain, via Wikimedia Commons

Low-level example

Infinite mixture of wavelengths of light hits three different types of retinal photoreceptors.

Many different spectral power distributions all appear as the same color (metamer).

Easy to forget about, since it is already "baked in" to illumination, display, and camera tech!



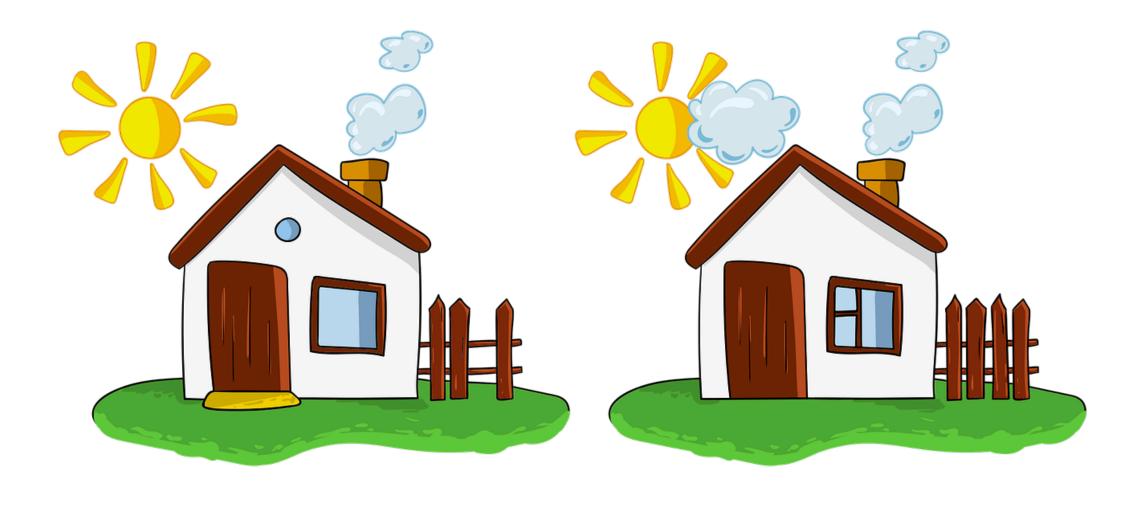
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High-level example

Cognitive processes, such as solving a given task, can affect perception.

For example, recognizing the differences in the cartoon on the right depends on where we direct our attention.



Dmitry Abramov, via Pixabay

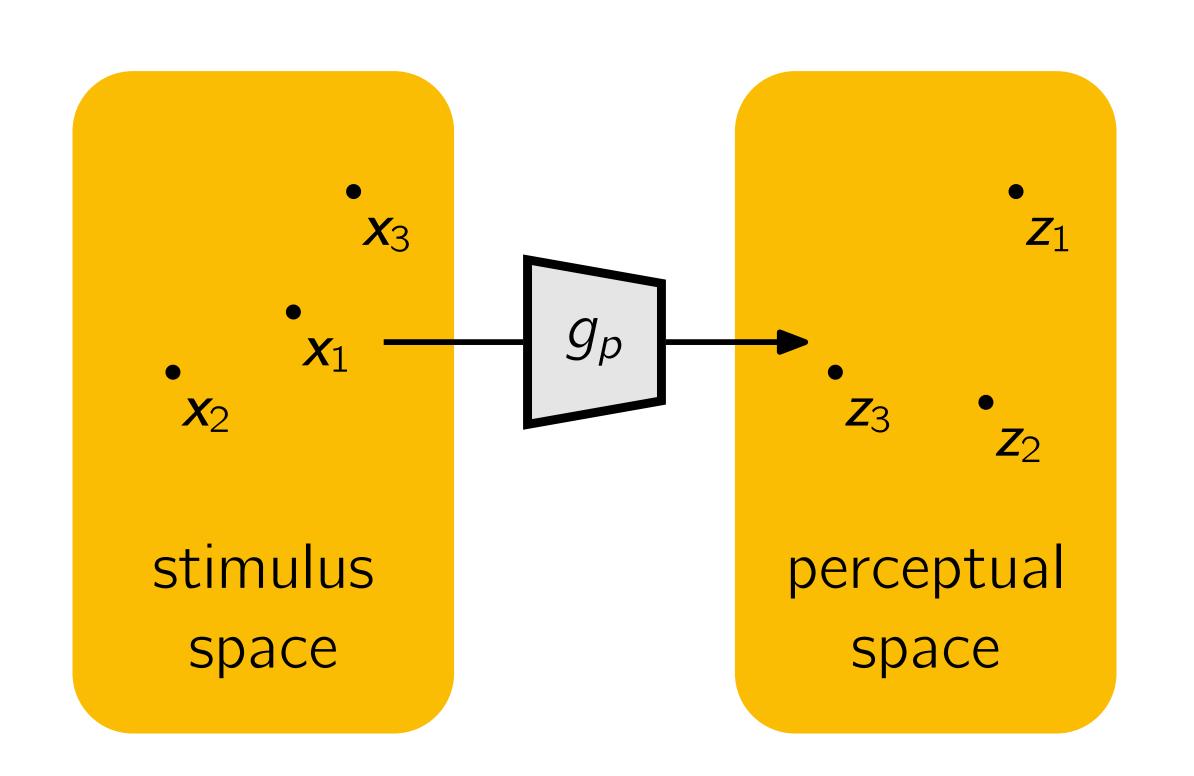
Many IQA models use proxy representations

We can think of each stimulus (signal) as a point in space.

A transformation brings each point into a perceptual space.

In this space, distances between points predict human judgments of similarity.

Sets of points representing the just noticeable difference (JND) ideally are spherical.



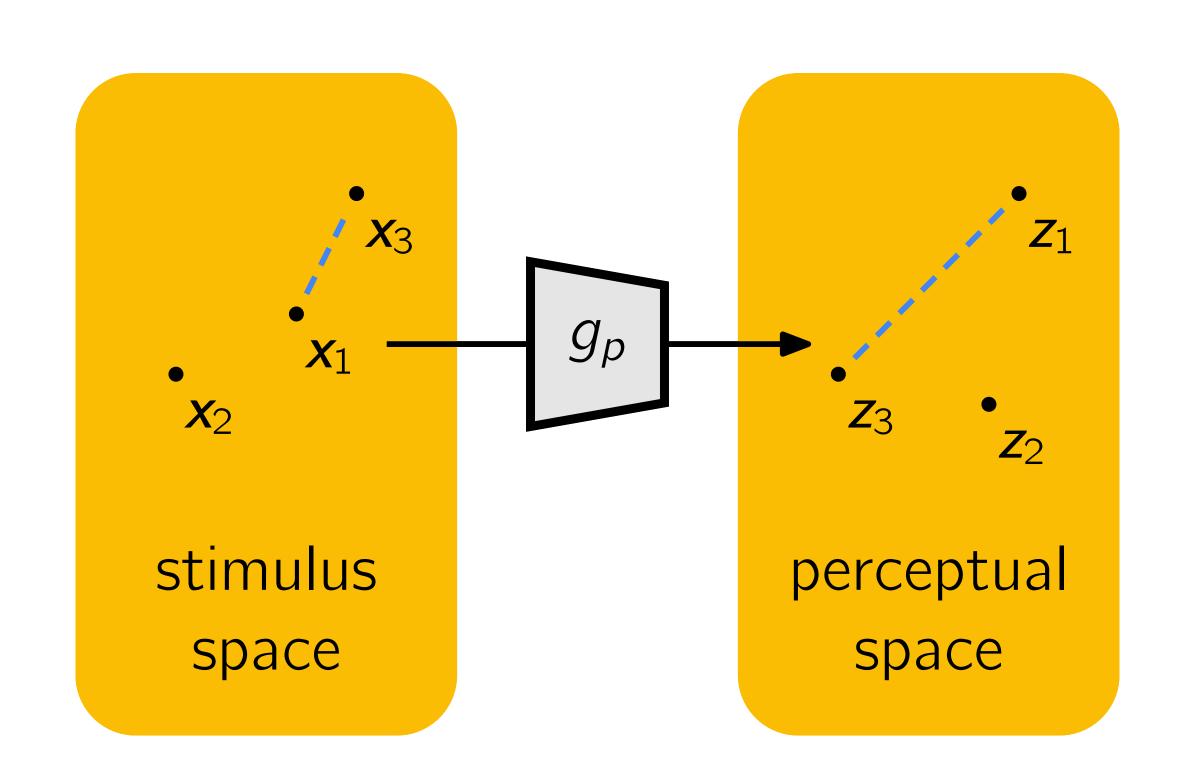
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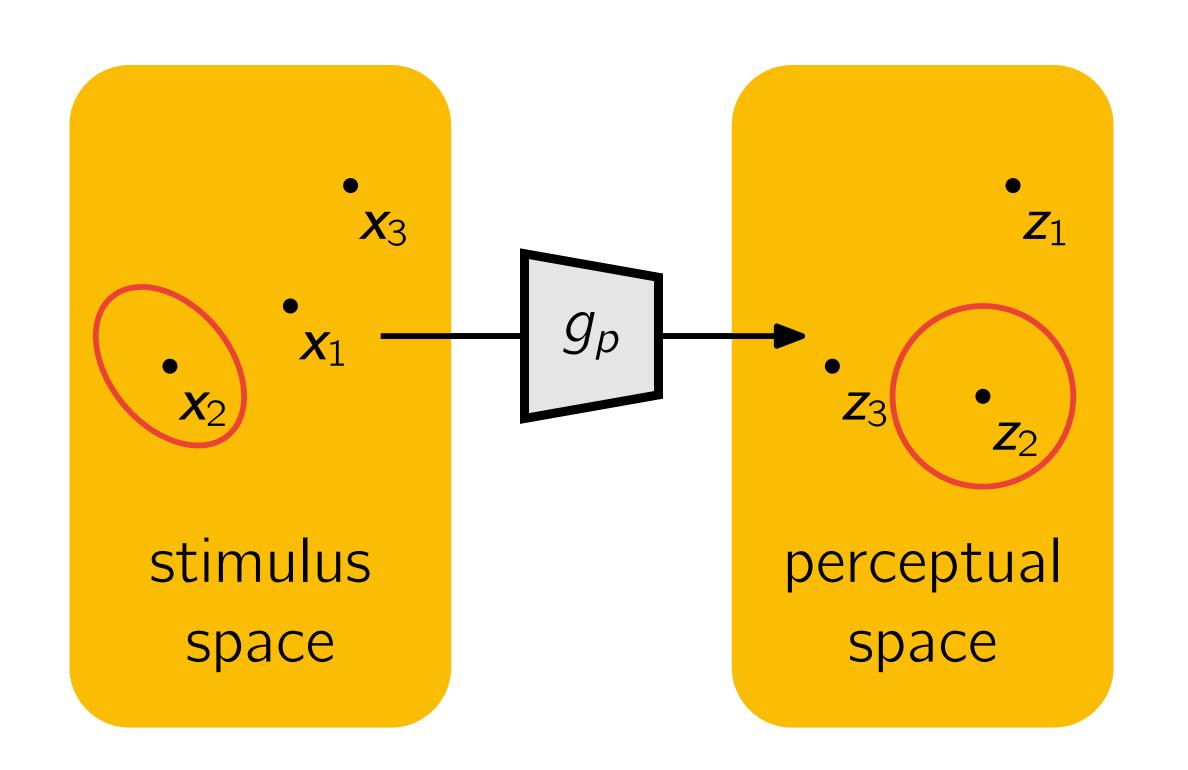
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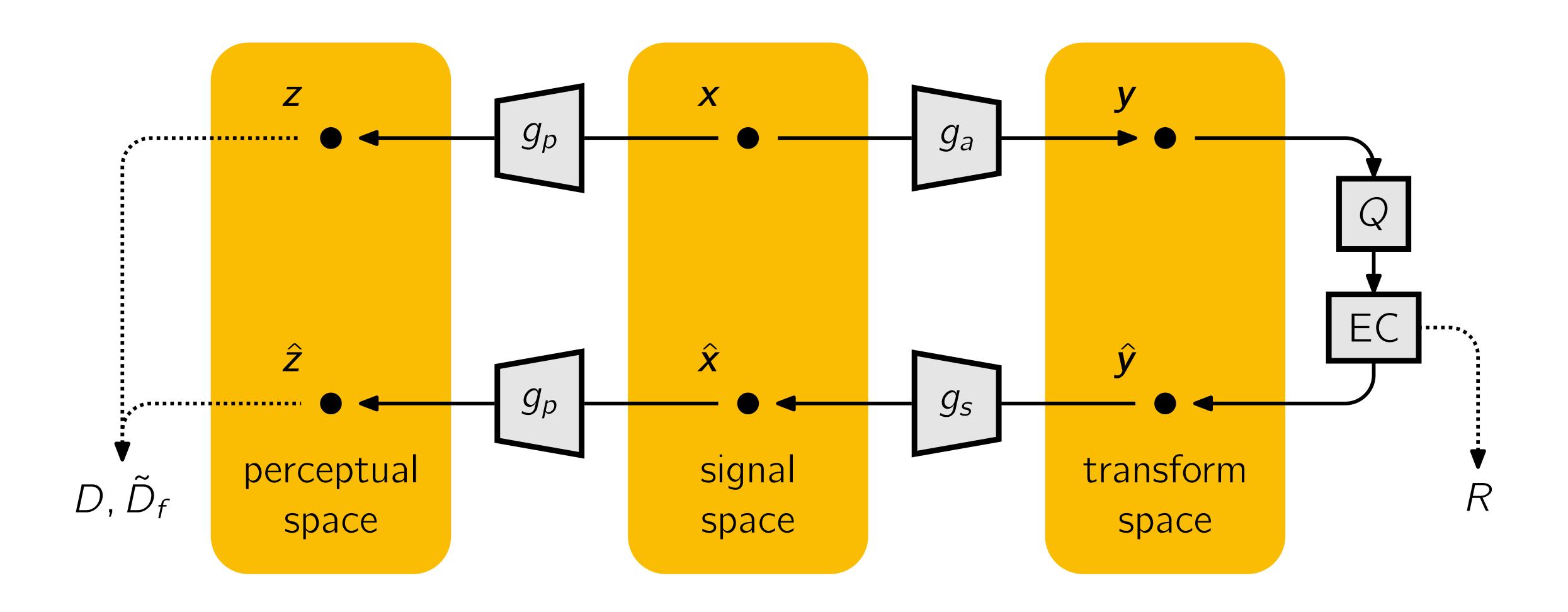
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Perceptually optimized compression



(Early!) example

MacAdam (1942): Ellipses correspond to justnoticeable differences in chromaticity.

Color spaces such as CIE Lab, and many more, are designed to "warp" the space such that ellipses turn into equal-sized circles.

Then, (Euclidean) distances predict perceived color similarity.

CIE 1931 xy chromaticity diagram

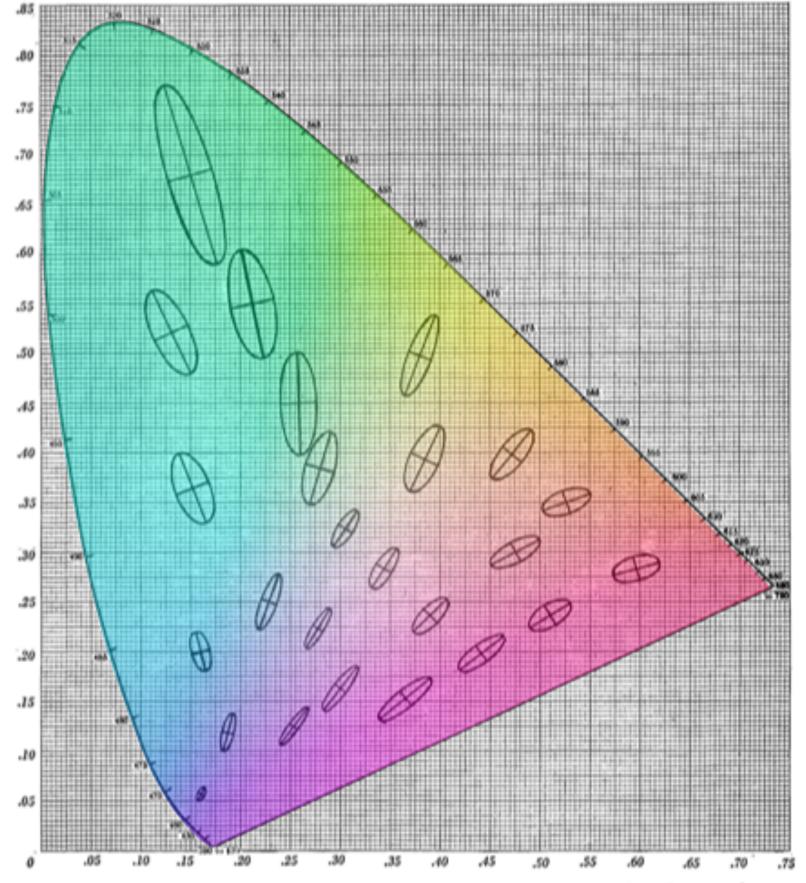
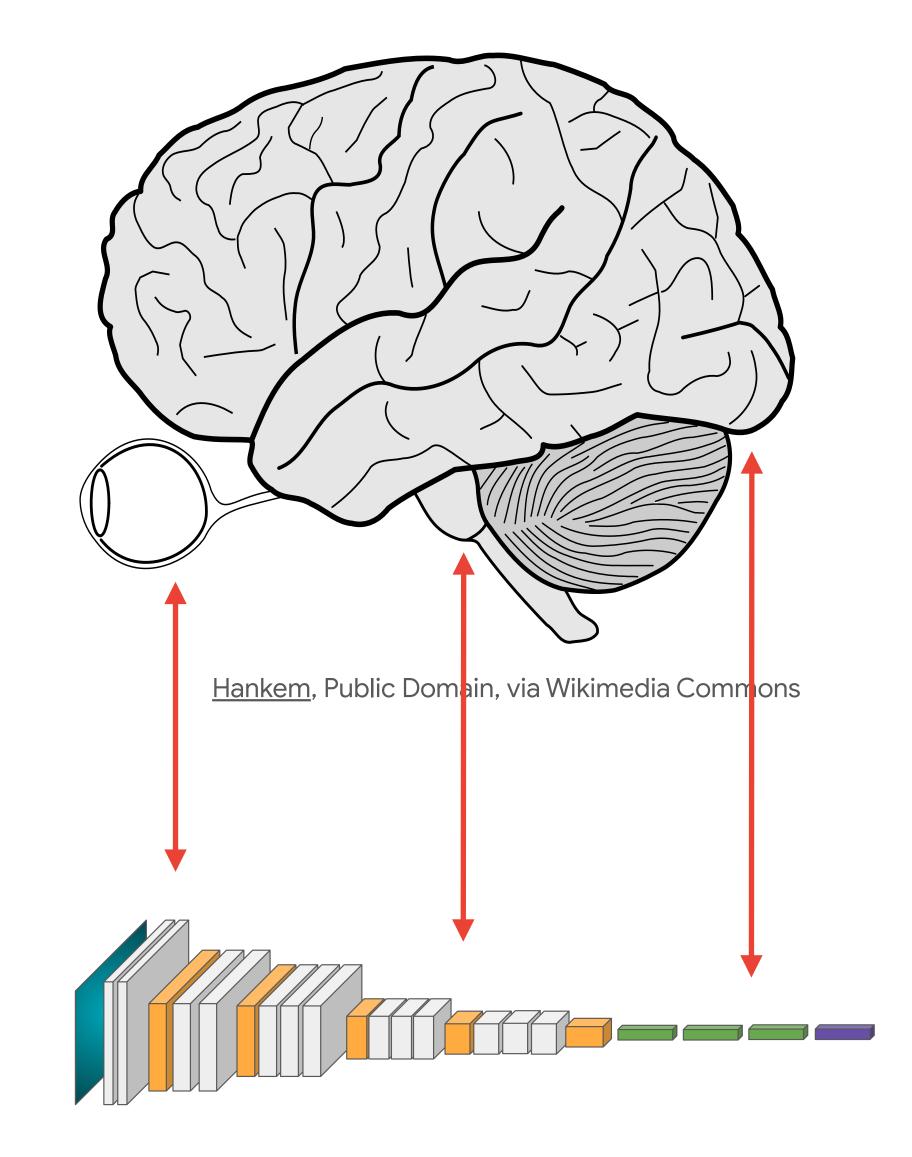


Fig. 48, Standard deviations of chromaticity from indicated standards, represented ten times actual scale on I.C.I. 1931 standard chromaticity diagram, observer: PGN.

Object recognition features as perceptual spaces

Object recognition features have neural correlates in the visual system.

Use object recognition as a proxy task to construct a perceptual space?

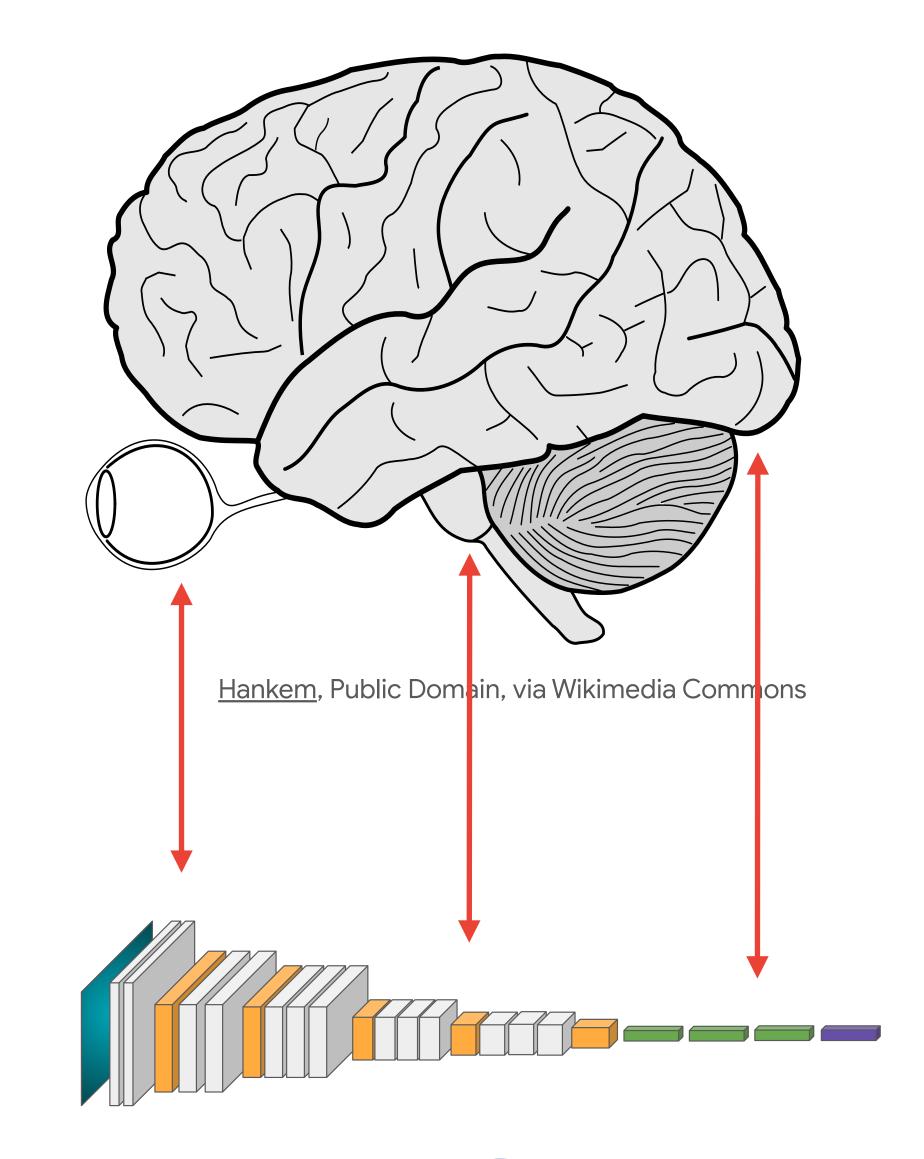


Example: LPIPS

Highly predictive of human annotations even on structural distortions

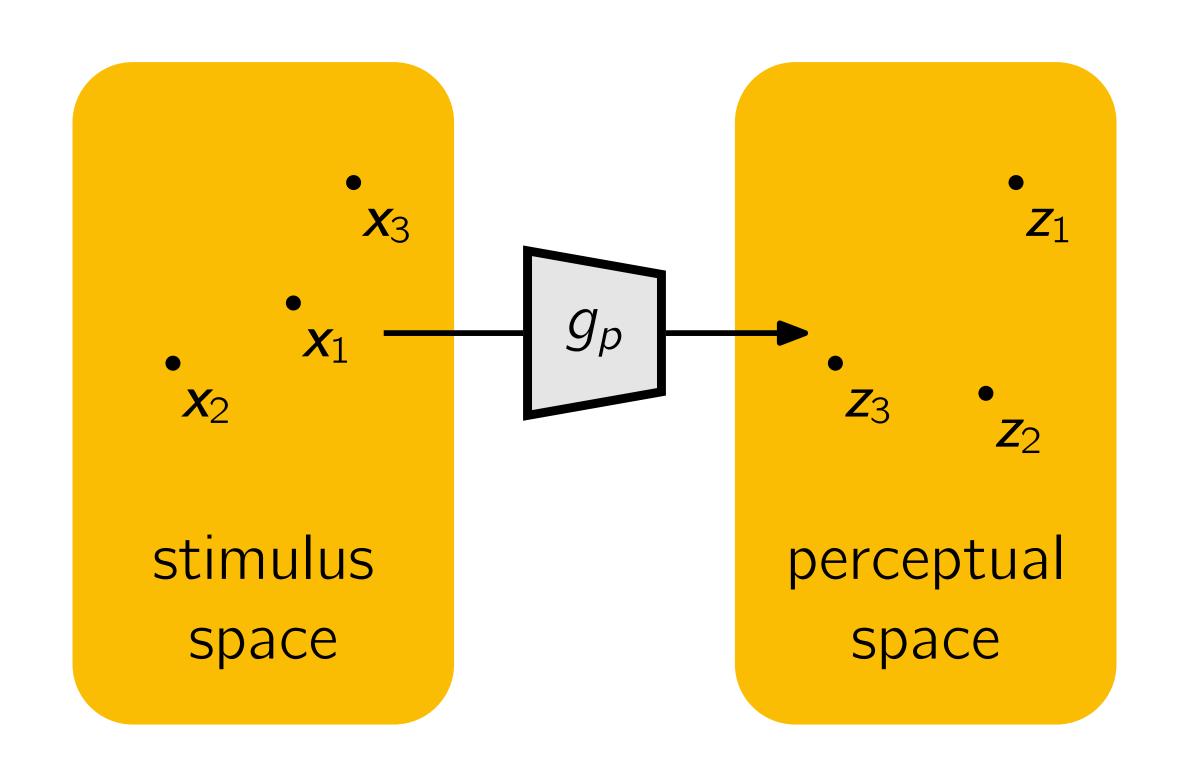
However, feature representations require significant amounts of human responses:

- First, for training proxy task (classification labels)
- Second, for training task adaptation layers (IQA ratings)



Learned perceptual spaces

Can we build a representation from first principles, without using human responses?



PIM: An Unsupervised Information-Theoretic Perceptual Quality Metric

Learn an image representation, imposing principles/constraints borrowed from computational neuroscience:

- Slowness: relevant visual features tend to be persistent in time (Földiák, 1991; Mitchison, 1991; Wiskott, 2003)
- Efficient coding: brain "compresses" sensory information (Attneave, 1954; Barlow, 1961)
- Approximate translation and scale equivariance: well-known properties of representations in human visual system

Slow features, persistent across time, tend to coincide with relevant features

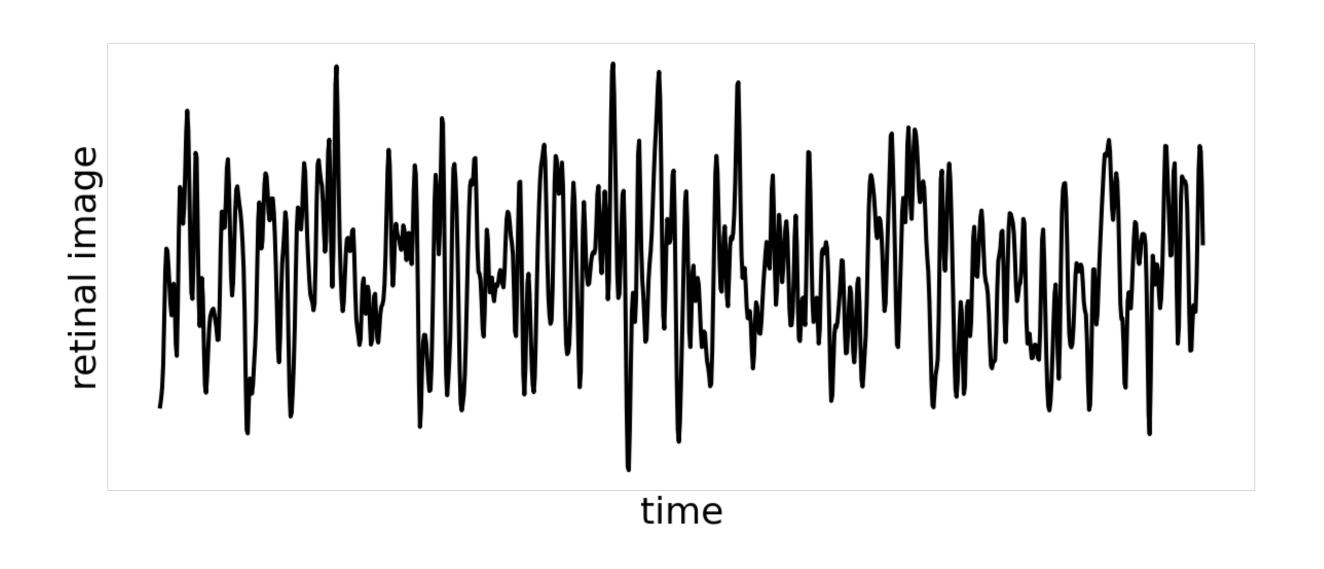


Jesse Millan, CC BY 2.0, via Flickr

Slow features, persistent across time, tend to coincide with relevant features



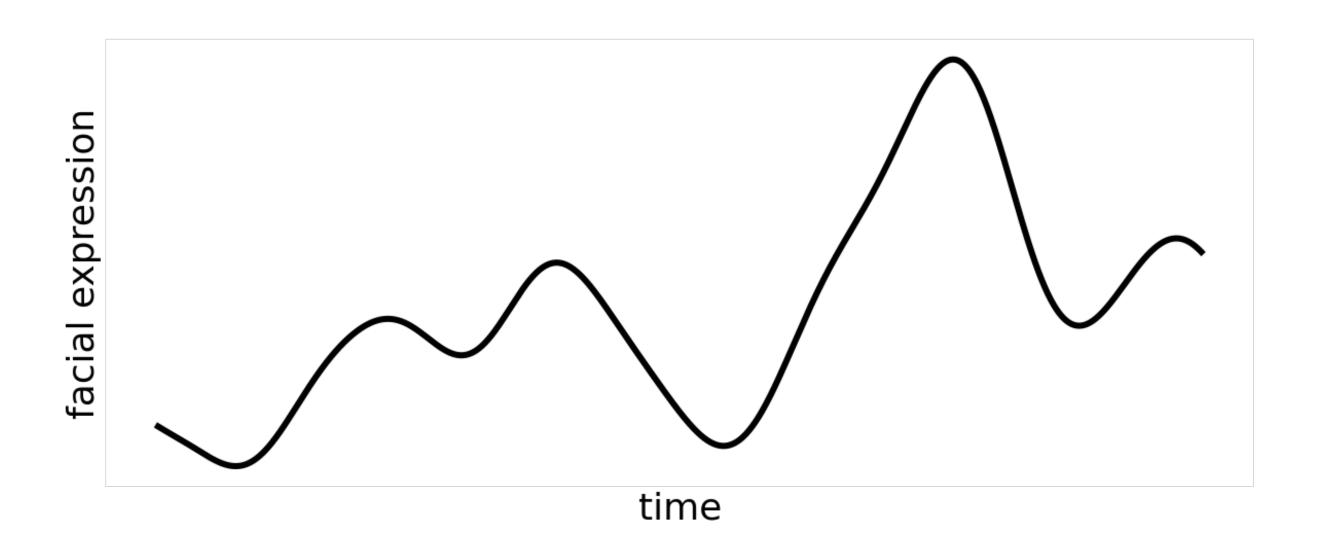
Jesse Millan, CC BY 2.0, via Flickr



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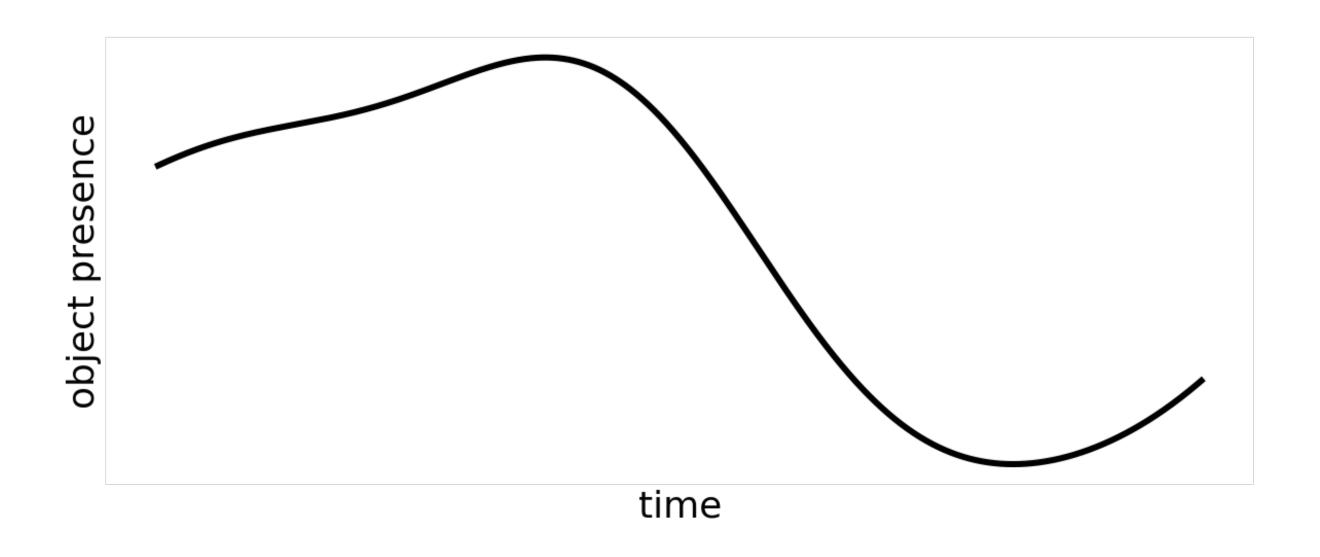
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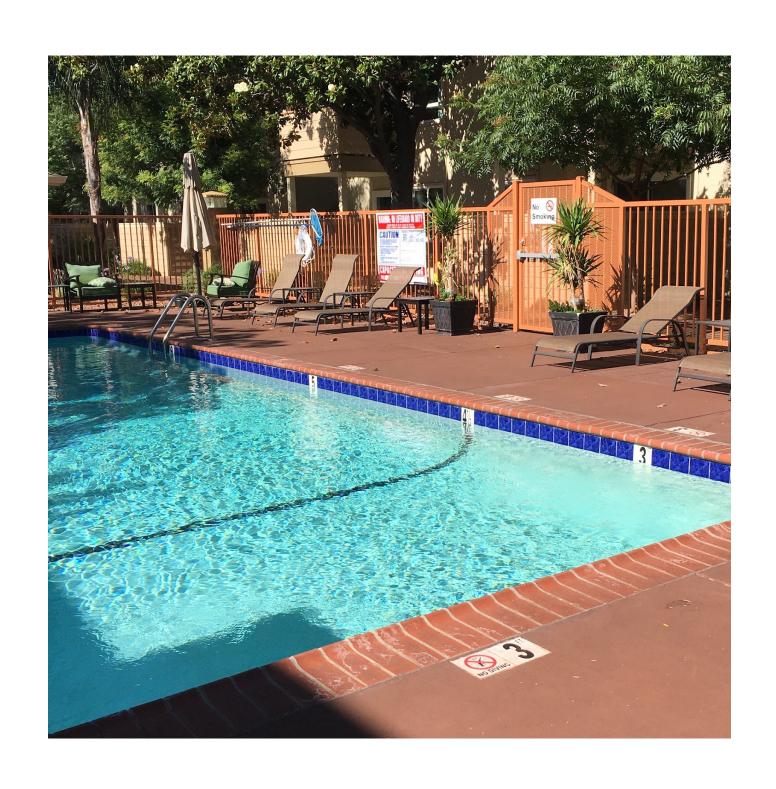
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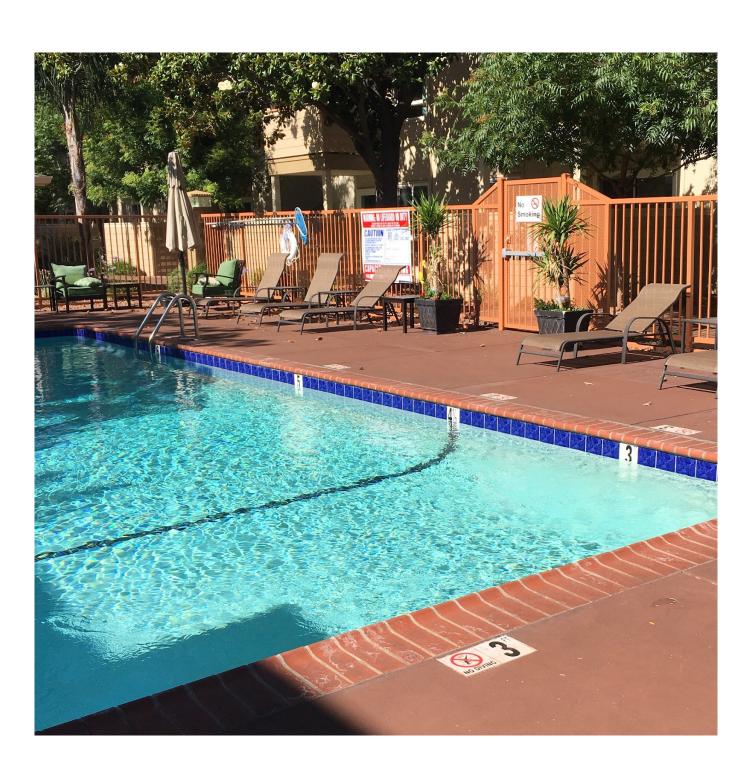


Jesse Millan, CC BY 2.0, via Flickr

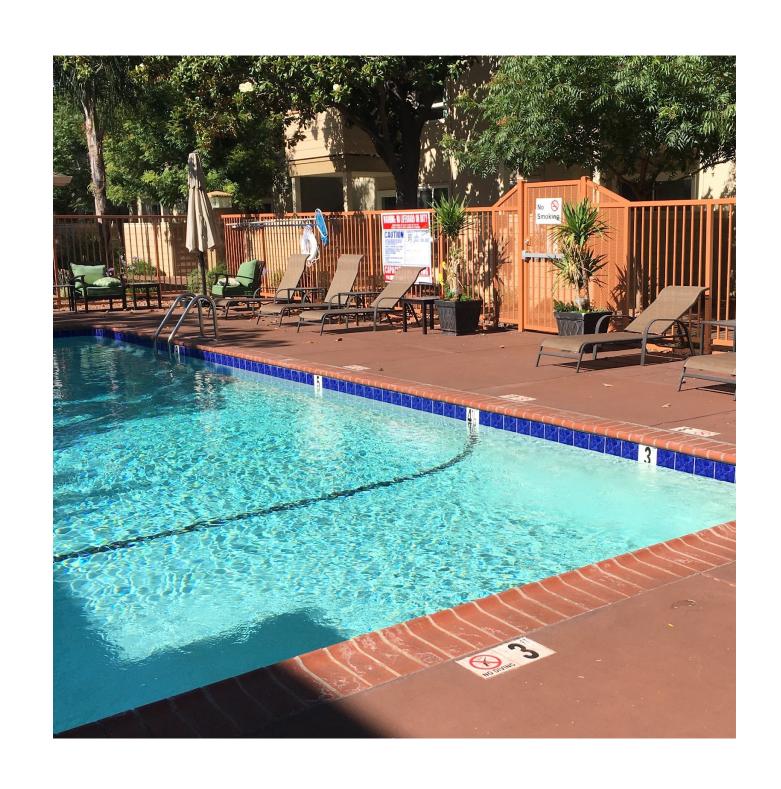


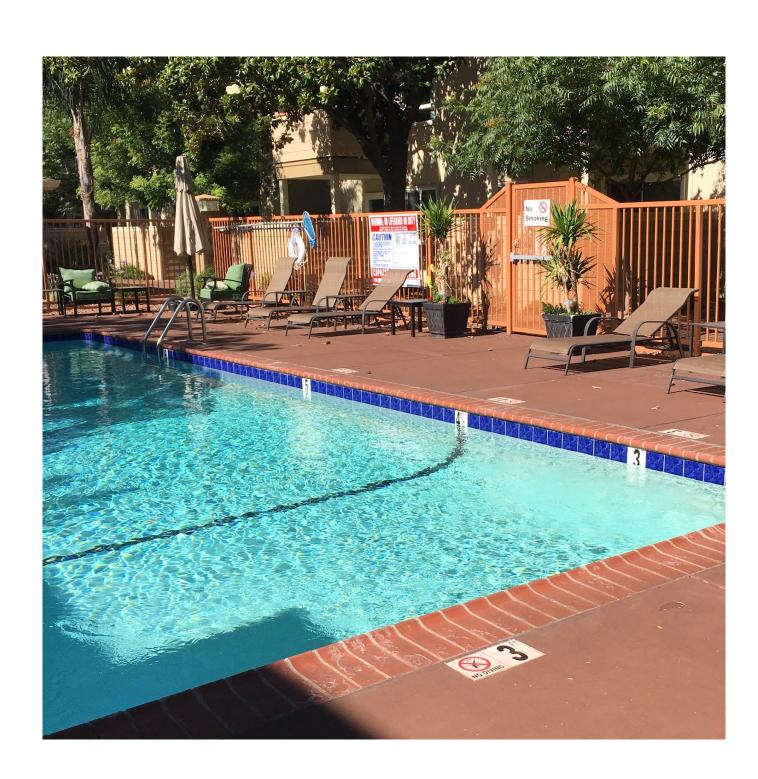
Slowness for image similarity

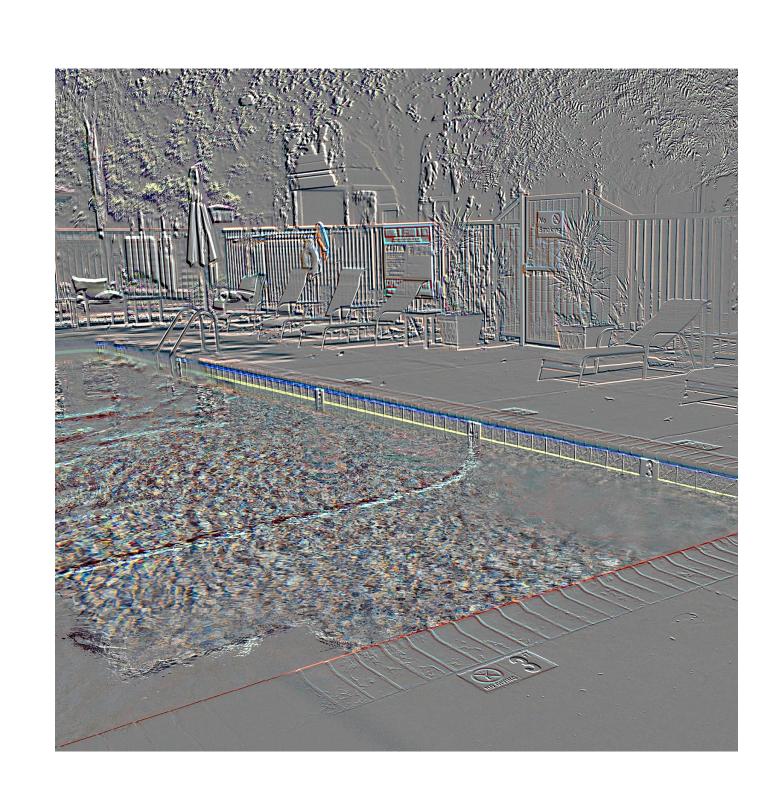




Slowness for image similarity



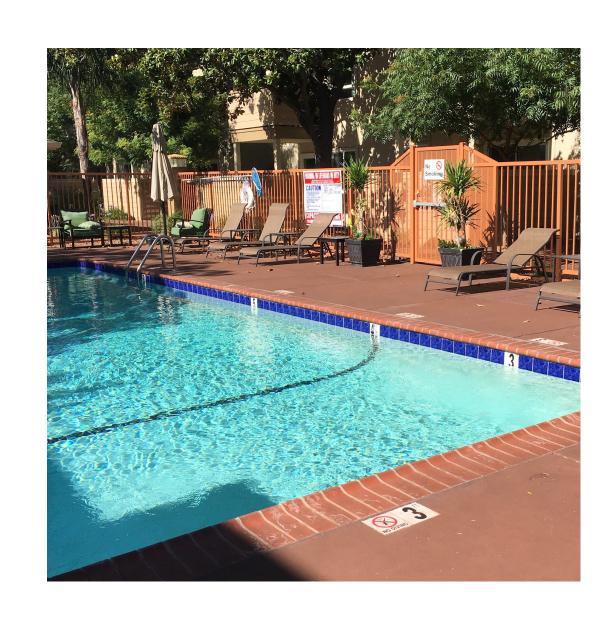


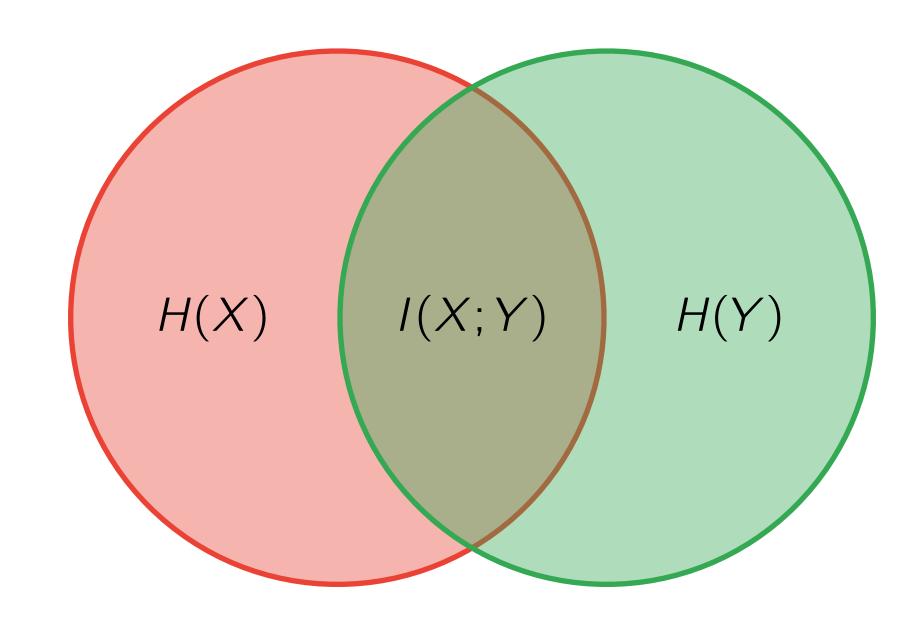


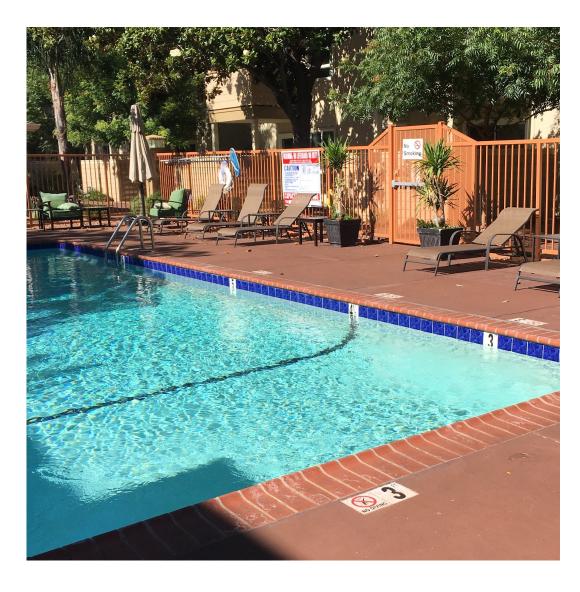
Pixel values change, but scene composition, texture is constant

An implementation of slowness

Let representation Z (in some vector space) capture mutual information I(X;Y)between image X and temporally close image Y (e.g., two frames in a video)





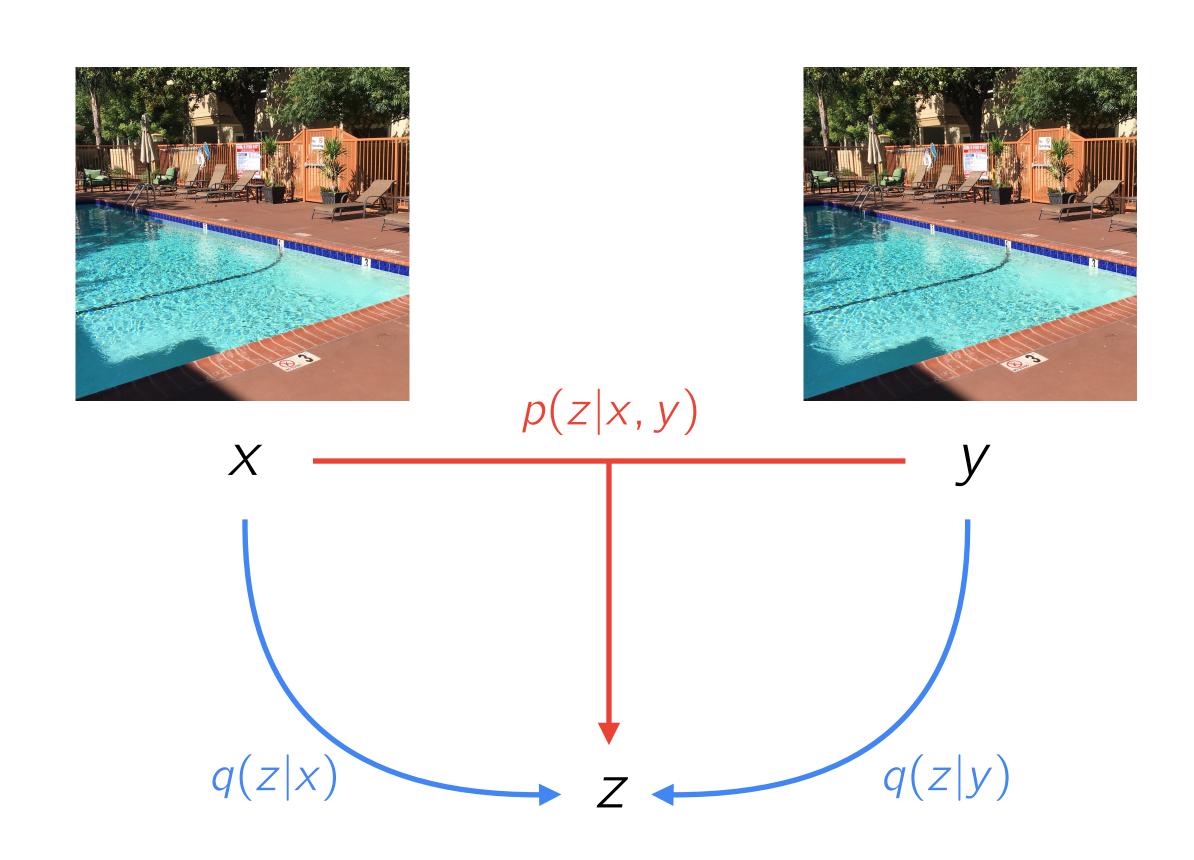


Learning objective

$$\mathbb{E}_{x,y,z} \log \frac{q(z|x)q(z|y)}{\hat{p}(z)p(z|x,y)} \le I(X;Y;Z)$$

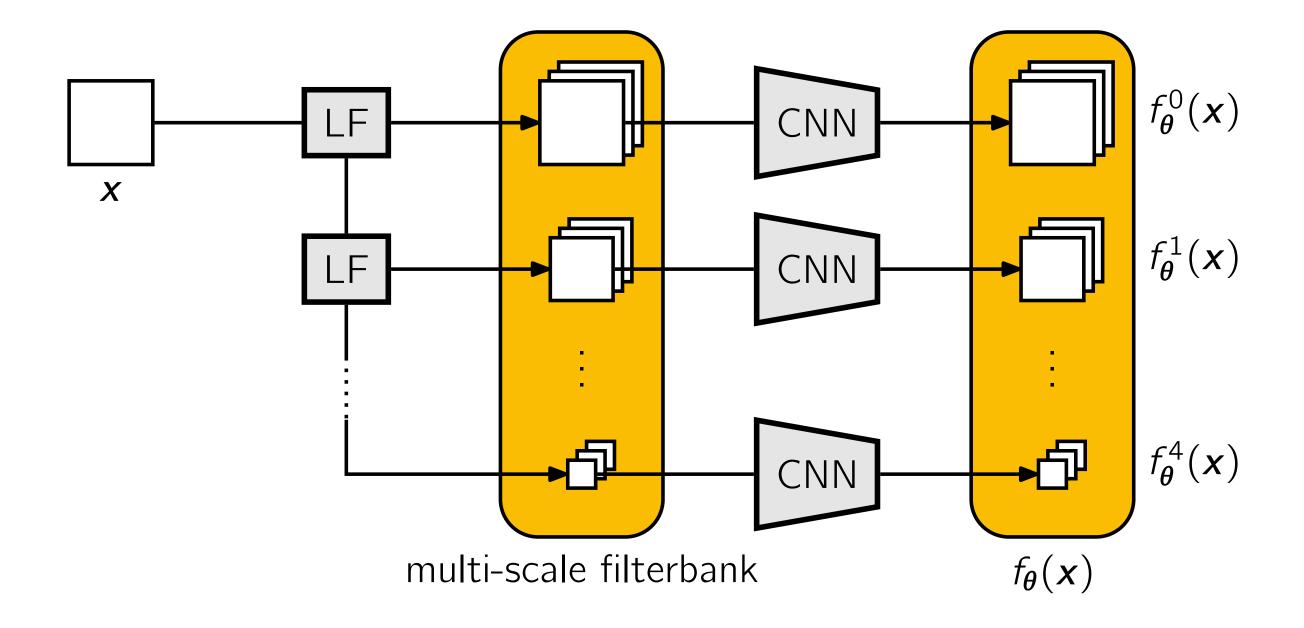
Maximize multivariate mutual information (MMI) between X, Y, and Z using a stochastic lower bound "IXYZ" (Fischer, 2019)

- Parameterized by two networks: p(z|x,y): joint encoder $q(z|\cdot)$: marginal encoder
- Contrastive loss, due to empirical/minibatch marginal $\hat{p}(z)$

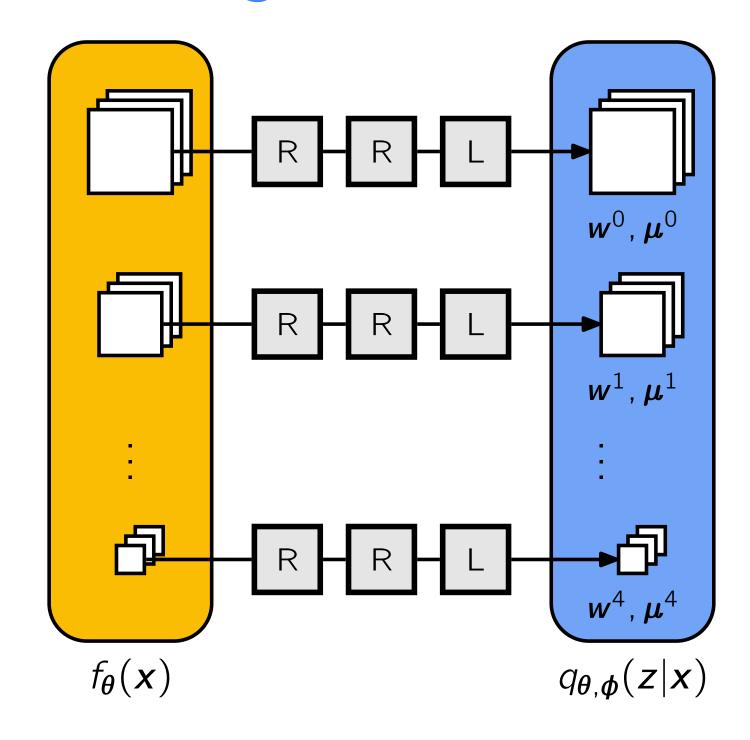


Architecture

frontend

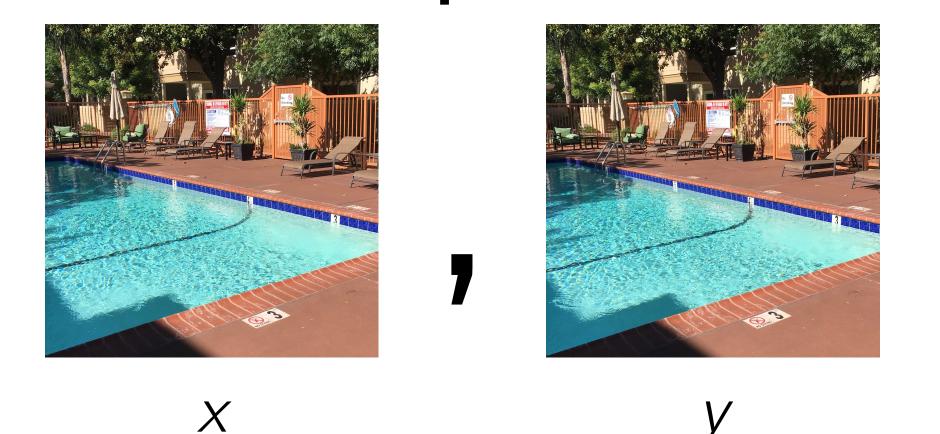


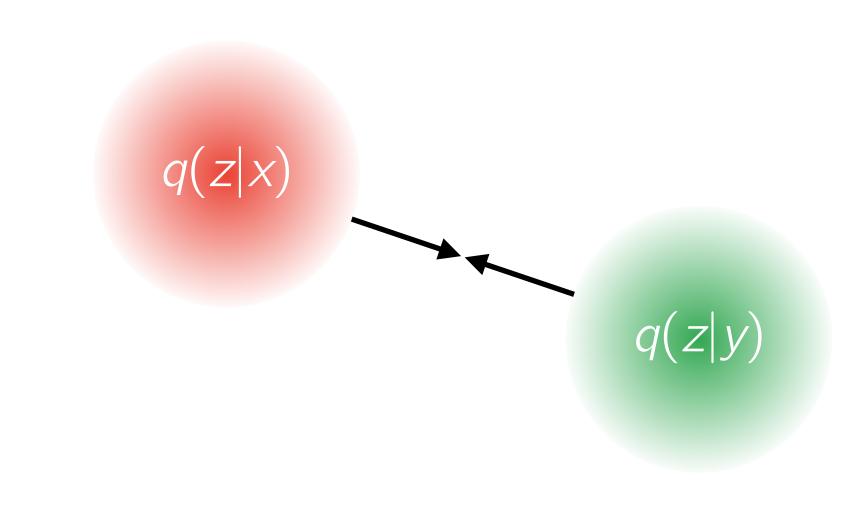
marginal encoder



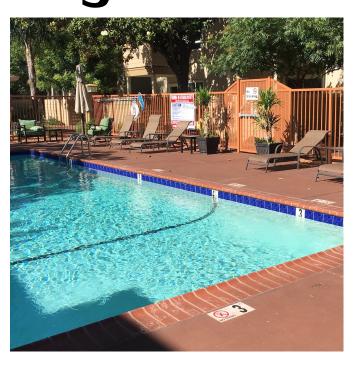
Contrastive losses, visually explained

Positive example

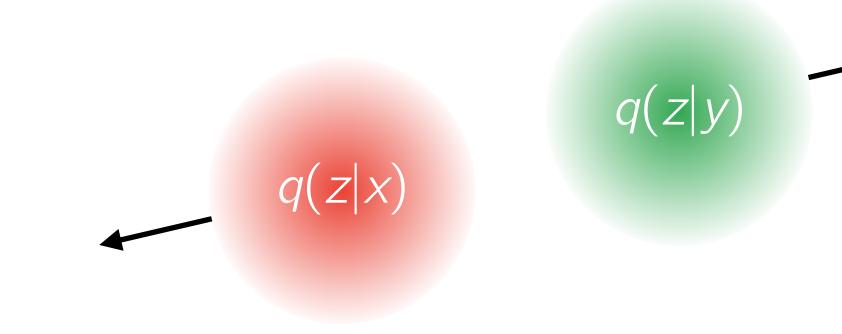




Negative example



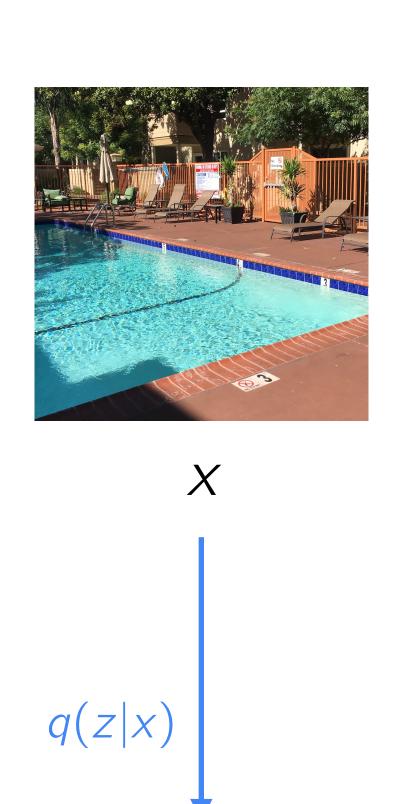


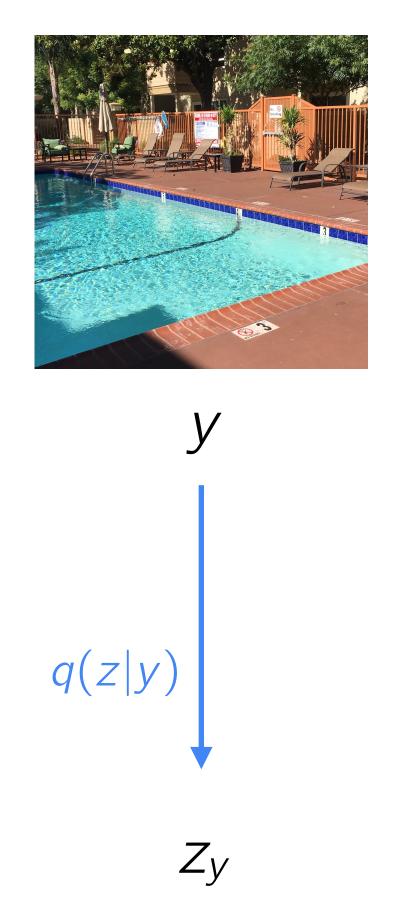


Induced perceptual metric

Symmetrized Kullback–Leibler divergence between representations z of two images, as predicted by marginal encoder q (we can discard joint encoder after training).

Directly use the divergence as a distortion metric, or define realism measure on z.





PIM competitive without using any human ratings

LPIPS Alex: pre-trained

classifier, no fine tuning

LPIPS Alex-lin: fine-tuned for

triplet task

PIM is significantly better on BAPPS-JND, and competitive on BAPPS-2AFC.

Metric	BAPPS-2AFC (triplet)	BAPPS-JND
MS-SSIM	63.26	52.50
NLPD	63.50	50.80
LPIPS Alex	68.98	59.47
LPIPS Alex-lin	<u>69.53</u>	61.50
PIM (Ours)	69.09	<u>64.38</u>

Agreement with raters (0-100)

Conclusion

Better perceptual models are a new milestone for image compression.

Crucial for training: **generalization** across types of distortion.

Some of the important ingredients may be:

- Trading off distortion and realism
- Developing better perceptual spaces
- To that end, increasingly modeling brain behavior rather than anatomy

Collaborators





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Phil Chou



Ian Fischer



Sung Jin Hwang



Nick Johnston



Valero Laparra



Fabian Mentzer



David Minnen



Eero Simoncelli



Saurabh Singh



Lucas Theis



George Toderici



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